

# The search for third-generation leptoquarks

Arne Reimers, Ben Kilminster, Izaak Neutelings, Yuta Takahashi  
[izaak.neutelings@uzh.ch](mailto:izaak.neutelings@uzh.ch)

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**MOTIVATION**

# Standard Model's many symmetries...

Quantity	Symmetries	Electromagnetic	Weak	Strong
Energy	Time translation	✓	✓	✓
Linear momentum	Spatial translation	✓	✓	✓
Angular momentum	Rotations	✓	✓	✓
Center-of-mass	Lorentz boosts	✓	✓	✓
Charge, color, ...	Gauge transformation	✓	✓	✓
	Isospin (uds)	✓	X	X
$B - L$	Lepton number L	✓	✓	✓
	Baryon number B	<b>accidental !</b>	✓	✓
	Lepton flavor	✓	✓	✓
	Quark flavor	✓	X	✓
	Parity P	✓	X	✓
	Charge conjugation C	✓	X	✓
	Time reversal T	✓	X	✓
	CP	✓	X	✓
	CPT	✓	✓	✓

\* fundamental to Lorentz-invariant gauge field theories, like the SM

# Flavor universality in the SM

- SM gauge couplings cannot differentiate leptons
- only the Higgs can via Yukawa coupling

	I	II	III
mass	$\approx 2.2 \text{ MeV}/c^2$	$\approx 1.28 \text{ GeV}/c^2$	$\approx 173.1 \text{ GeV}/c^2$
charge	$\frac{2}{3}$	$\frac{2}{3}$	$\frac{2}{3}$
spin	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
QUARKS			
LEPTONS			

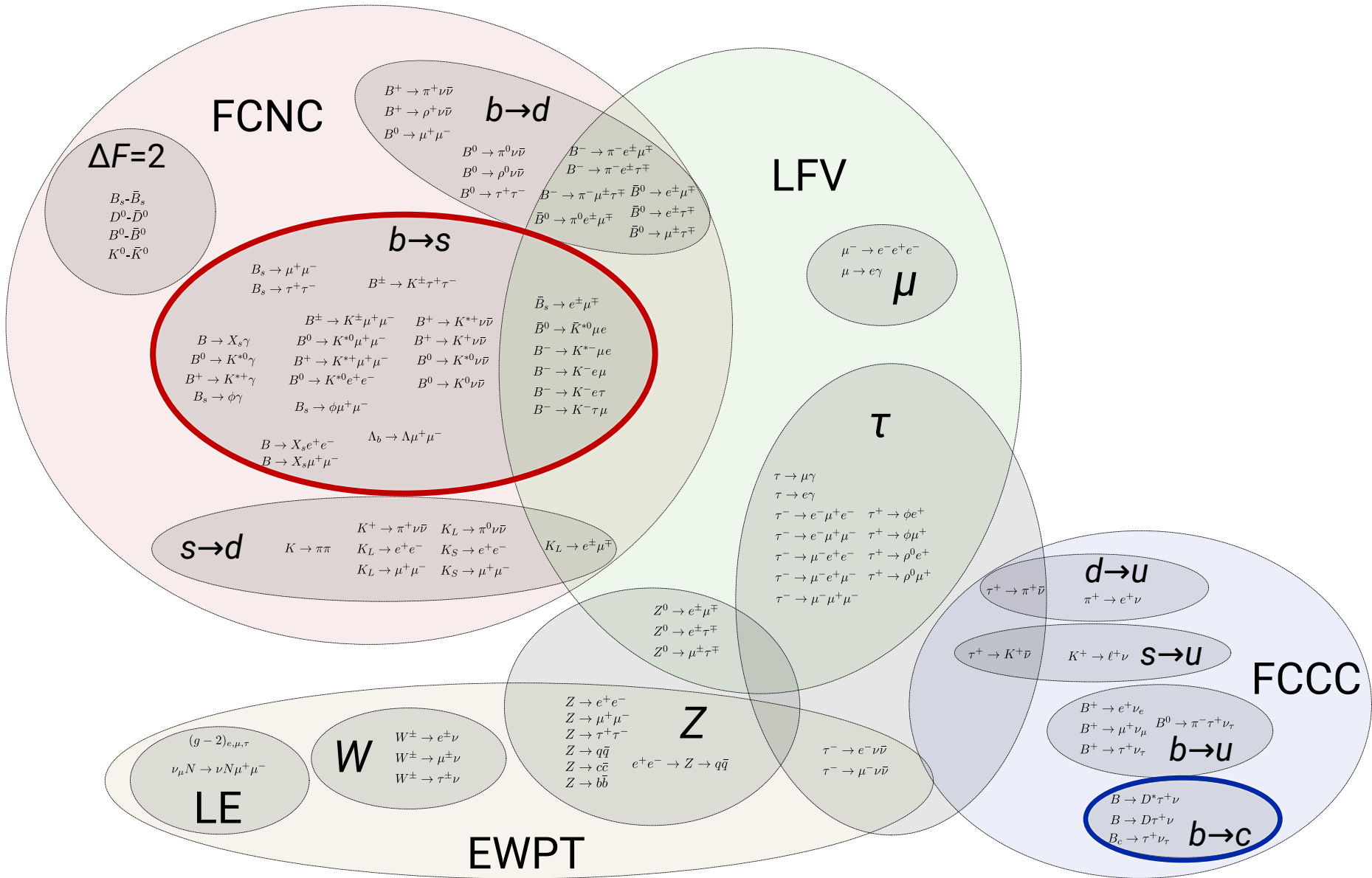
but by what mechanism ?

why three generations ?

⇒ hopefully new physics can explain

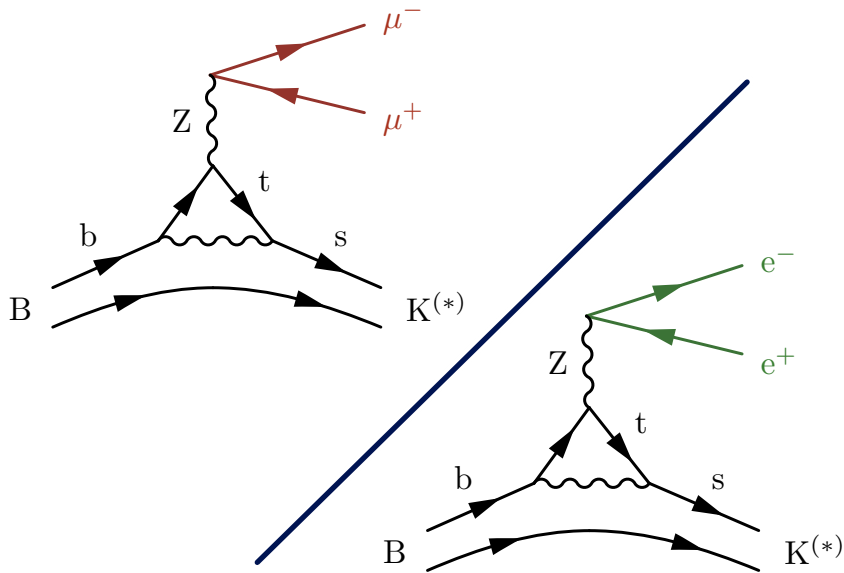
⇒ probe LFU in Nature !



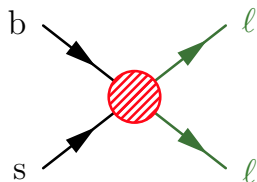


# Lepton flavor universality tests

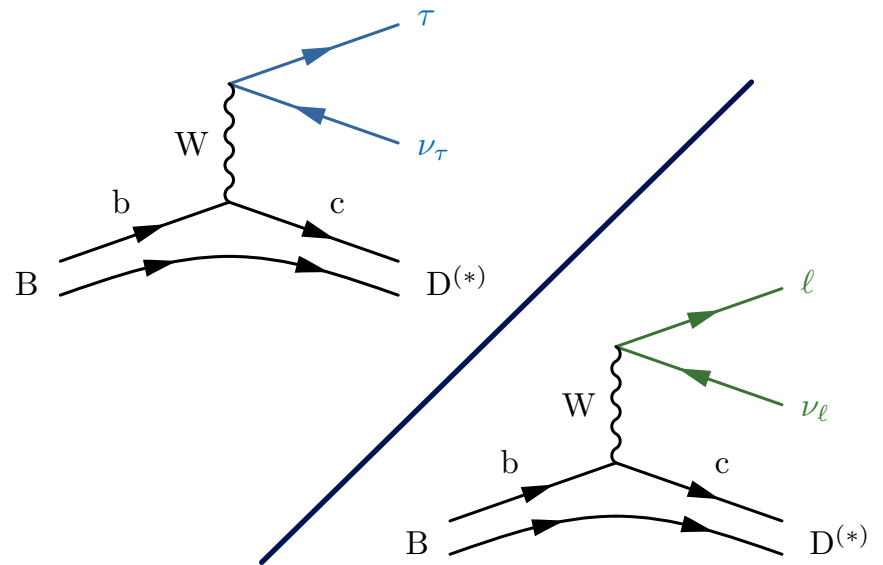
$$R_{K^{(*)}} = \frac{\Gamma(B \rightarrow K^{(*)} \mu \mu)}{\Gamma(B \rightarrow K^{(*)} e e)} \stackrel{\text{SM}}{=} 1$$



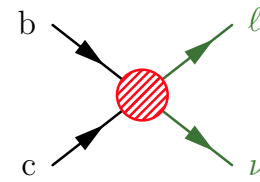
measure  $b \rightarrow s \ell \ell$  transitions



$$R_{D^{(*)}} = \frac{\Gamma(B \rightarrow D^{(*)} \tau \bar{\nu})}{\Gamma(B \rightarrow D^{(*)} \ell \bar{\nu})} \stackrel{\text{SM}}{\sim} 0.25$$



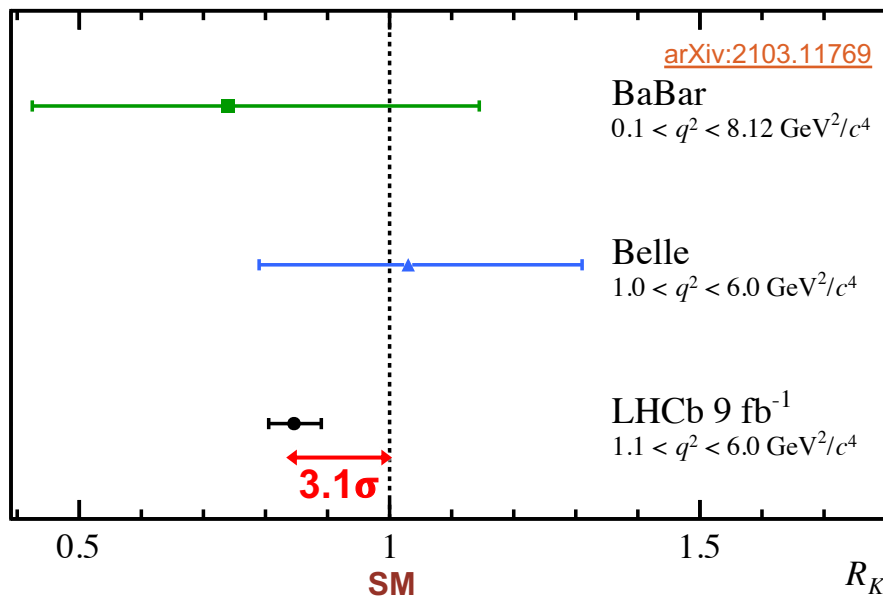
$b \rightarrow c \ell \bar{\nu}$  transitions



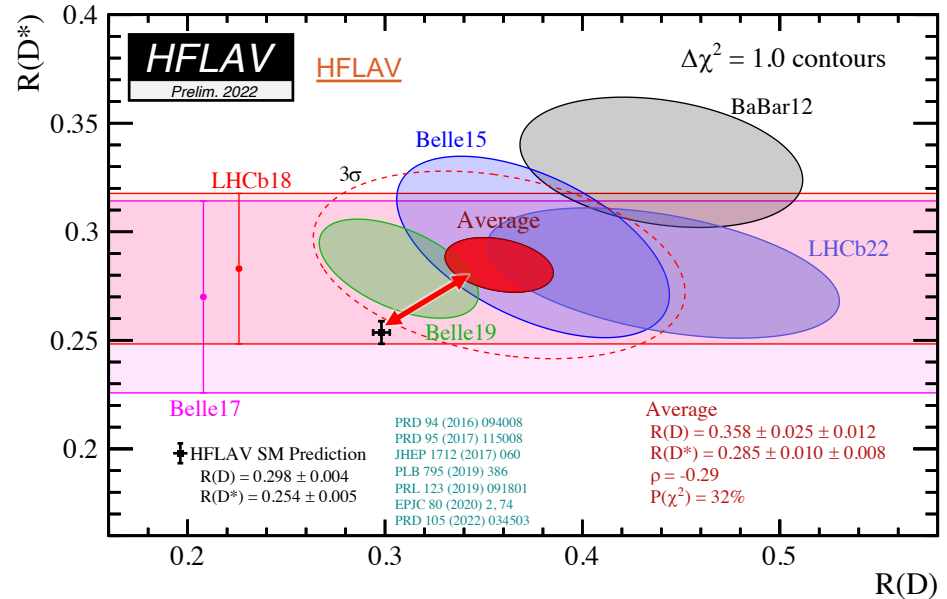
# B anomalies at Belle, BaBar, LHCb

$$R_{K^{(*)}} = \frac{\Gamma(B \rightarrow K^{(*)} \mu \mu)}{\Gamma(B \rightarrow K^{(*)} e e)} < 1 \quad \text{SM}$$

$$R_{D^{(*)}} = \frac{\Gamma(B \rightarrow D^{(*)} \tau \bar{\nu})}{\Gamma(B \rightarrow D^{(*)} \ell \bar{\nu})} > 0.25 \quad \text{SM}$$



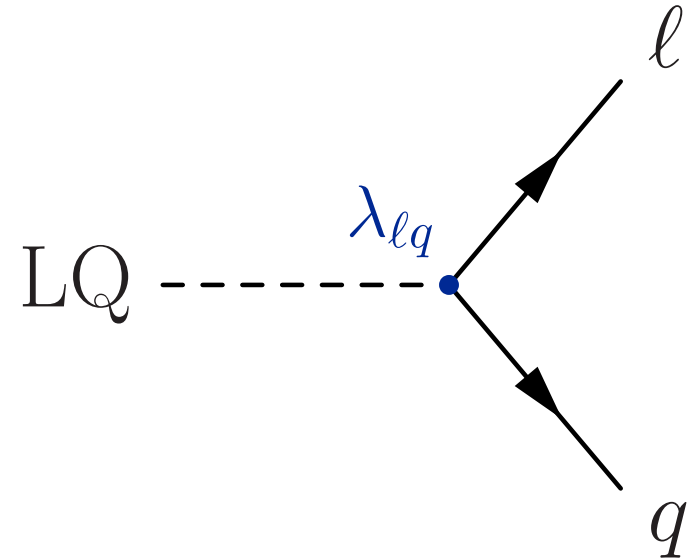
**$R(K^{(*)})$  and angular observables  
 combined  $\sim 4\sigma$  deviation**



**$R(D^{(*)})$  combined  $3.2\sigma$  deviation**

$\Rightarrow$  signs of new physics violating lepton flavor universality ?

# Leptoquarks



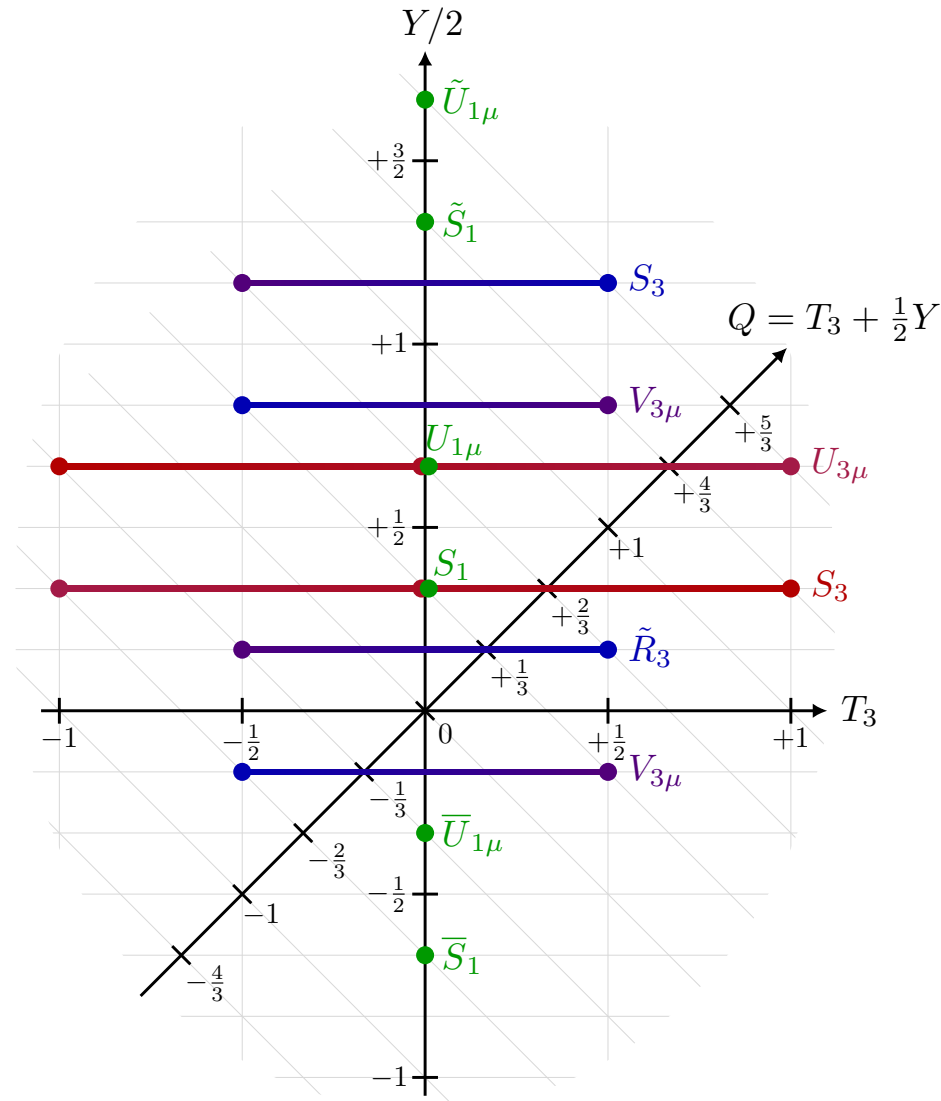
- **scalar or vector boson**
- **decays into  $\ell q$**   
 $\Rightarrow$  carries L, B, color
- **fractional charge**
- **coupling  $\lambda_{\ell q}$**

$$\underbrace{\text{LQ}}_{\pm \frac{1}{3}, \pm \frac{2}{3}, \pm \frac{4}{3}, \pm \frac{5}{3}} \rightarrow \underbrace{\ell}_{\pm 1, 0} \underbrace{q}_{\mp \frac{1}{3}, \pm \frac{2}{3}}$$

$$J^\mu \equiv \lambda_{\ell q} \bar{Q}_q \gamma^\mu L_\ell$$

# Leptoquarks

- scalar or vector boson
- decays into  $\ell q$   
 $\Rightarrow$  carries L, B, color
- fractional charge
- coupling  $\lambda_{\ell q}$

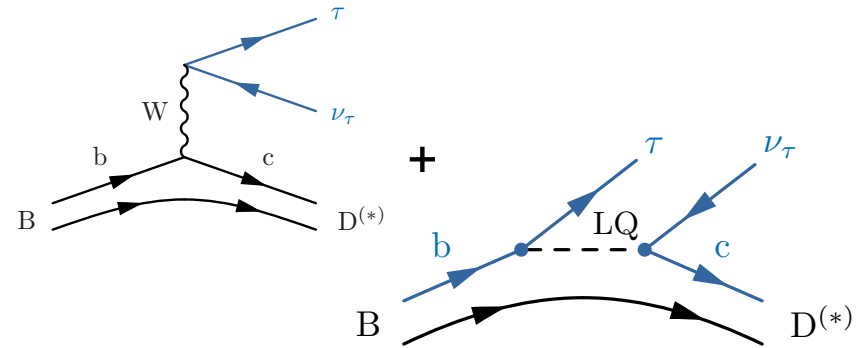
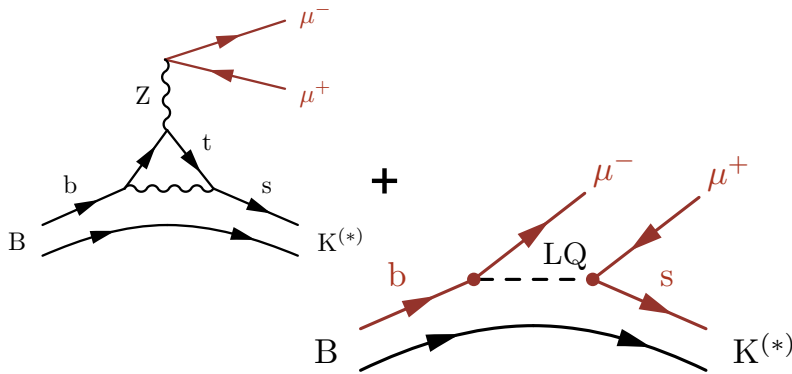


$$\underbrace{\text{LQ}}_{\pm \frac{1}{3}, \pm \frac{2}{3}, \pm \frac{4}{3}, \pm \frac{5}{3}} \rightarrow \underbrace{\ell}_{\pm 1, 0} \underbrace{q}_{\mp \frac{1}{3}, \pm \frac{2}{3}}$$

# B anomalies according to LQs

$$R_{K^{(*)}} = \frac{\Gamma(B \rightarrow K^{(*)} \mu \mu)}{\Gamma(B \rightarrow K^{(*)} e e)} \stackrel{\text{SM}}{\boxed{< 1}}$$

$$R_{D^{(*)}} = \frac{\Gamma(B \rightarrow D^{(*)} \tau \bar{\nu})}{\Gamma(B \rightarrow D^{(*)} \ell \bar{\nu})} > 0.25 \stackrel{\text{SM}}{}$$

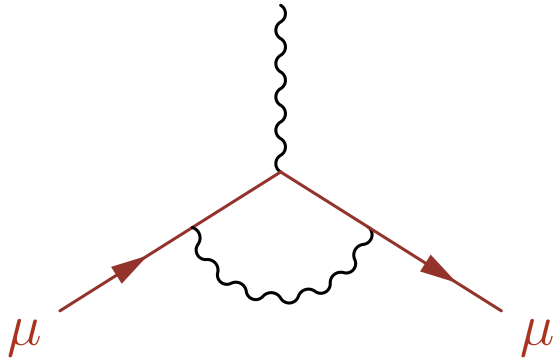


combined explanation with vector leptoquark:

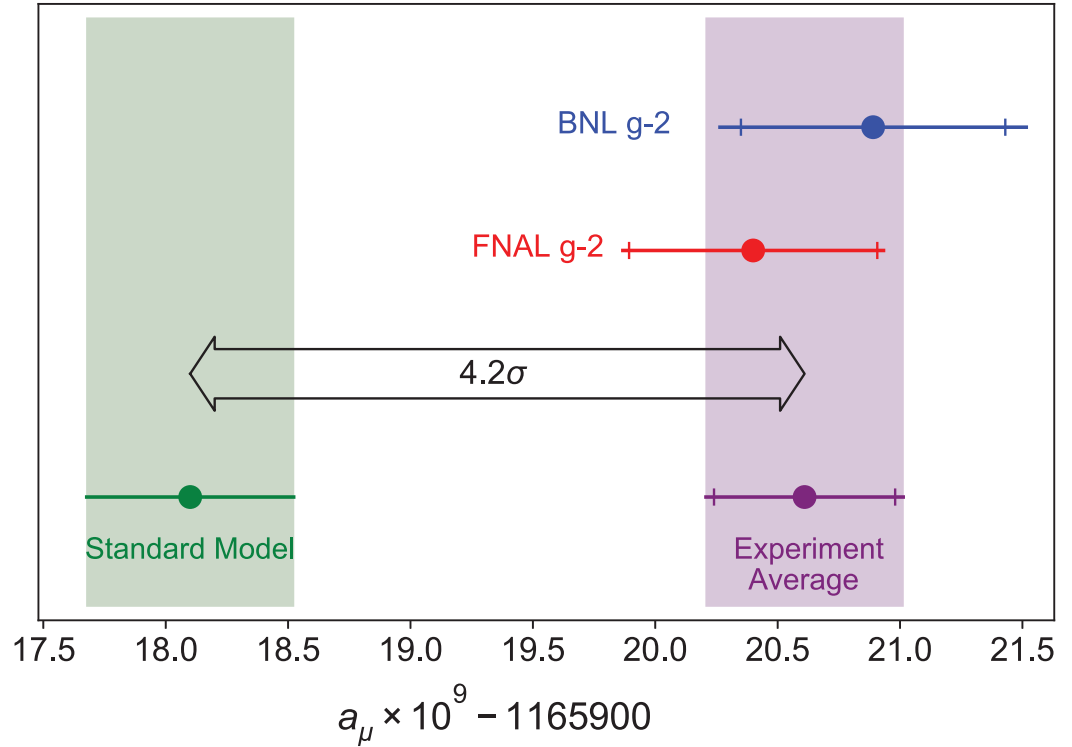
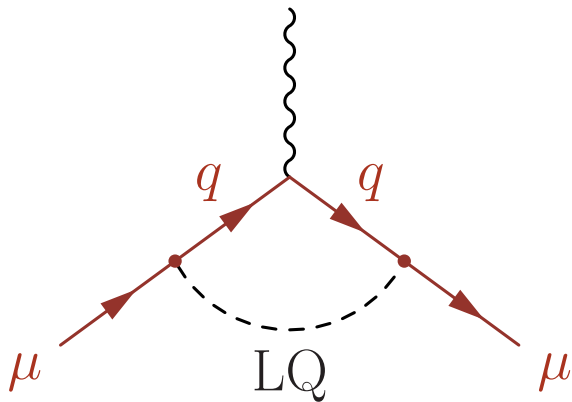
$$\Rightarrow \lambda_{\ell q} \sim \begin{matrix} d/u' \\ s/c' \\ b/t' \end{matrix} \begin{pmatrix} e/\nu_e & \mu/\nu_\mu & \tau/\nu_\tau \\ 0 & 0 & 0 \\ 0 & +0.01 & 0.19 \\ 0 & -0.14 & 1 \end{pmatrix} \rightarrow \text{LQ} \approx \text{LQ}_3$$

signs for destructive interference with SM in  $B \rightarrow K \mu \mu$  decay

# Muon anomalous moment

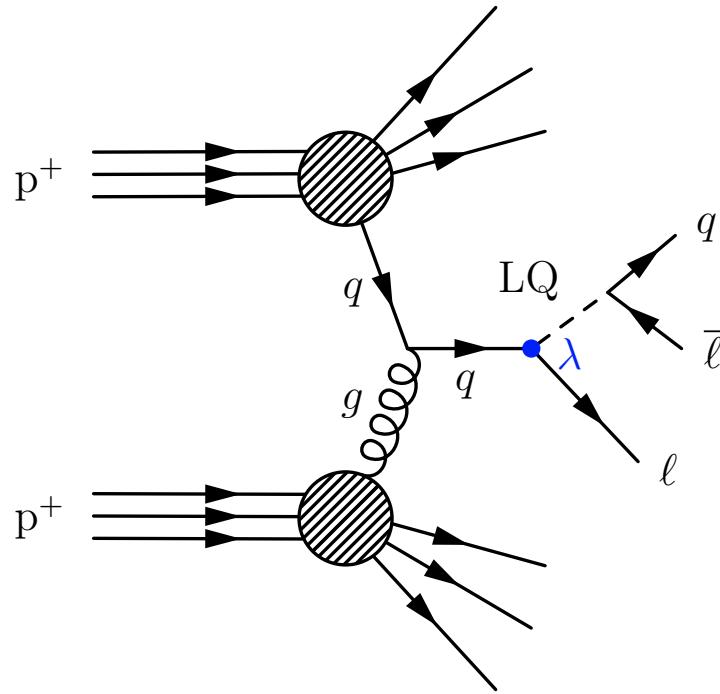


+



SM theory:  $116\,591\,810\,(43) \times 10^{-11}$  (460 ppb)  
 Experiment:  $116\,592\,061\,(41) \times 10^{-11}$  (350 ppb)

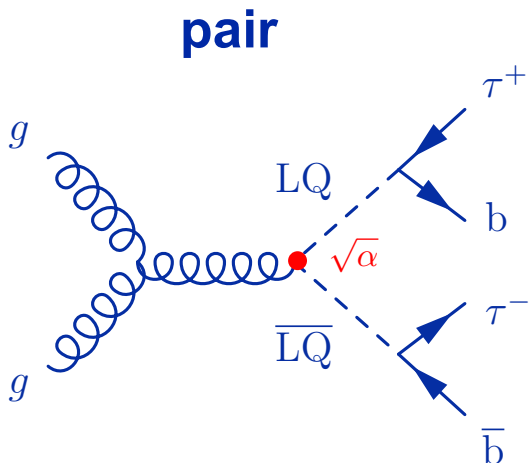
**BNL & FNAL combined  $4.2\sigma$  deviation**



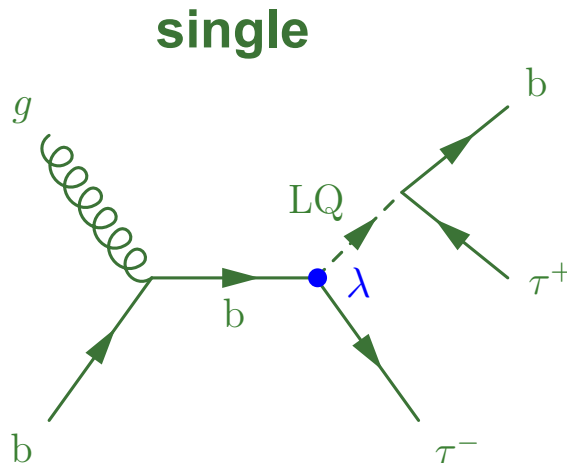
# LQ<sub>3</sub> SEARCHES AT CMS



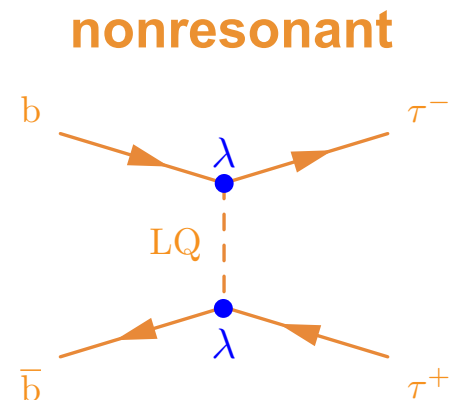
# LQ production at CMS



- 😊 large,
- 😊 model independent
- 😊 resonant



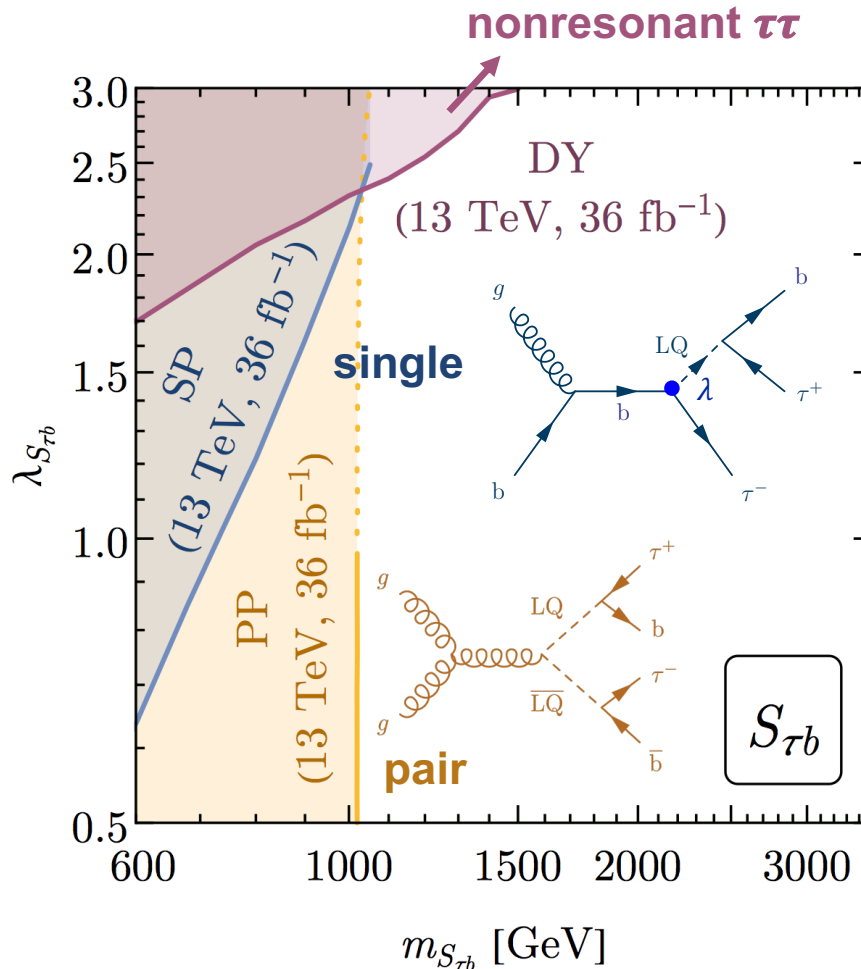
- 😊  $\sigma \propto \lambda^2$
- 😞 b-PDF suppression
- 😞 width  $\propto \lambda^2$



- 😊  $\sigma \propto \lambda^4$
- 😱 ( PDF suppression )<sup>2</sup>
- 😞 wide resonance  
but kinematics  
largely independent  
of  $\lambda$  and mass

# Exclusion in $\lambda$ vs. mass space

use the fact that single production has  $\sigma \sim \lambda^2$ ,  
 and nonresonant  $\tau\tau$  production  $\sigma \sim \lambda^4$   
 to exclude higher masses & couplings  $\lambda$



# LQ decay signatures at CMS

analyses often use a **parameter  $\beta$** :

$$\mathcal{B}(\text{LQ} \rightarrow q\ell) = \beta$$

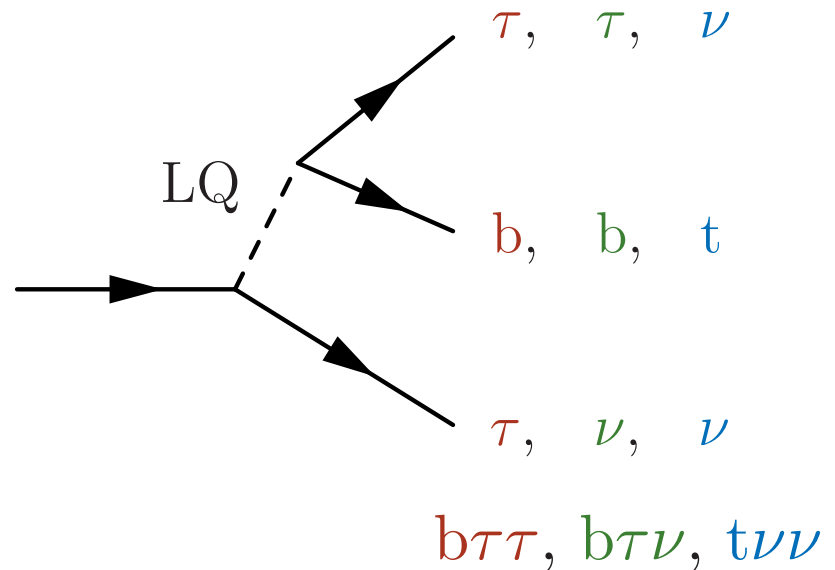
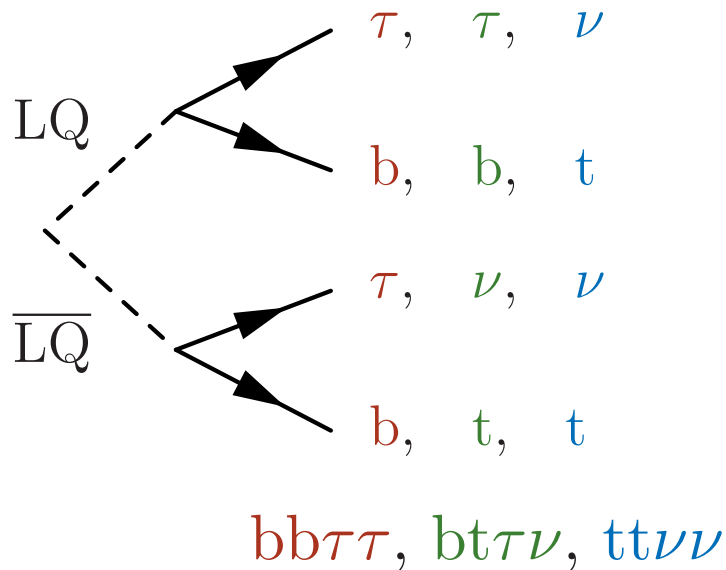
$$\mathcal{B}(\text{LQ} \rightarrow q'\nu) = 1 - \beta$$

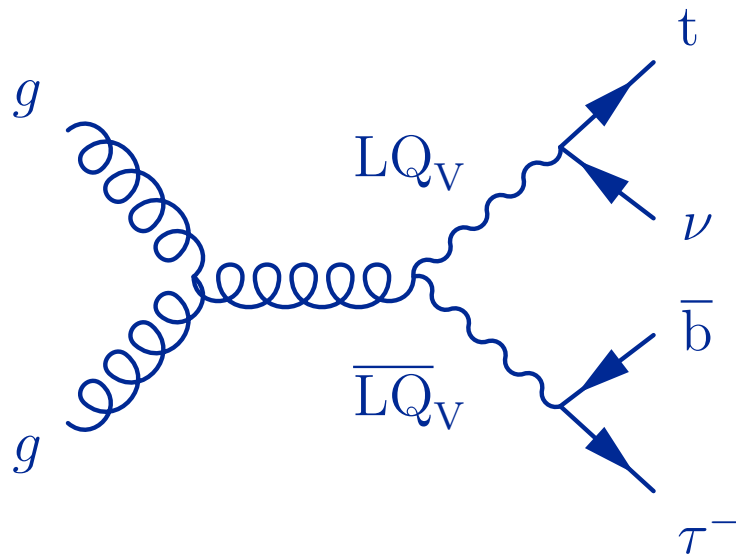
typical benchmarks  $\beta = 0, 0.5, 1$

e.g. **purely third-generation  $\text{LQ}_3$** :

$$\mathcal{B}(\text{LQ}_3 \rightarrow b\tau) = \beta$$

$$\mathcal{B}(\text{LQ}_3 \rightarrow t\nu_\tau) = 1 - \beta$$

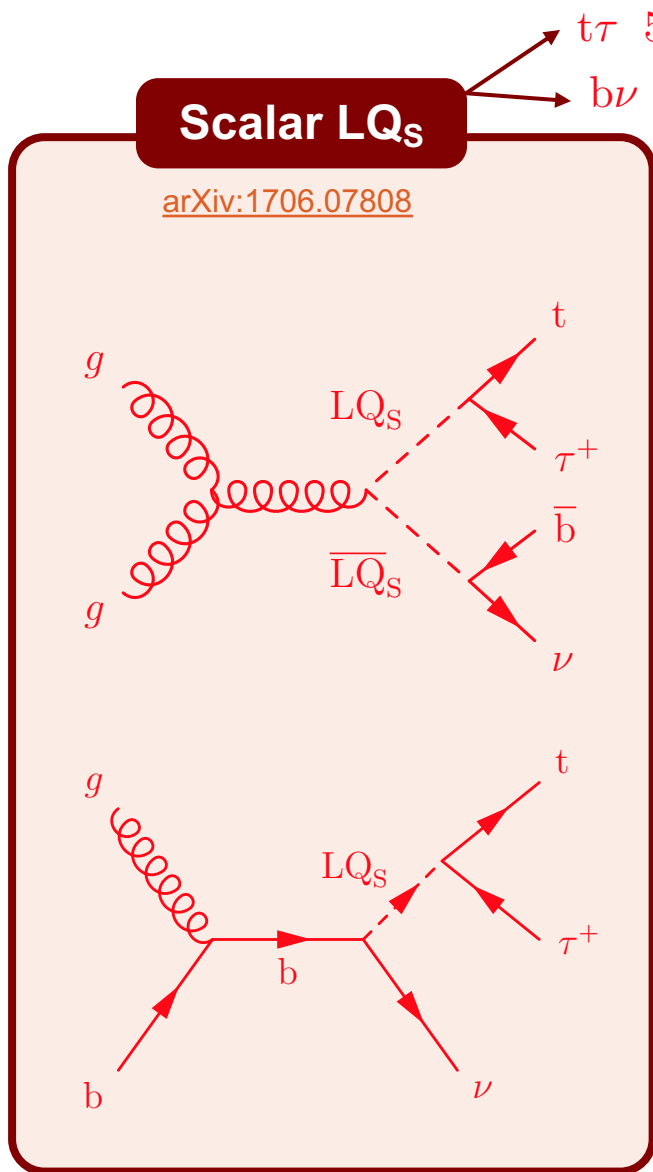




**$LQ_3 \rightarrow b\tau, t\nu$**

**EXO-19-015 ( $\beta = 0.5$ )**

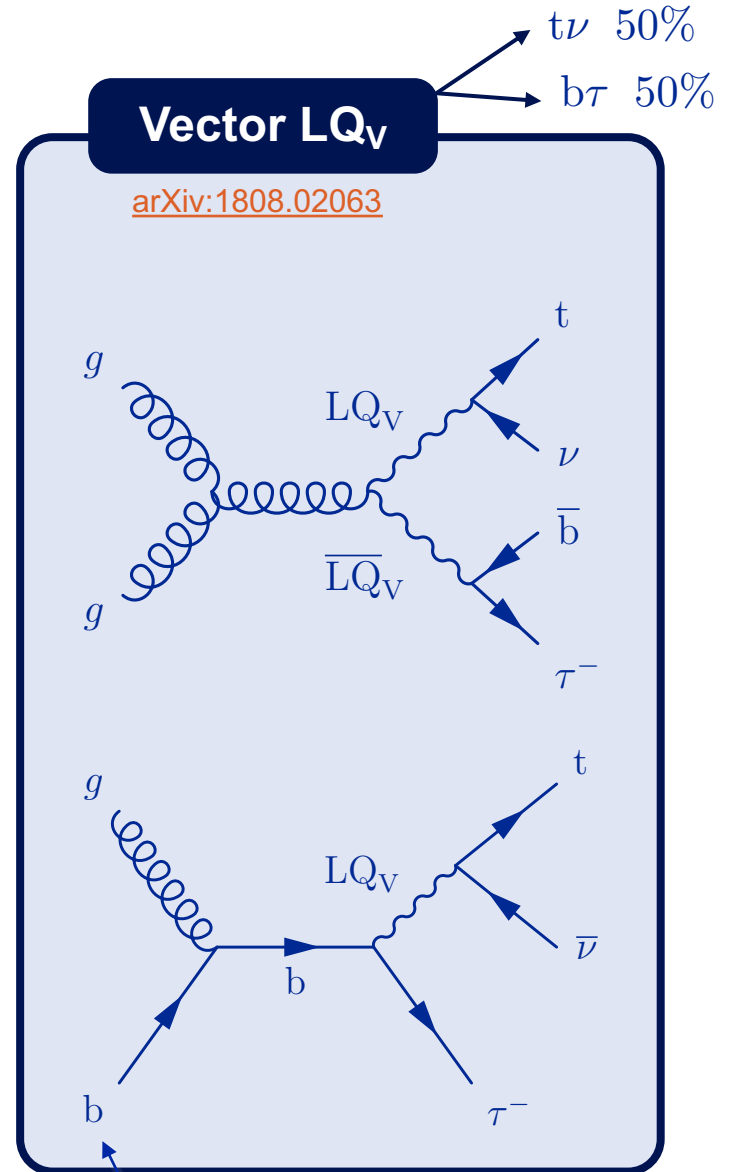
# $LQ_3 LQ_3 \rightarrow t\nu b\tau / t\tau b\nu$



pair final state  
 **$t\nu b\tau$**

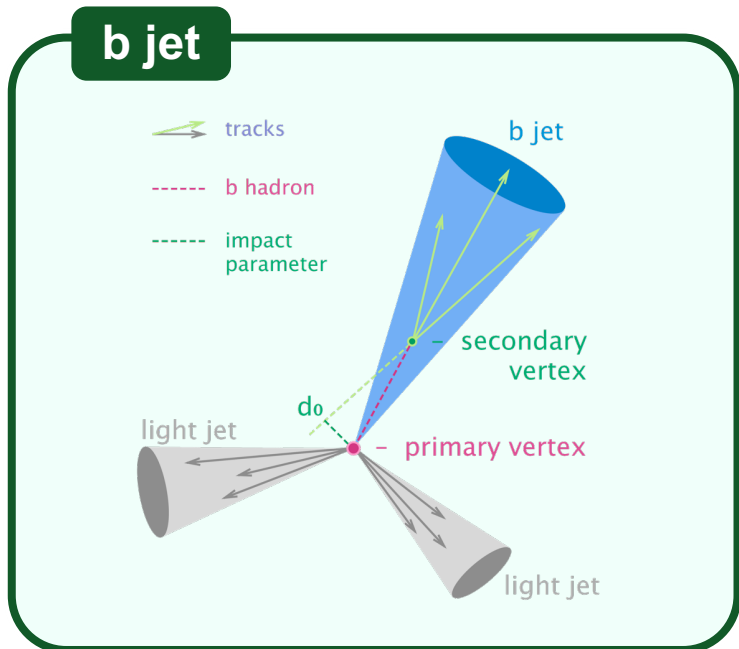
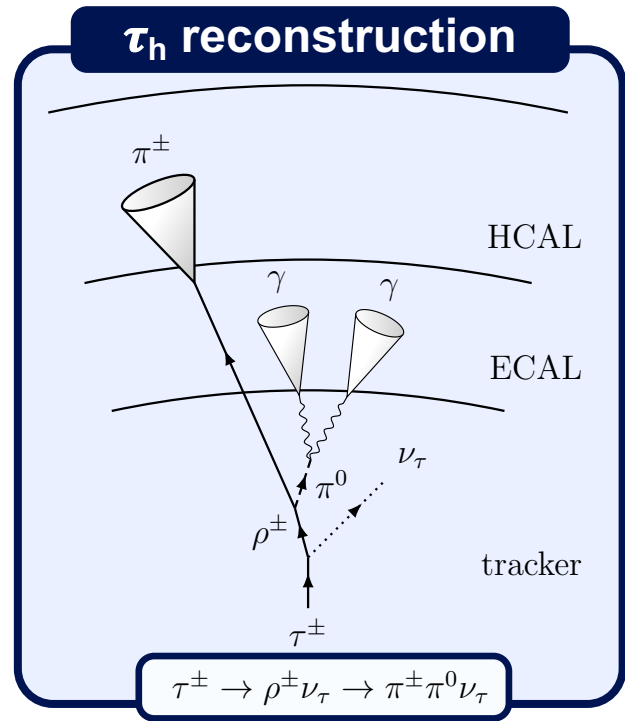
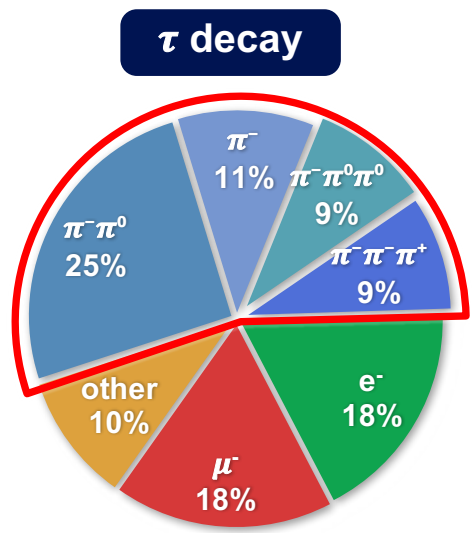
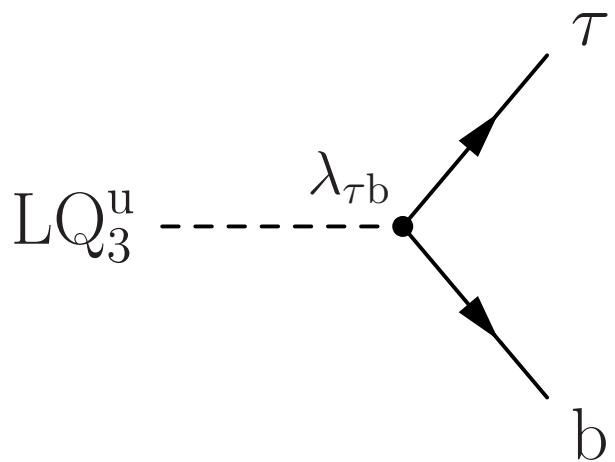
single final state  
 **$t\nu(b)\tau$**

↑  
 gluon  
 splitting

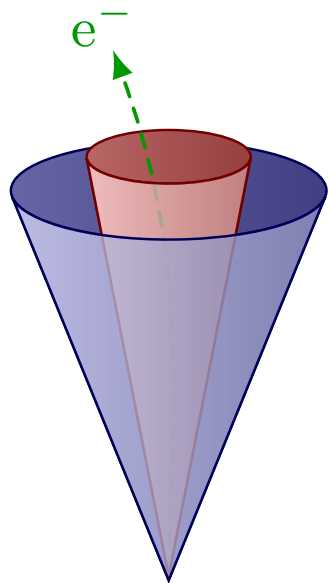


top PDF heavily suppressed

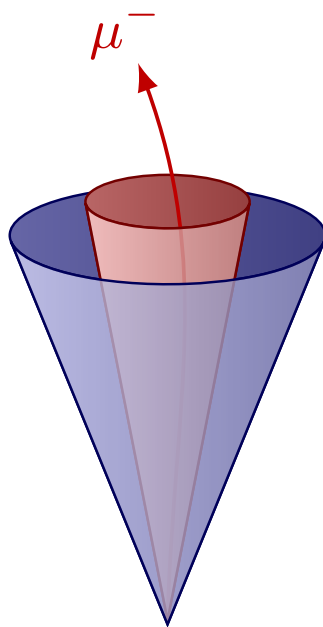
# $LQ_3 \rightarrow b\tau$ reconstruction



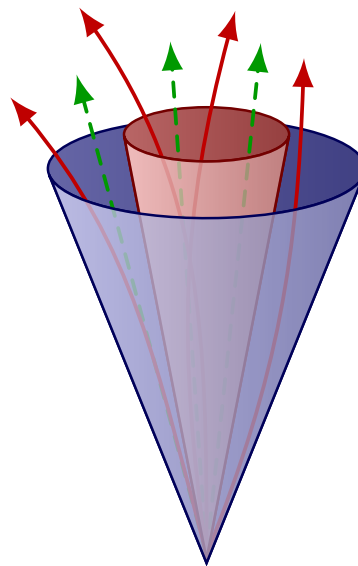
# $\tau_h$ background



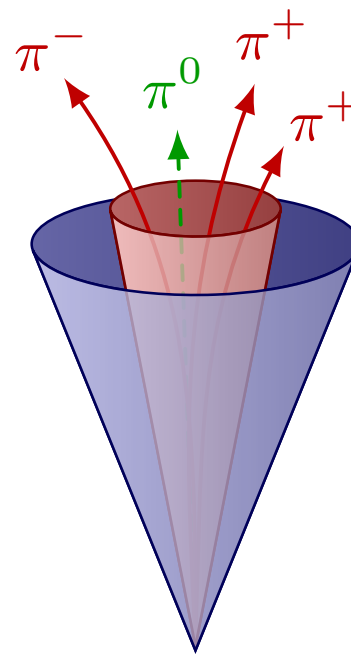
$e \rightarrow \tau_h$  fake



$\mu \rightarrow \tau_h$  fake



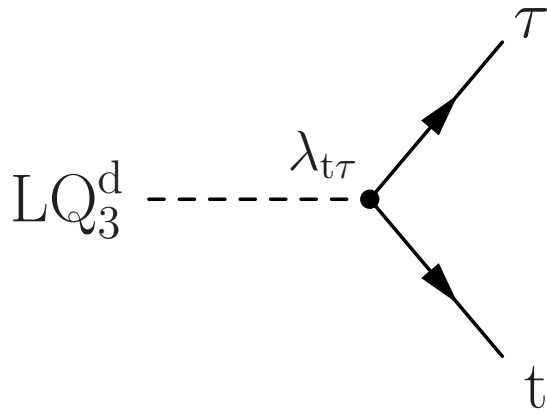
$j \rightarrow \tau_h$  fake



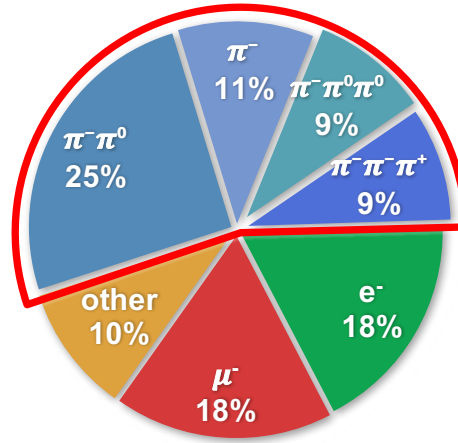
real  $\tau_h$

$\Rightarrow$  need for an efficient **identification algorithm**

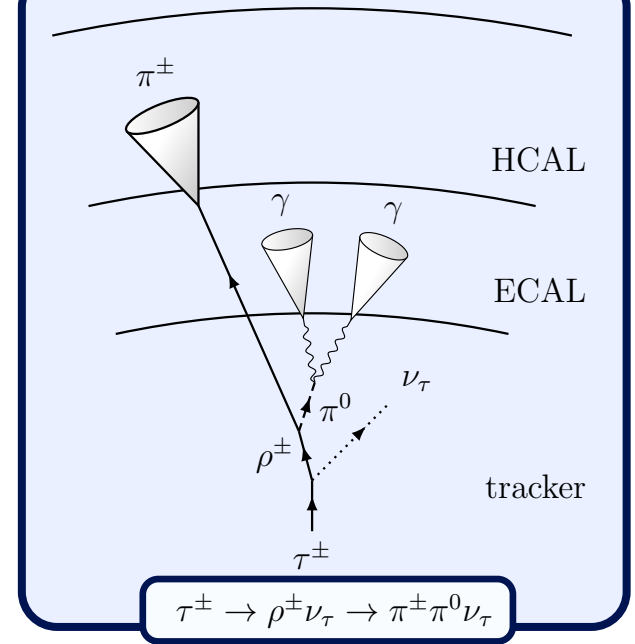
# $LQ_3 \rightarrow t\tau$ reconstruction



$\tau$  decay

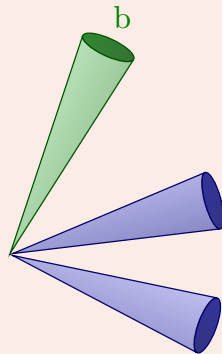


$\tau_h$  reconstruction

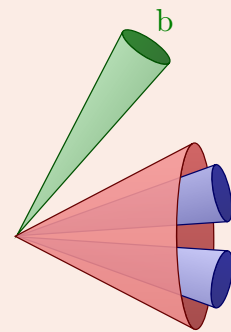


top jet

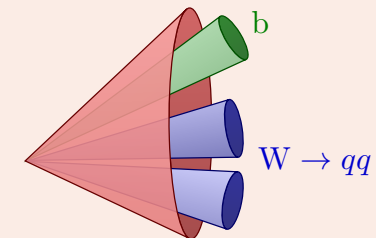
$$t \rightarrow bW \rightarrow bjj$$



resolved



partially merged



fully merged

boosted



# $LQ_3 LQ_3 \rightarrow tvb\tau / \tau bv$ strategy

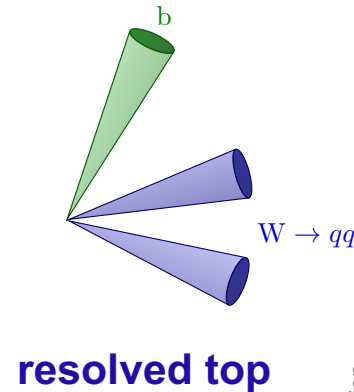
- reconstruct  $\tau$  lepton in fully hadronic final state
- reconstruct top in fully hadronic final state:

- resolved:** 3 AK4 jets
- boosted,** partially merged
- boosted,** fully merged

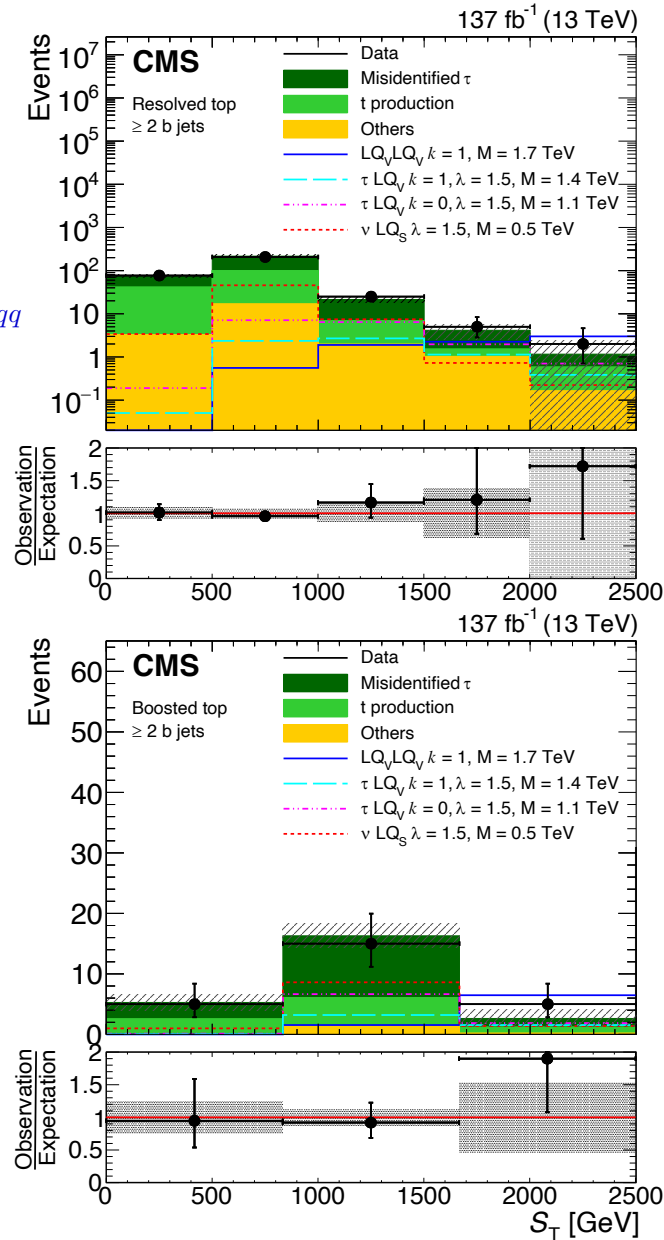
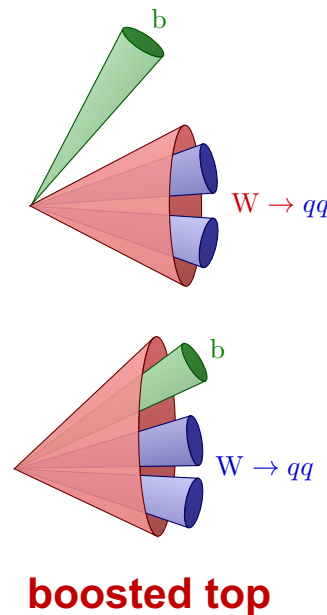
- four categories:
  - two b jet categories: 1b,  $\geq 2$ b
  - resolved** or **boosted top**
- fit scalar sum  $p_T$

$$S_T = p_T^t + p_T^{\tau_h} + p_T^{\text{miss}}$$

- single + pair is one signal

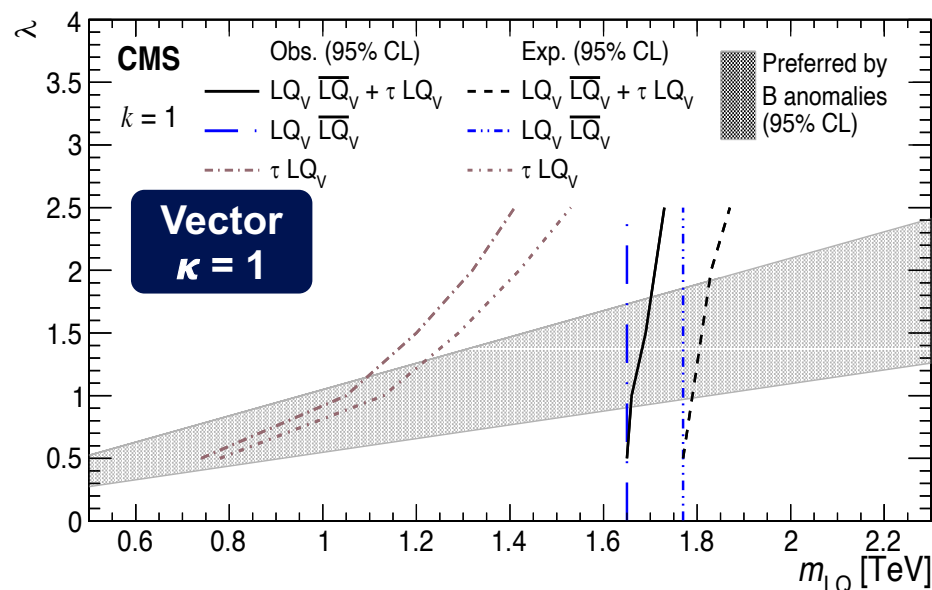
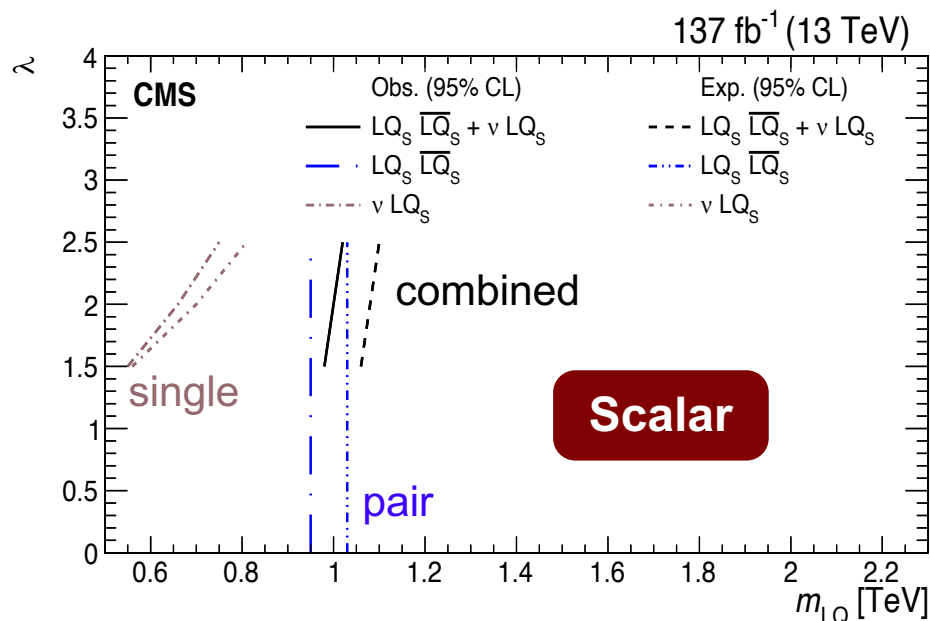


$$t \rightarrow bW \rightarrow bj\bar{j}$$



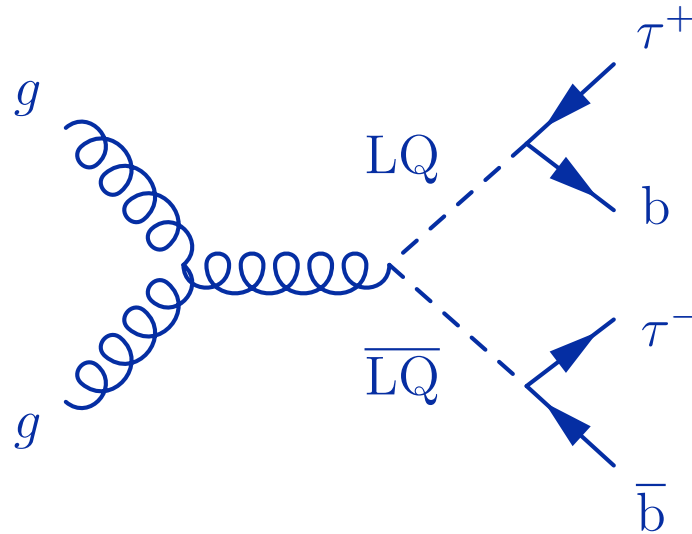
# $LQ_3 LQ_3 \rightarrow \tau \nu b \tau / \tau \nu b \nu$ results

no significant excess above the SM expectation observed



	$LQ_S$ (TeV)	
Pair	0.95 (1.03)	
	$\lambda = 1.5$	2.5
Single	0.55 (0.56)	0.75 (0.81)
Pair+Single	0.98 (1.06)	1.02 (1.10)
	Obs. (Exp.)	

	$LQ_V, k = 0$ (TeV)		$LQ_V, k = 1$ (TeV)	
Pair	1.29 (1.39)		1.65 (1.77)	
	$\lambda = 1.5$	2.5	1.5	2.5
Single	1.03 (1.12)	1.25 (1.35)	1.20 (1.29)	1.41 (1.53)
Pair+Single	1.34 (1.46)	1.41 (1.54)	1.69 (1.81)	1.73 (1.87)



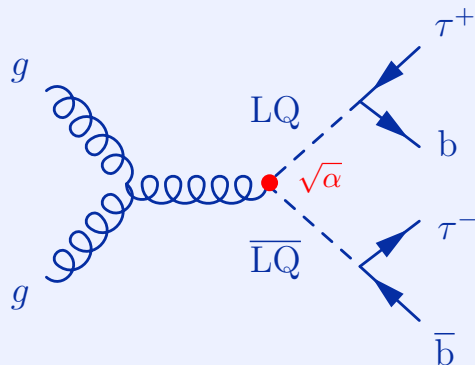
**$LQ_3 \rightarrow b\tau$**

**EXO-19-016, HIG-21-001, ( $\beta = 1$ )**

# LQ → bτ production at CMS

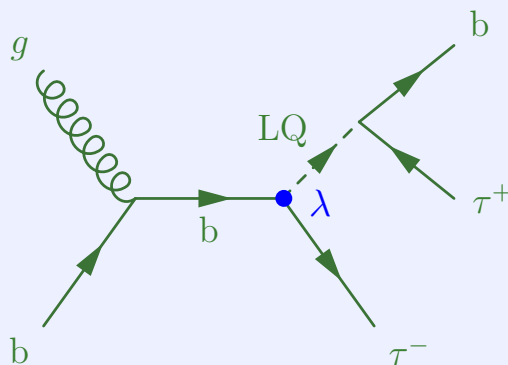
## resonant

### pair



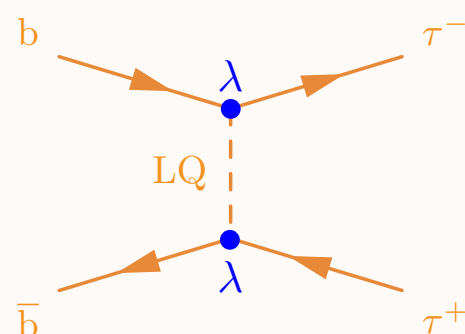
- 😊 large
- 😊 model independent

### single



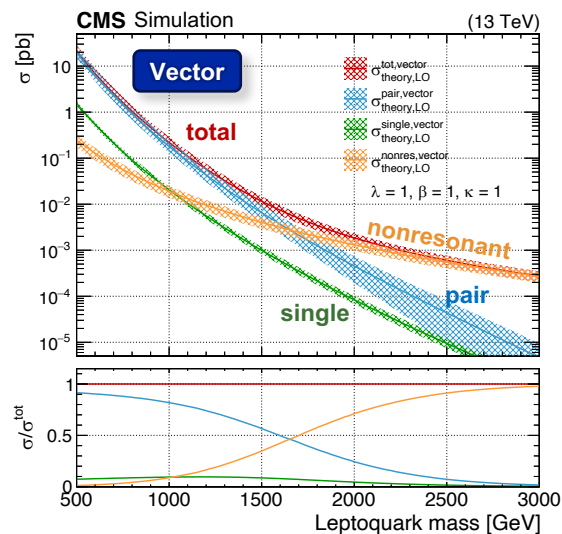
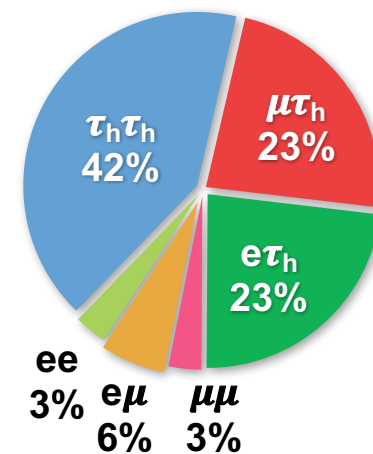
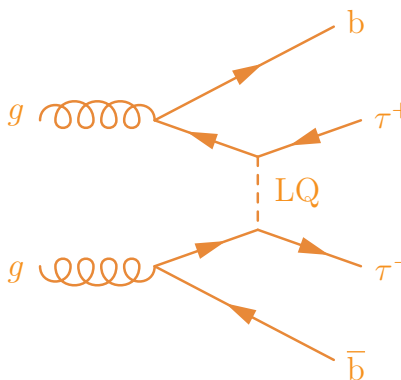
- 😊  $\sigma \propto \lambda^2$
- 😞 b-PDF suppression
- width  $\propto \lambda^2$

## nonresonant

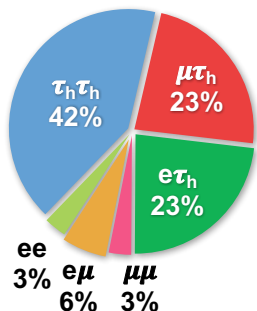


- 😊  $\sigma \propto \lambda^4$
- 😱 ( PDF suppression )<sup>2</sup>
- 😞 nonresonant

⇒ (b)(b)ττ signature



# Summary of event categorization



$e\tau_h$ ,  $\mu\tau_h$ ,  $\tau_h\tau_h$ ,  $e\mu$  &  $\mu\mu$  pre-selections,  $p_T > 50$  GeV

$\geq 1$  jet ( $p_T > 50$  GeV)

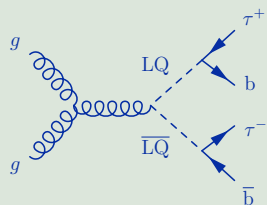
Loose DeepCSV  
 $m_{\text{vis}} > 100$  GeV

0 b tag

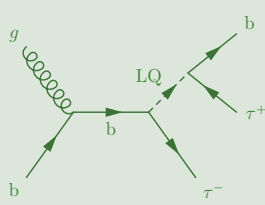
$\geq 1$  b tag

discriminating variable:

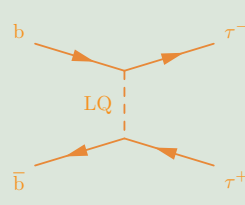
$$S_T^{\text{MET}} = p_T^{\tau_1} + p_T^{\tau_2} + p_T^j + \text{MET}$$



pair



single



nonresonant

0 jet ( $p_T > 50$  GeV)

$m_{\text{vis}}$  bins

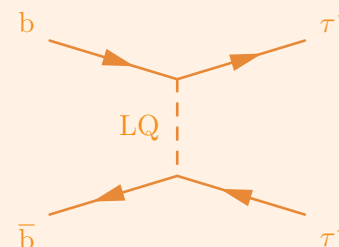
200–400

400–600

>600

discriminating variable:

$$\chi = e^{\Delta\eta}$$



nonresonant

0 b tag

2016

2017

2018

$\geq 1$  b tag

$S_T^{MET}$

3 years

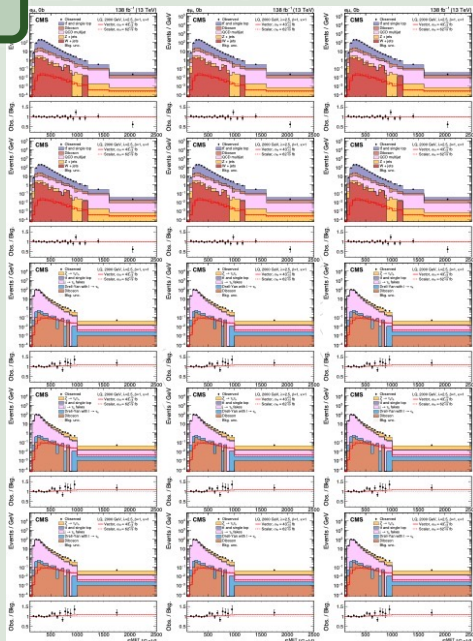
×

5 channels

×

5 categories

$$\chi = e^{\Delta\eta}$$



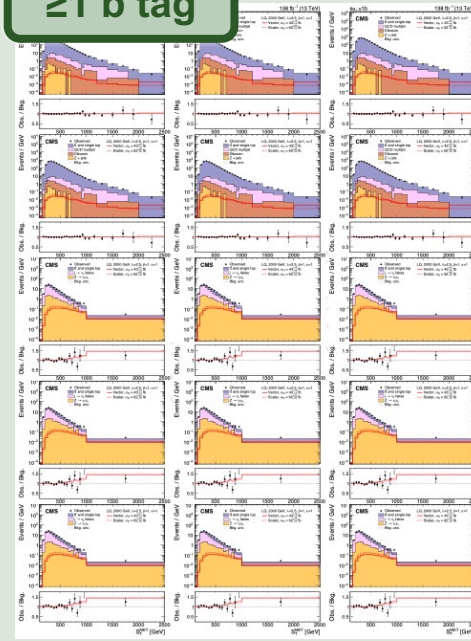
$\mu\mu$

$e\mu$

$e\tau_h$

$\mu\tau_h$

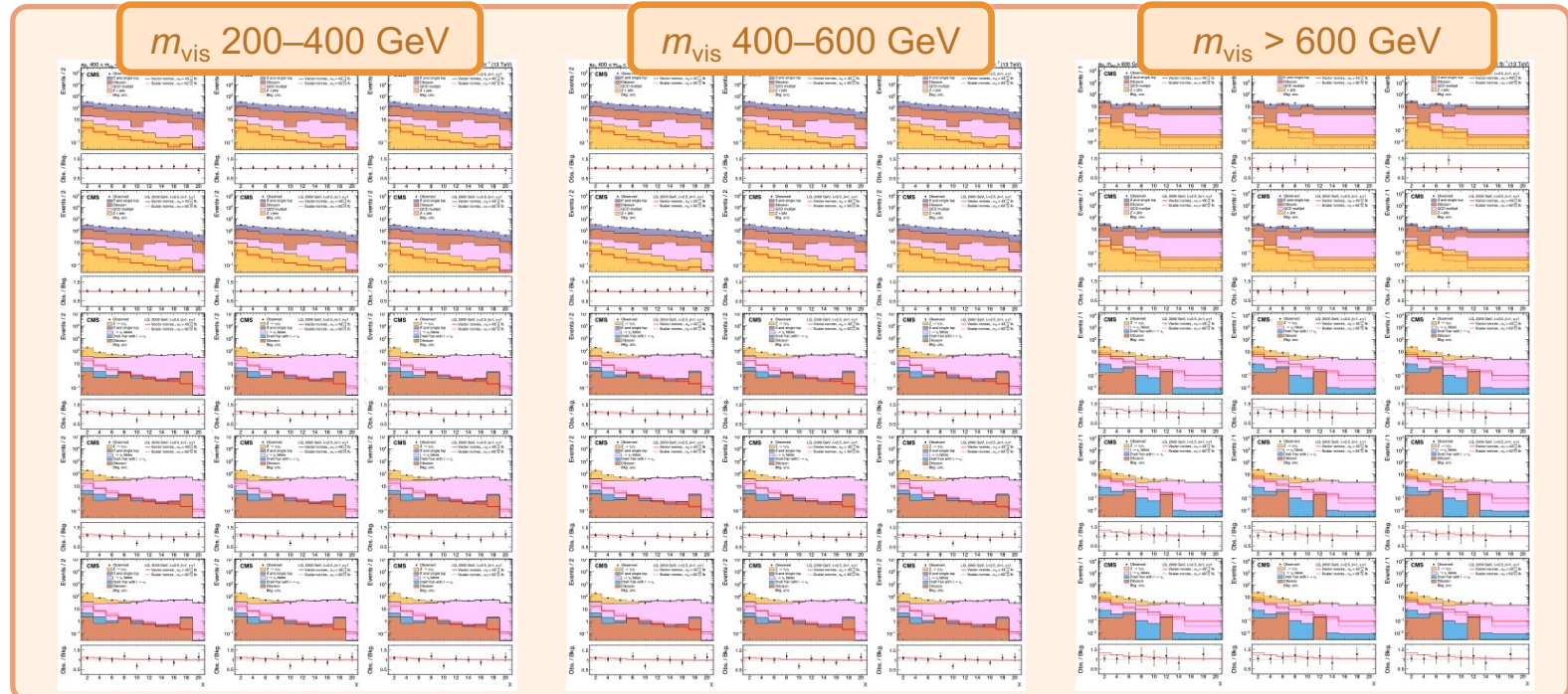
$\tau_h\tau_h$



$m_{vis} 200-400$  GeV

$m_{vis} 400-600$  GeV

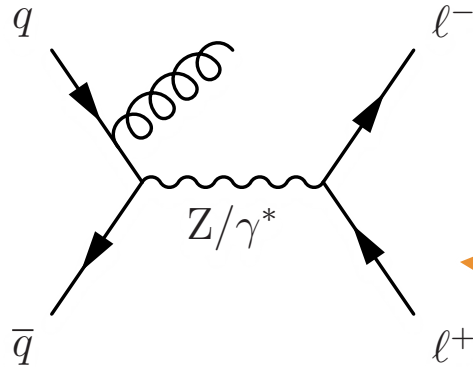
$m_{vis} > 600$  GeV



# Main backgrounds

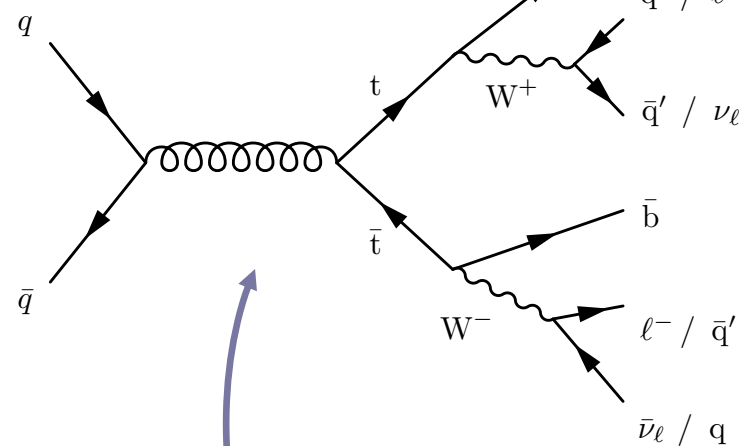
**Drell-Yan + jets**

$$q\bar{q} \rightarrow j\ell\ell^+$$



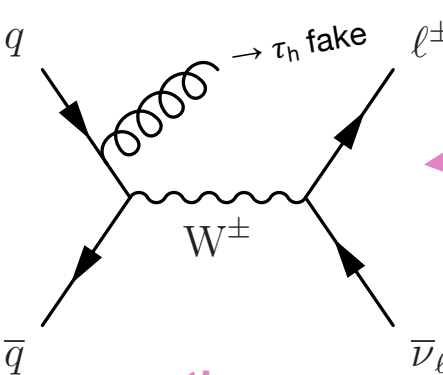
**top quark pair decay**

$$t\bar{t} \rightarrow b\bar{b}WW$$

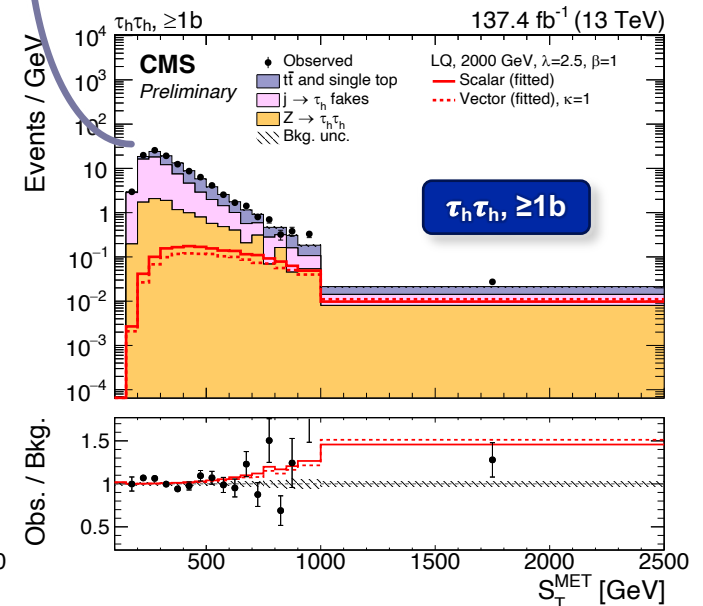
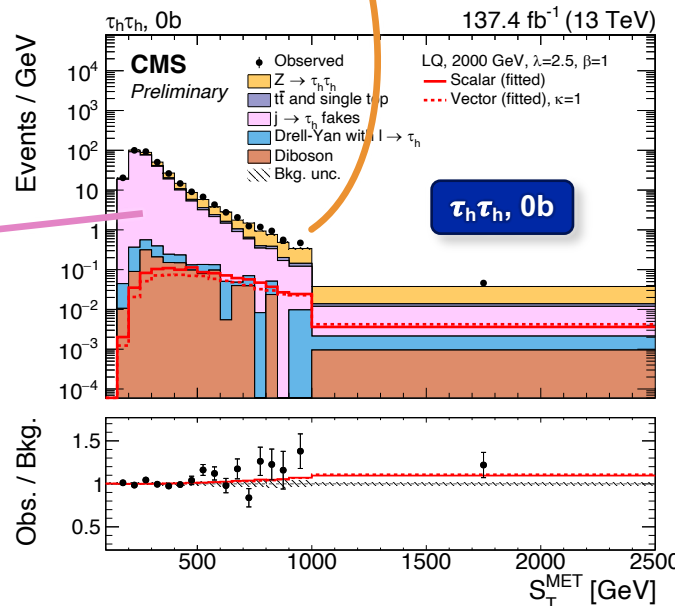


**W + jets**

$$q\bar{q} \rightarrow j\ell\nu^+$$



+ other





# $j \rightarrow \tau_h$ fake background estimation

- background from jets misidentified as  $\tau_h$
- most dominantly from QCD and W + jets
- data-driven “fake factor” method estimates the fake rate and distribution shape from dedicated control regions
- similar to ABCD method, except

1. **fake factors** (FFs) + **closure corrections**

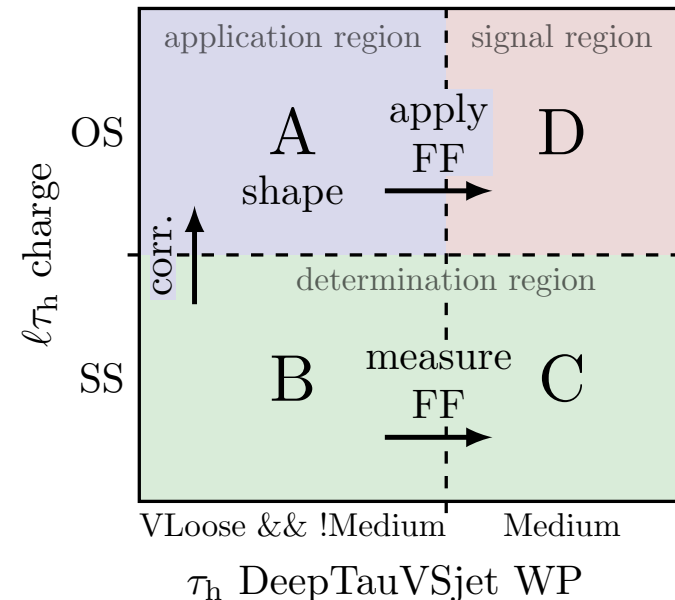
are measured as a function of several variables:  $p_T$ ,  $\Delta R$ , #jets,  $m_{vis}$ , ...

2. FFs are measured separately for **3 backgrounds** (QCD, W+jets, ttbar)

to take into account the relative contribution of their flavor composition

$$N_D = N_A \underbrace{\frac{N_C}{N_B}}_{\text{FF}}$$

$$\text{FF}(p_T^{\tau_h}, \dots) = \frac{N(\text{Medium})_{\text{DR}}}{N(\text{VLoose} \&\& \text{!Medium})_{\text{DR}}}$$

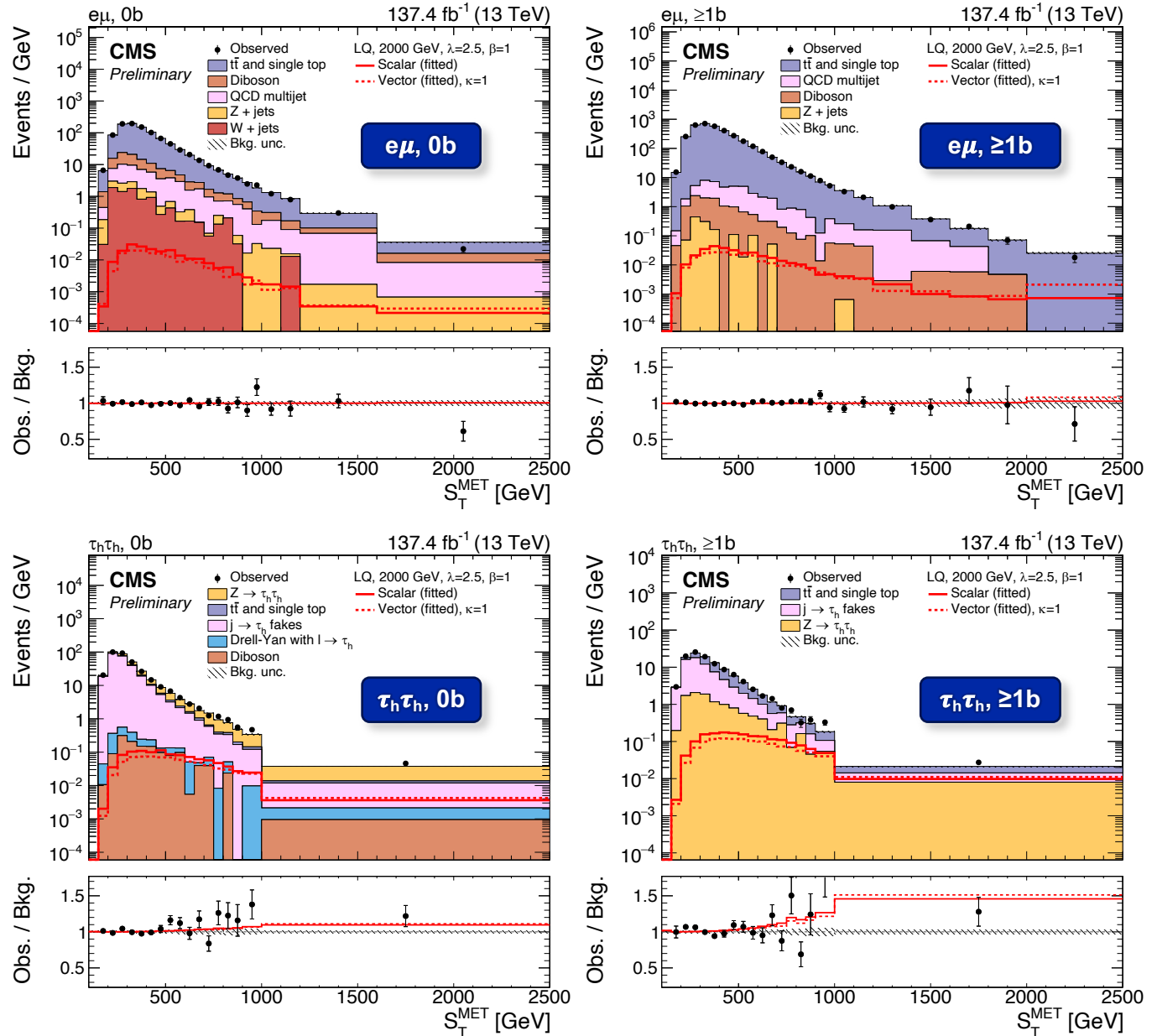




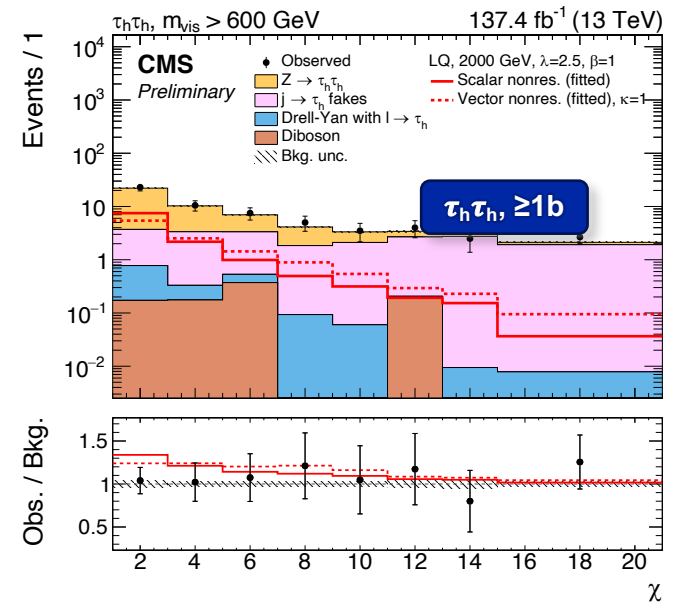
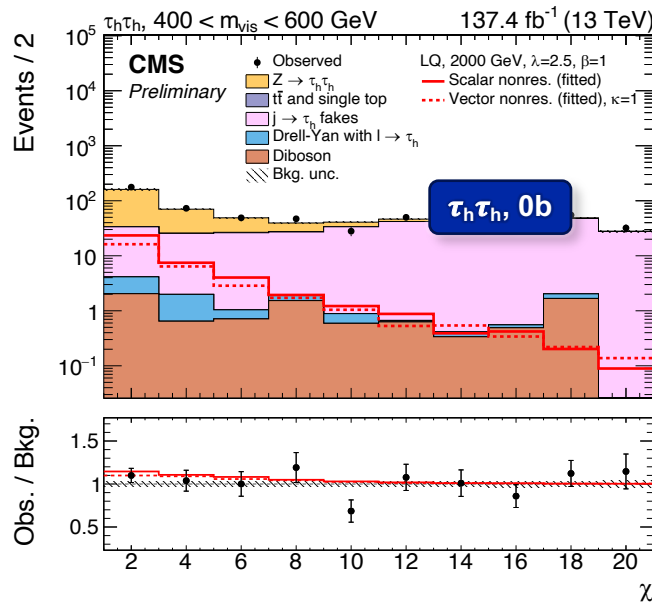
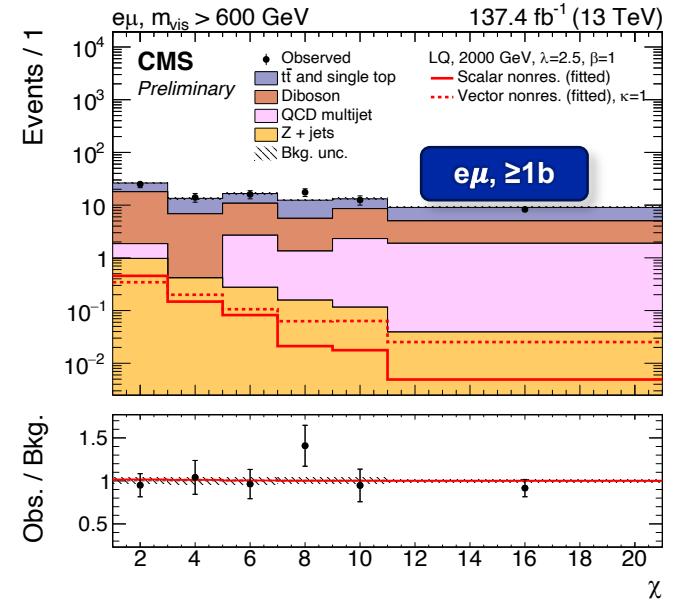
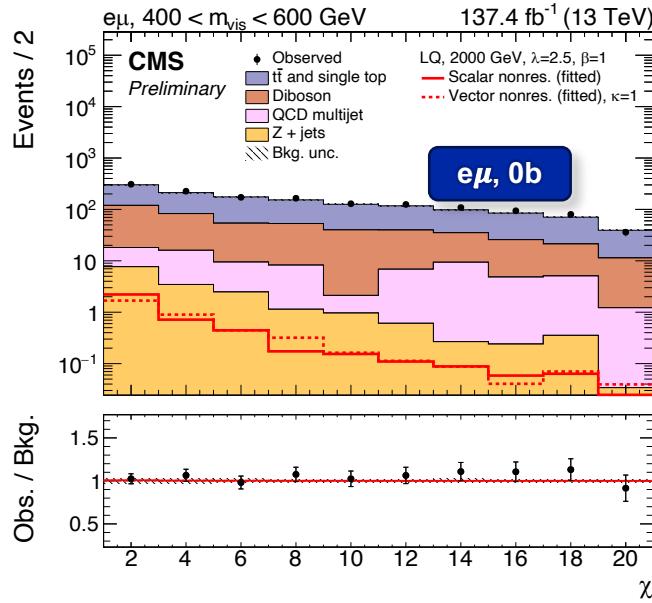
# Postfit $S_T^{\text{MET}}$ distributions in $0b$ & $\geq 1b$

2000 GeV  
 $\lambda = 2.5$

for paper, add up  
distributions per year  
for full Run-2 plots

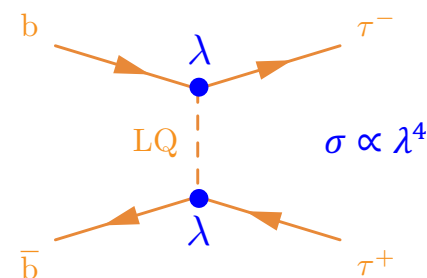
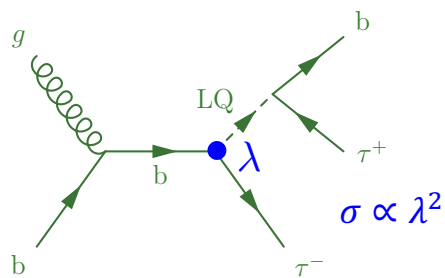
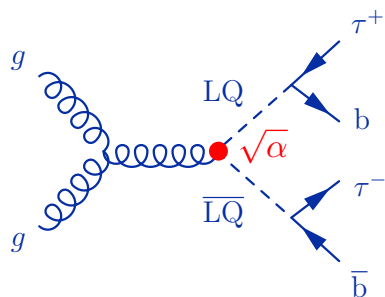


# Postfit $\chi$ distributions in $0j$



for paper, add up distributions per year for full Run-2 plots

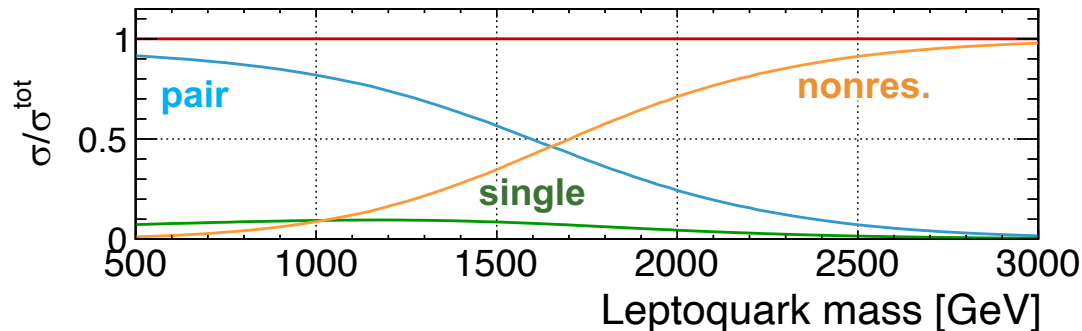
# Definition of signal strength



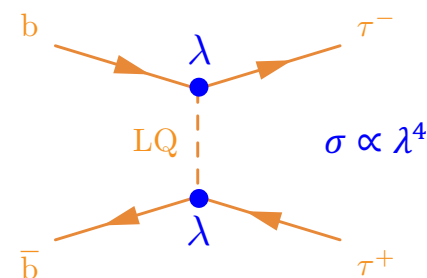
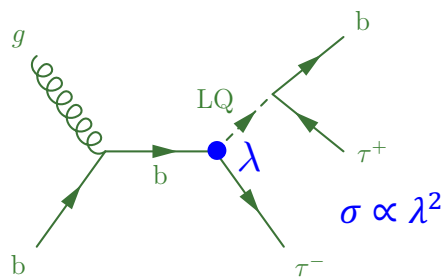
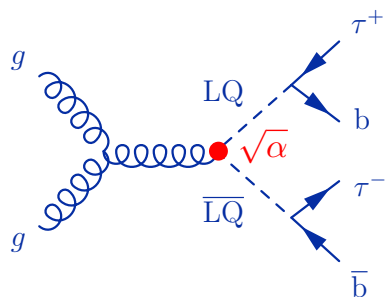
$$r(\text{total}) = r \left( \frac{\sigma_{\text{pair}}}{\sigma_{\text{tot}}} (\text{pair}) + \frac{\sigma_{\text{single}}}{\sigma_{\text{tot}}} (\text{single}) + \frac{\sigma_{\text{nonres}}}{\sigma_{\text{tot}}} (\text{nonres}) \right)$$

$$\approx r \left( \frac{\sigma_{\text{pair}}}{\sigma_{\text{tot}}} (\text{pair}) + \lambda^2 \frac{\sigma_{\text{single}}^{\lambda=1}}{\sigma_{\text{tot}}} (\text{single}) + \lambda^4 \frac{\sigma_{\text{nonres}}^{\lambda=1}}{\sigma_{\text{tot}}} (\text{nonres}) \right)$$

weight by fractional cross section ( $\lambda = 1$ )



# Definition of signal strength

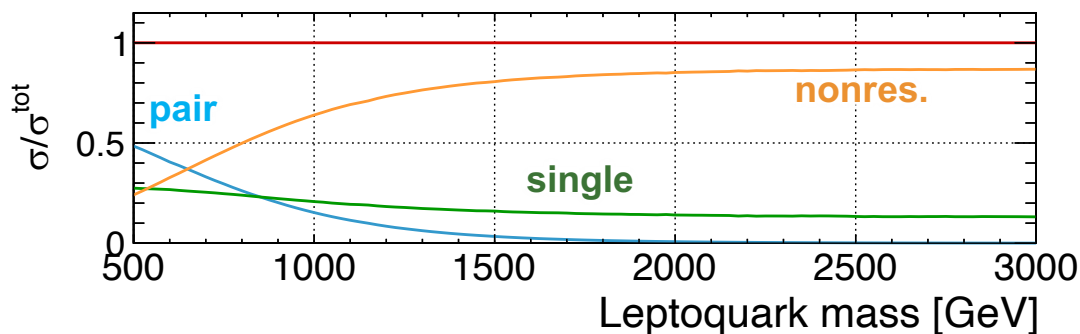


$$r(\text{total}) = r \left( \frac{\sigma_{\text{pair}}}{\sigma_{\text{tot}}} (\text{pair}) + \frac{\sigma_{\text{single}}}{\sigma_{\text{tot}}} (\text{single}) + \frac{\sigma_{\text{nonres}}}{\sigma_{\text{tot}}} (\text{nonres}) \right)$$

$$\approx r \left( \frac{\sigma_{\text{pair}}}{\sigma_{\text{tot}}} (\text{pair}) + \lambda^2 \frac{\sigma_{\text{single}}^{\lambda=1}}{\sigma_{\text{tot}}} (\text{single}) + \lambda^4 \frac{\sigma_{\text{nonres}}^{\lambda=1}}{\sigma_{\text{tot}}} (\text{nonres}) \right)$$

low sensitivity, but dominant at high mass, high  $\lambda$

weight by fractional cross section ( $\lambda = 2.5$ )



benchmarks

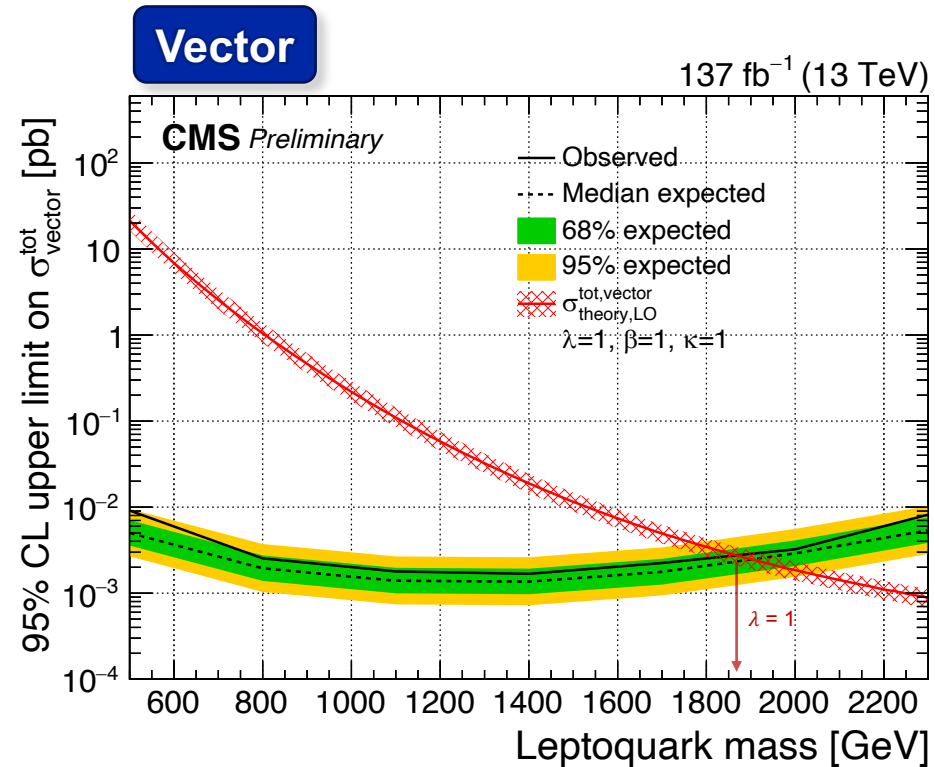
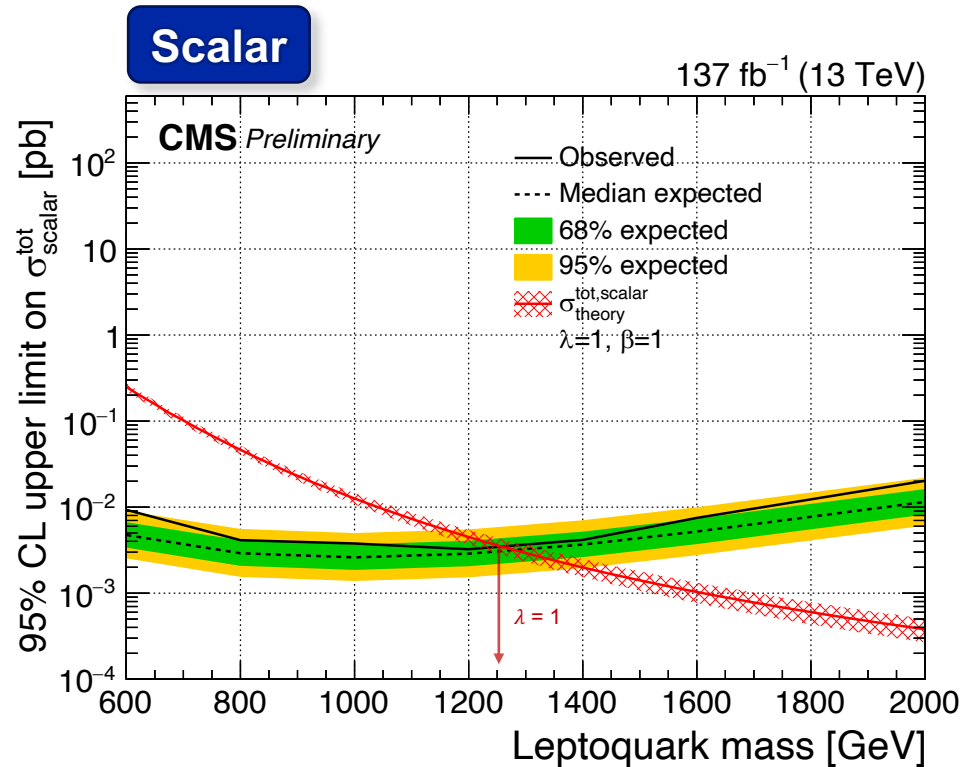
$M = 1400 \text{ GeV}, \lambda = 1$

$M = 2000 \text{ GeV}, \lambda = 2.5$

sensitive to pair

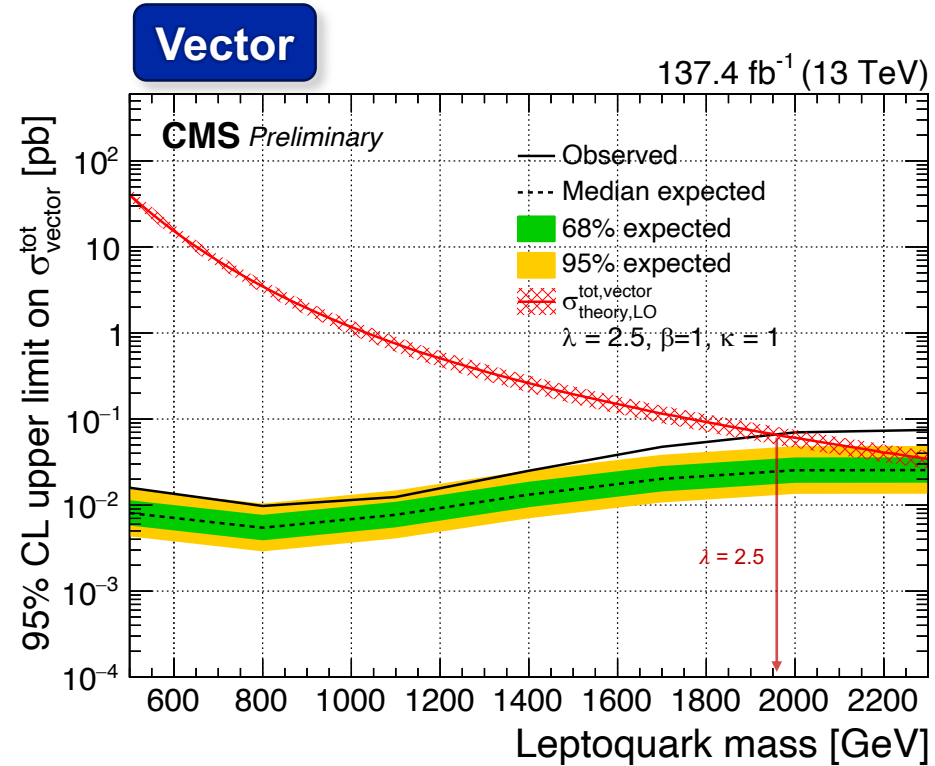
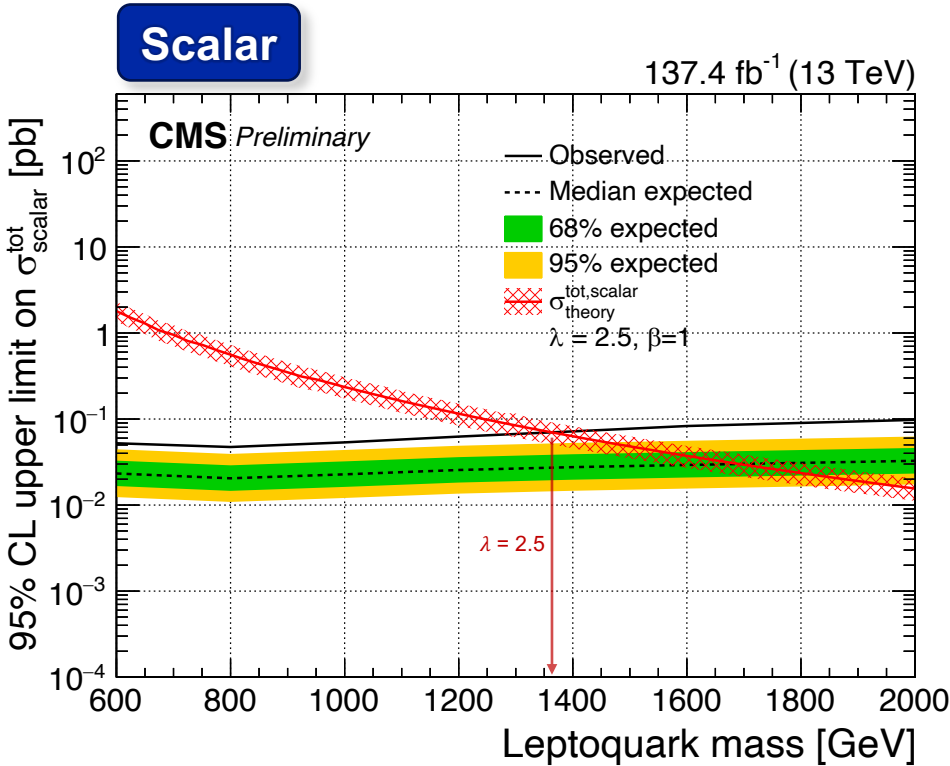
sensitive to nonres.

# Combined upper limit, $\lambda = 1$



- no significant excess over the SM observed
- scalar (vector) LQ excluded up to **1.25 (1.95)** TeV for  $\lambda = 2.5$

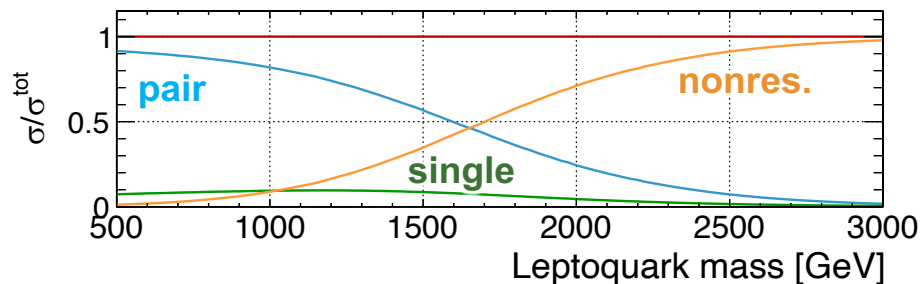
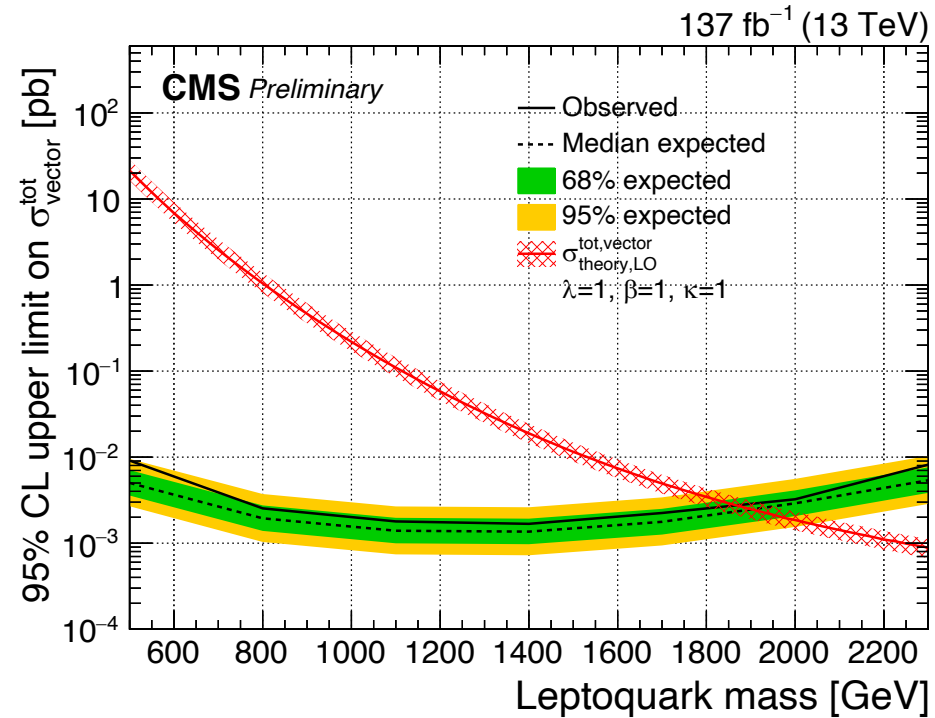
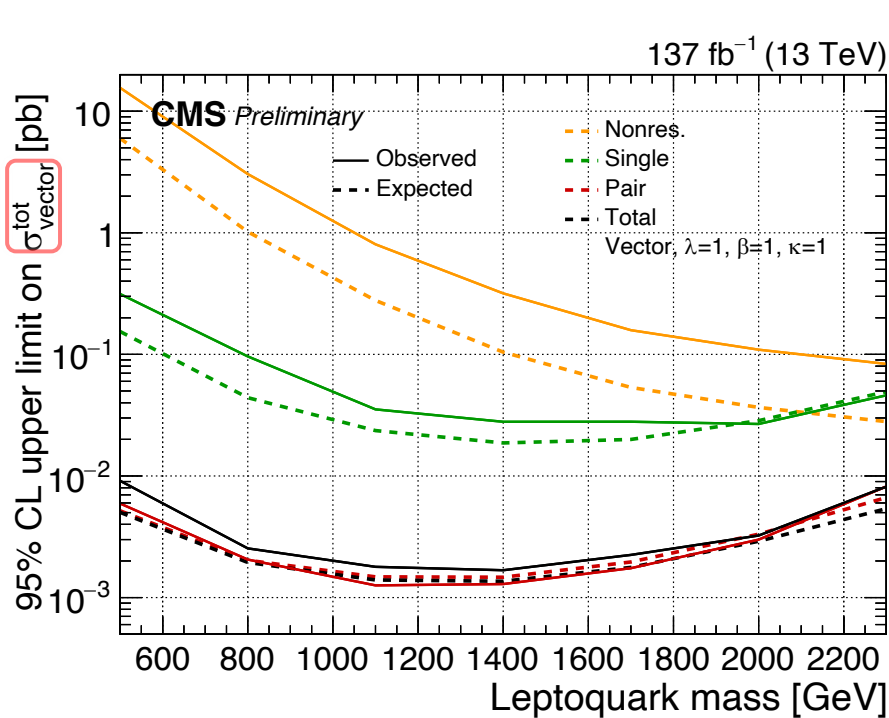
# Combined upper limit, $\lambda = 2.5$



- $\sim 3\sigma$  excess above  $M > 1800$  TeV coming from nonresonant signal
- scalar (vector) LQ excluded up to **1.37 (1.96)** TeV for  $\lambda = 2.5$

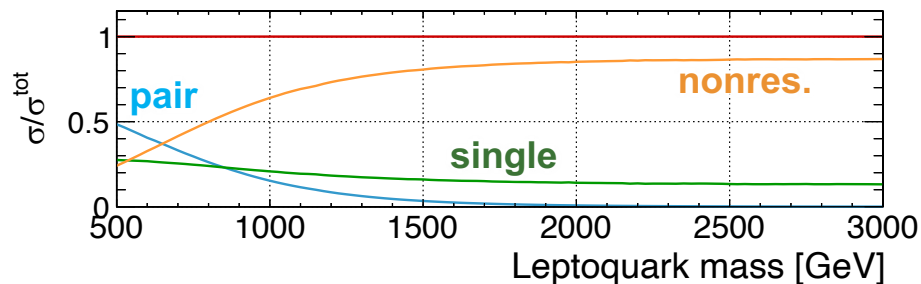
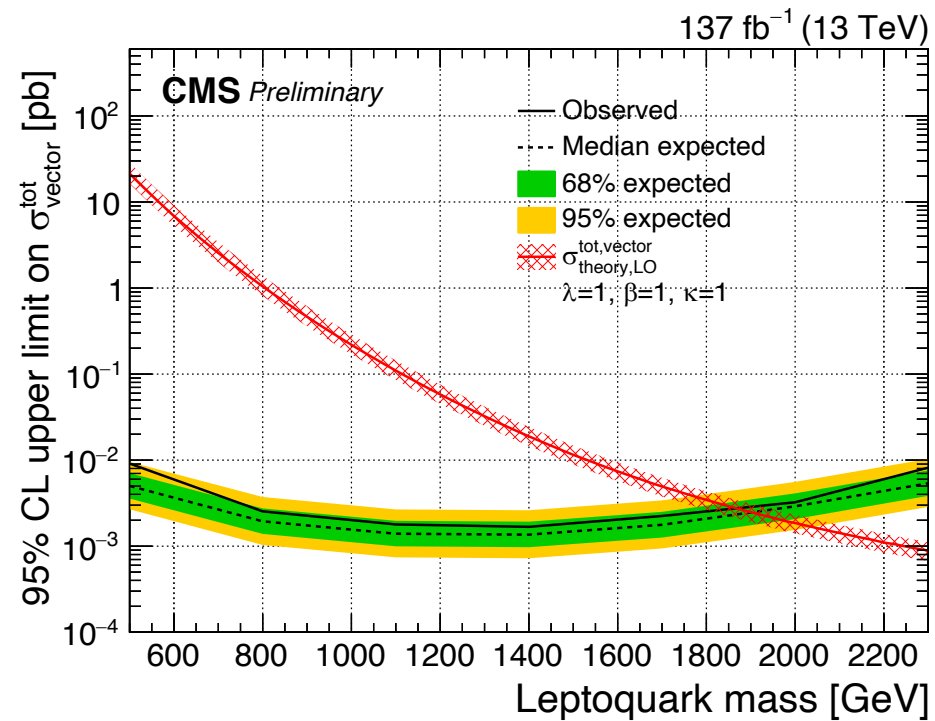
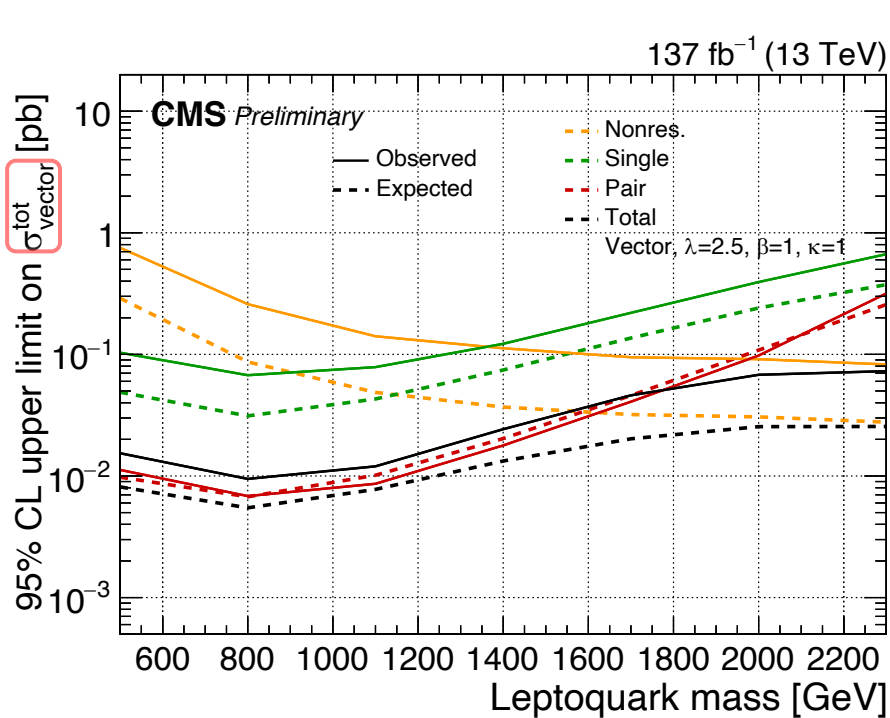
# Comparing production modes

**pair production** most sensitive at  $\lambda = 1$ , as expected



# Comparing production modes

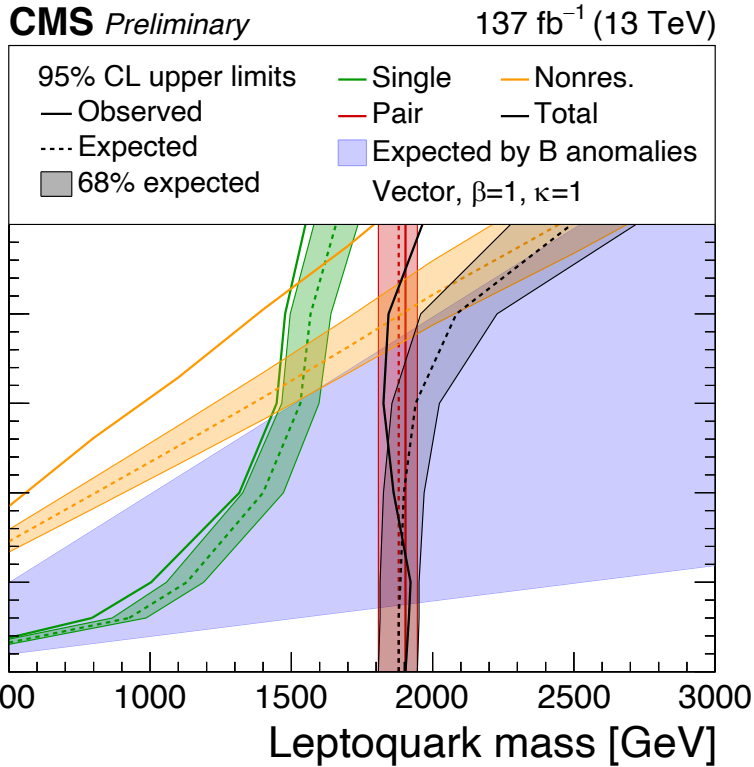
nonresonant production most sensitive at  $\lambda = 2.5$ , as expected





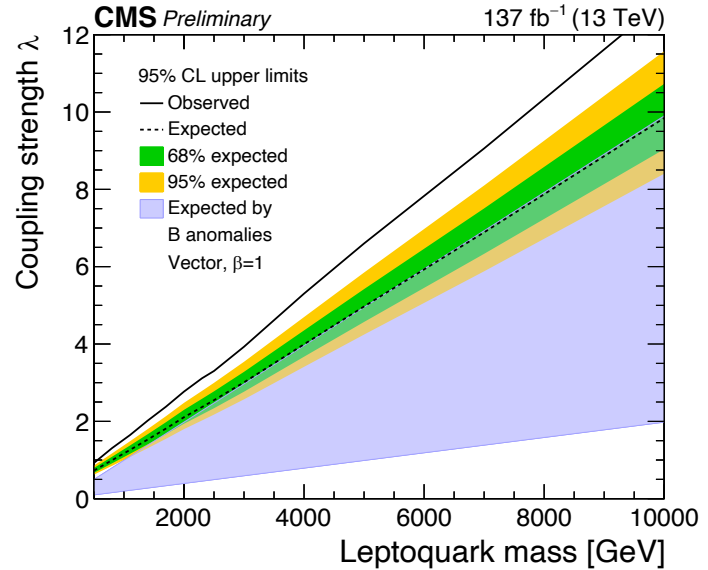
# LQ $\rightarrow$ $b\tau$ exclusion limits of $\lambda$ and mass

## Resonant + nonresonant

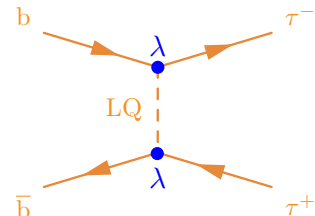
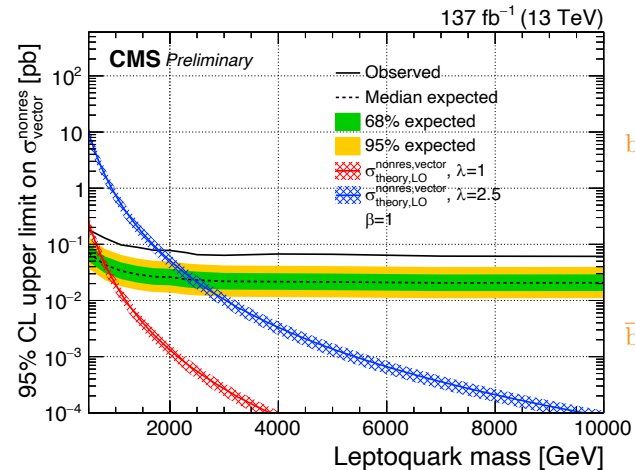


mass limit up to **~1.9 TeV**

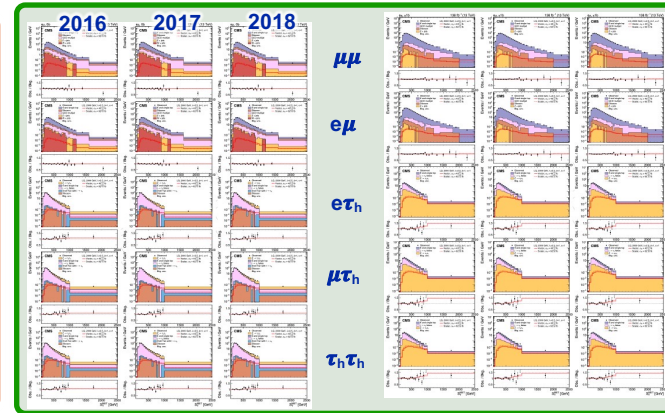
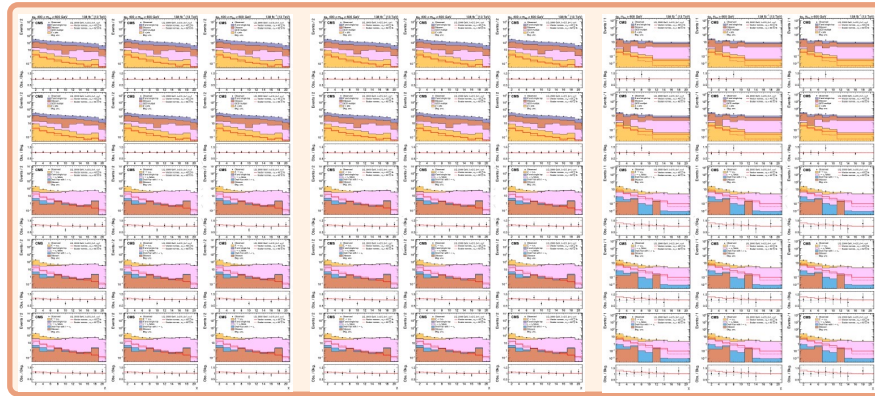
## Nonresonant only



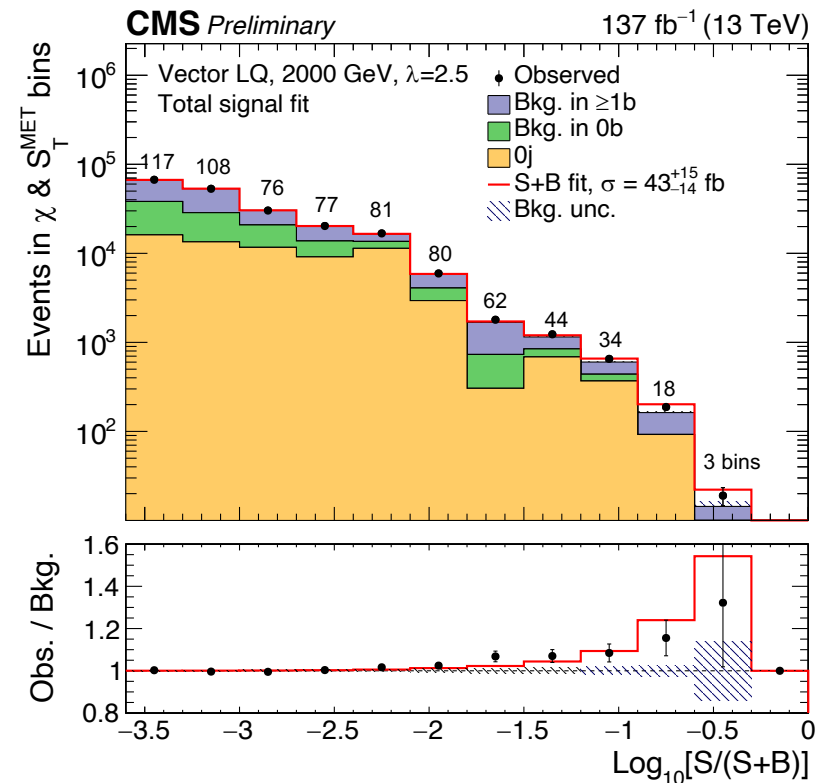
- $\sim 3.5\sigma$  excess in nonresonant channel
- no sensitivity to mass or coupling:



# Reorder bins by $S / (S+B)$

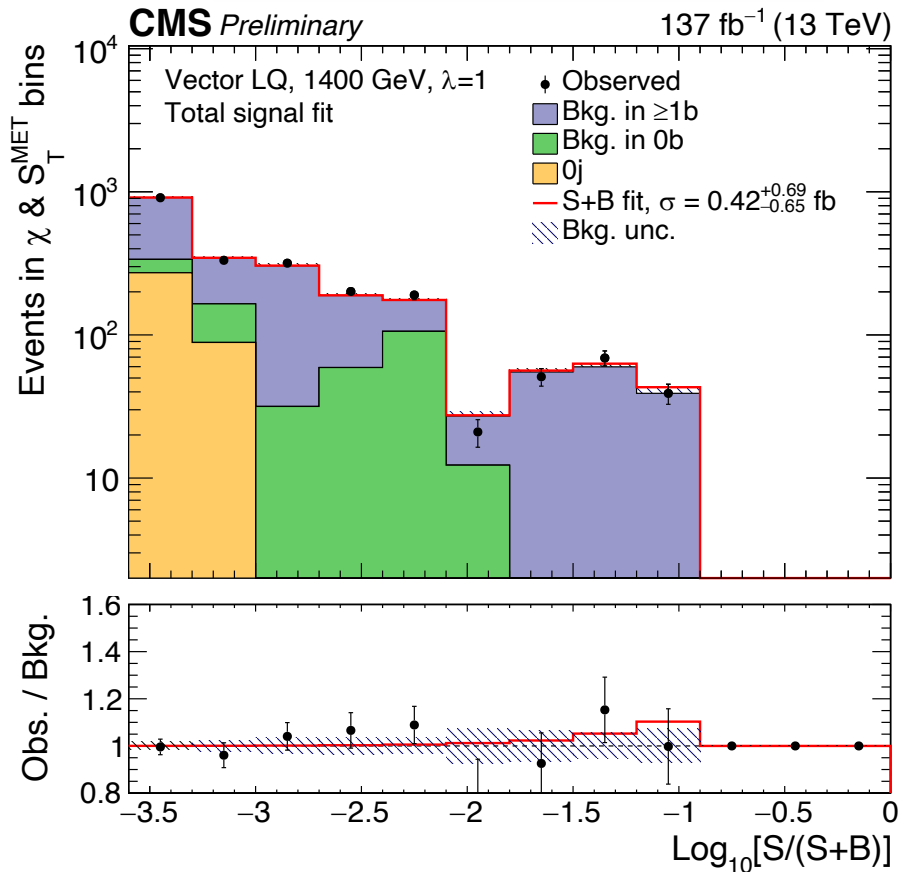


1. fit **total signal (pair+single+nonres)**
2. reorder and stack  $\chi$ ,  $S_T^{\text{MET}}$  bins by  $S/(S+B)$
3. group backgrounds by category

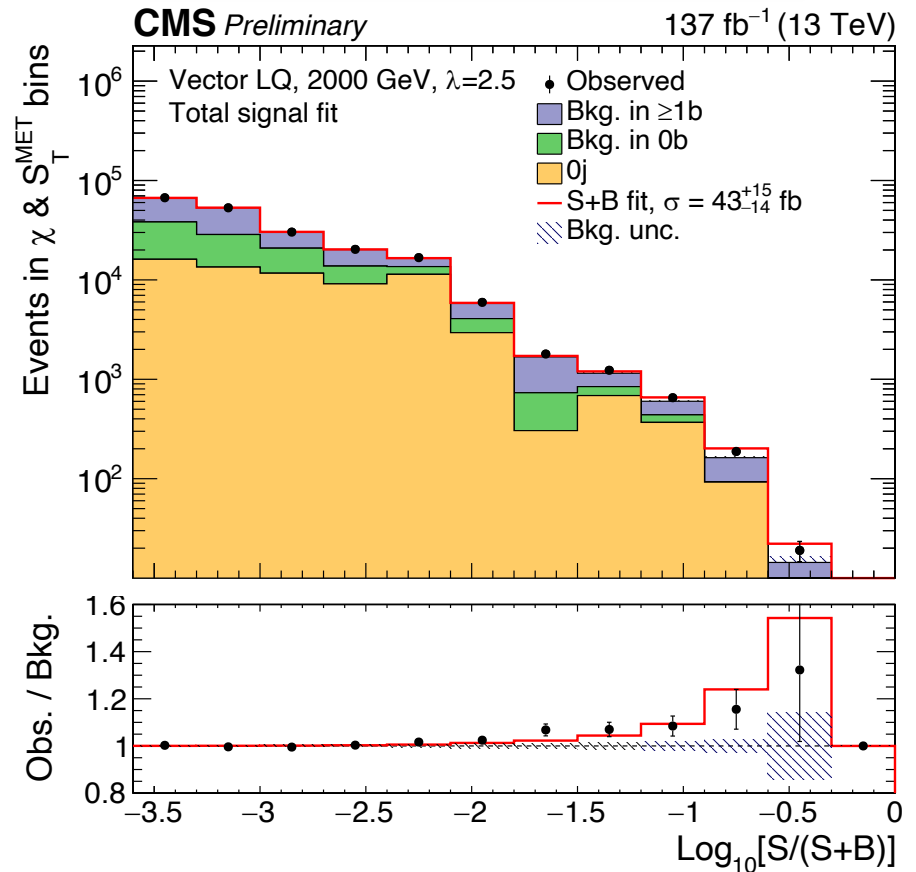


# Reorder bins by $S / (S+B)$

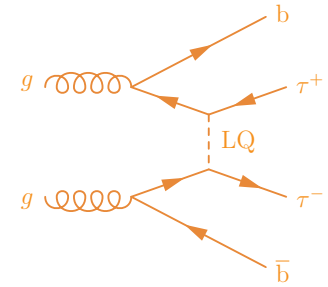
Vector,  $M = 1400$  GeV,  $\lambda = 1$



Vector,  $M = 2000$  GeV,  $\lambda = 2.5$



# Comparison EXO-19-016 & HIG-21-001



	EXO-19-019	HIG-21-001
jet categories	“0j”: veto jets $p_T > 50$ GeV “ $\geq 1j$ ” with $p_T > 50$ GeV, $m_{\text{vis}} > 100$ GeV <ul style="list-style-type: none"> <li>• “0b” = “0b<math>\geq 1j</math>”</li> <li>• “<math>\geq 1b</math>”</li> </ul>	“No b tag” (no jet requirement) “B tag” with $p_T > 20$ GeV
observables	$\chi$ , $S_T^{\text{MET}}$	$m_T^{\text{tot}}$
Drell-Yan estimation	MC + Z $p_T$ corrections from $\mu\mu$	Data-driven with “embedded” samples (from $\mu\mu$ events)
$j \rightarrow \tau_h$ estimation	Data-driven, “fake-factor” method	Data-driven, “fake-factor” method

[EXO-19-016](#)

[HIG-21-001, arXiv:2208.02717](#)

$$\lambda_{\ell q} = \lambda \cdot \begin{matrix} d/u' \\ s/c' \\ b/t' \end{matrix} \begin{pmatrix} e/\nu_e & \mu/\nu_\mu & \tau/\nu_\tau \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

“best-fit” to B anomalies

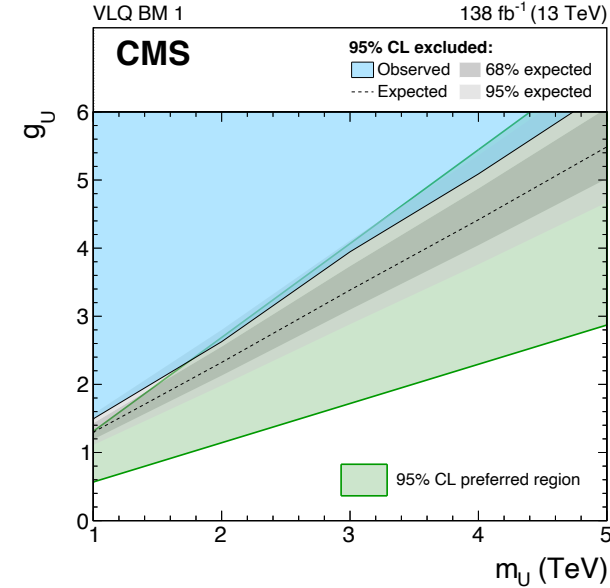
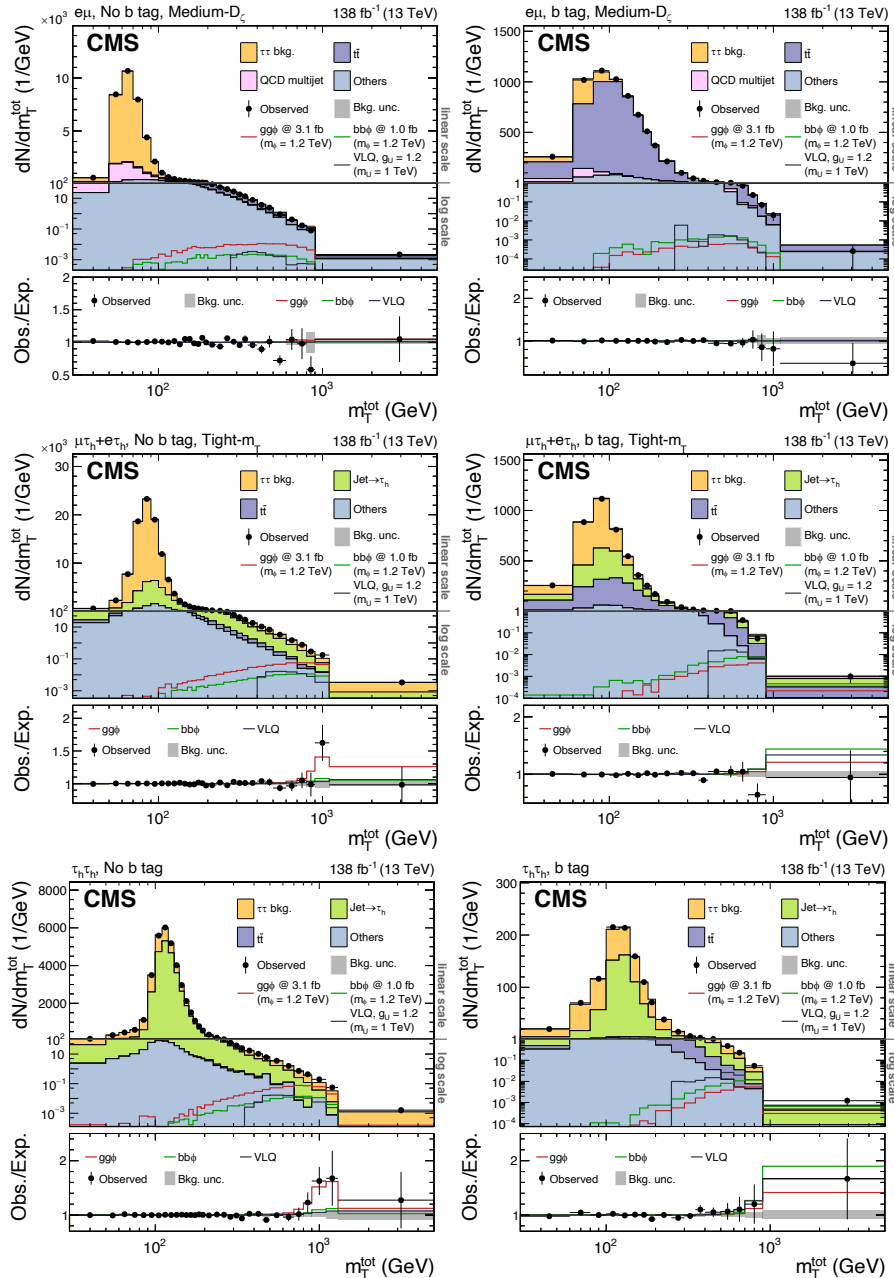
$$\lambda_{\ell q} = \frac{g_U}{\sqrt{2}} \cdot \begin{matrix} d/u' \\ s/c' \\ b/t' \end{matrix} \begin{pmatrix} e/\nu_e & \mu/\nu_\mu & \tau/\nu_\tau \\ 0 & 0 & 0 \\ 0 & +0.01 & 0.19 \\ 0 & -0.14 & 1 \end{pmatrix}$$

[arXiv:2103.16558](#)

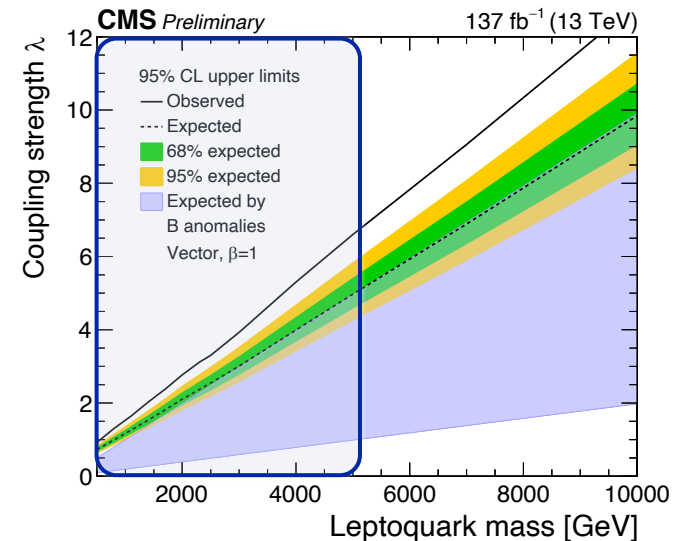
# HIG-21-001: nonresonant $\tau\tau$ via vector LQ

HIG-21-001  
arXiv:2208.02717

$$\lambda = \frac{g_U}{\sqrt{2}}$$

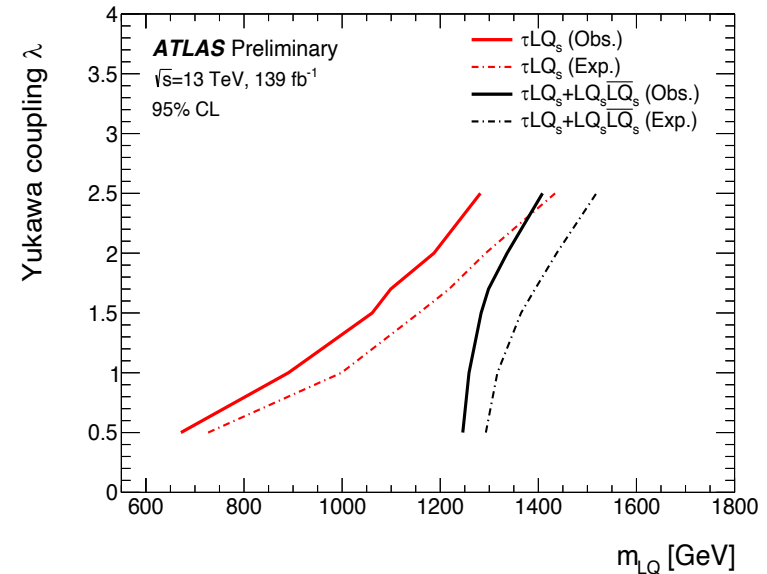
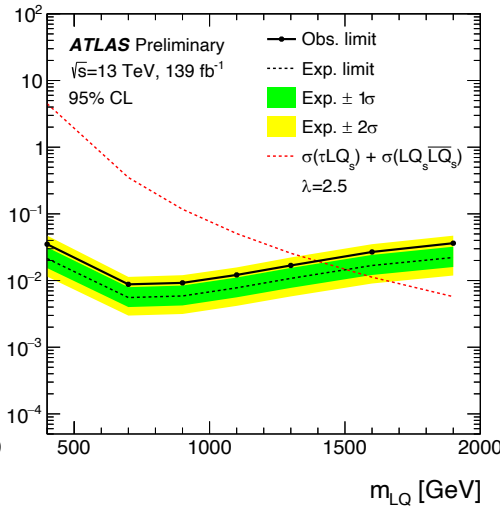
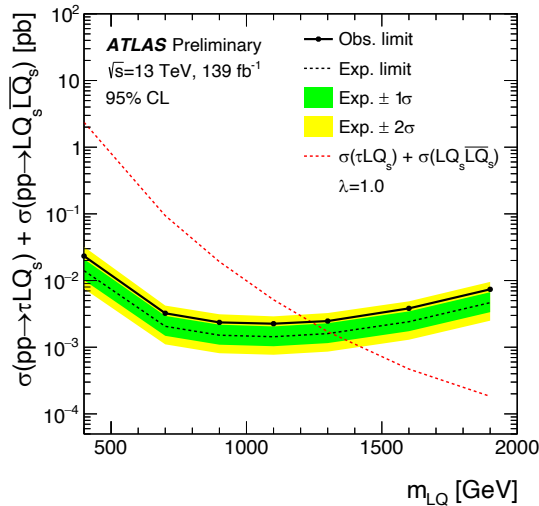
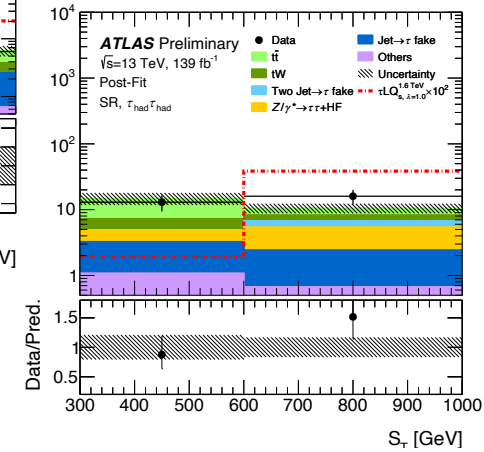
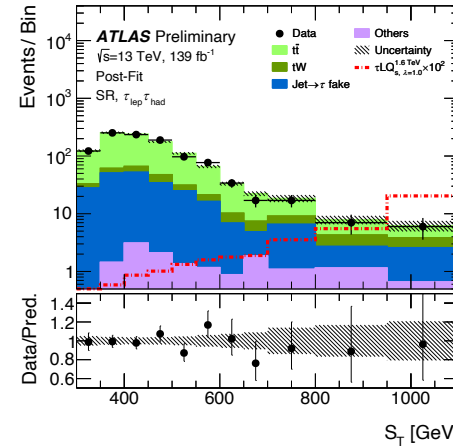


- similar LQ result to EXO-19-016
- $\sim 2\sigma$  excess across mass spectrum

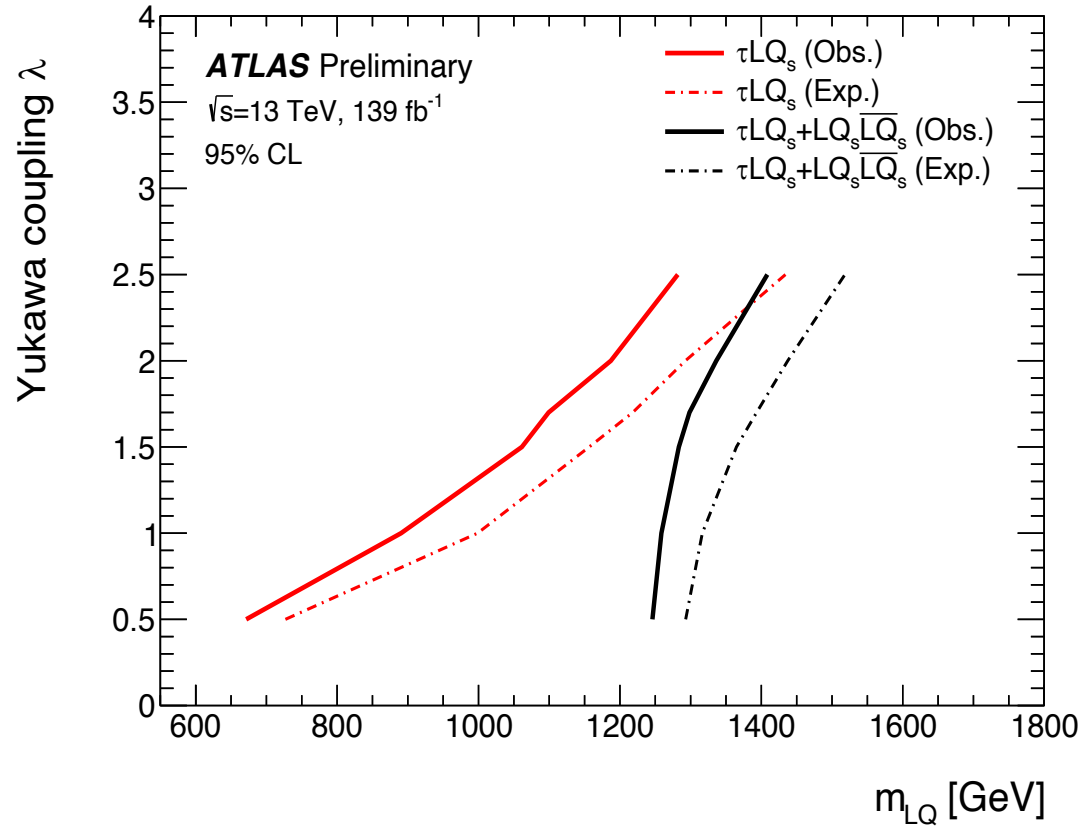
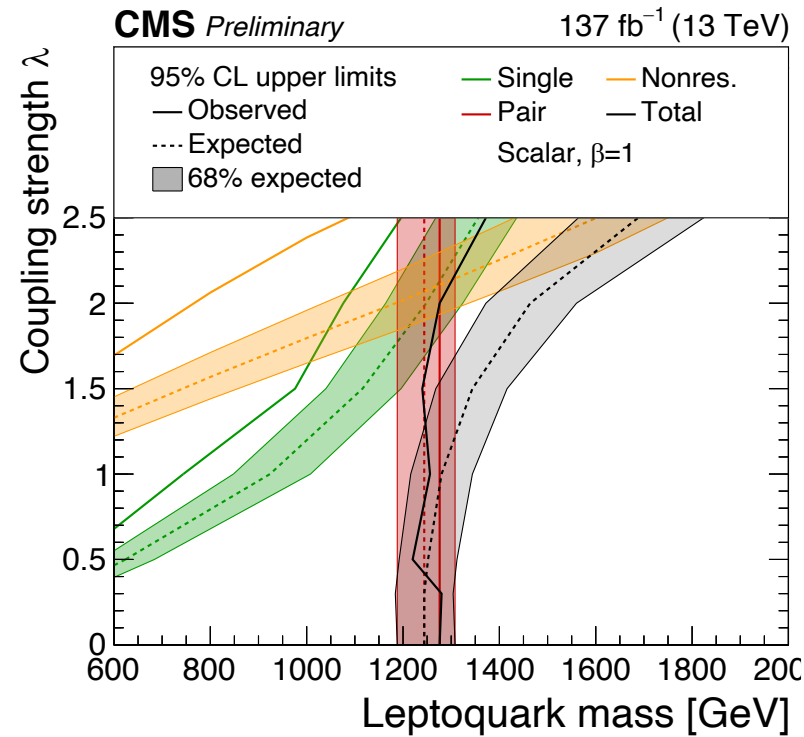


# ATLAS: LQ $\rightarrow$ $b\tau$ pair + single

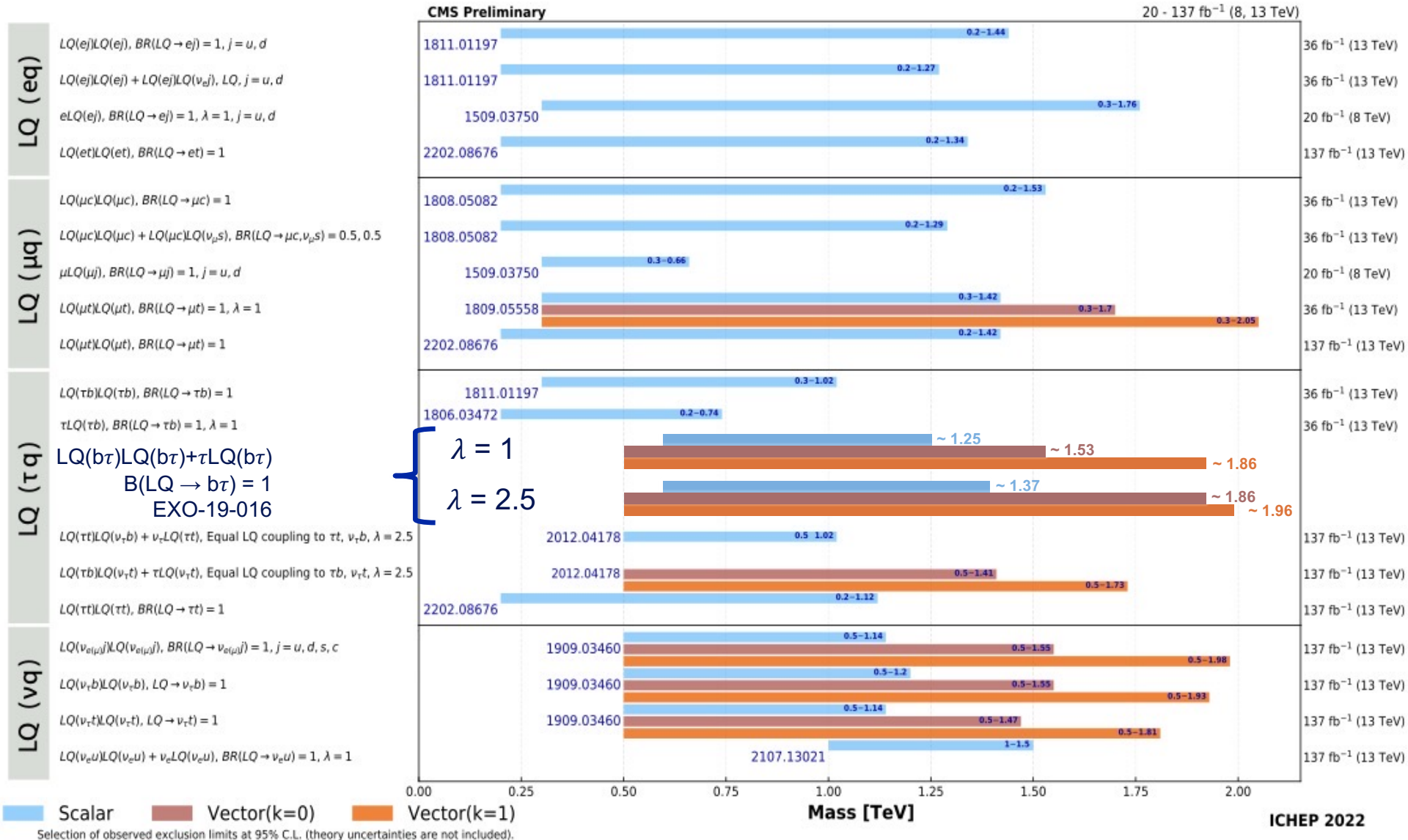
- new  $b\tau\tau$  analysis with single + pair scalar LQ (no vector)
- no significant excess
- no nonresonant interpretation



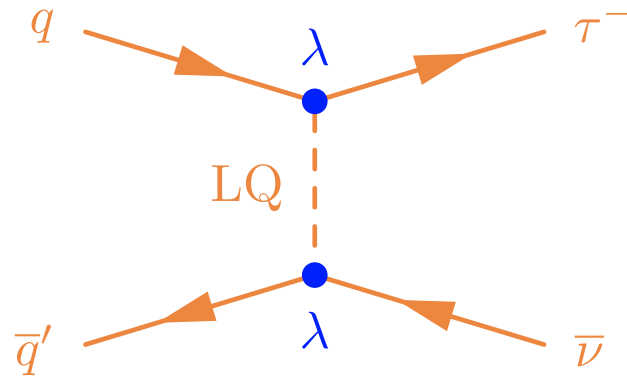
# LQ $\rightarrow$ $b\tau$ exclusion limits of $\lambda$ and mass



# CMS LQ summary





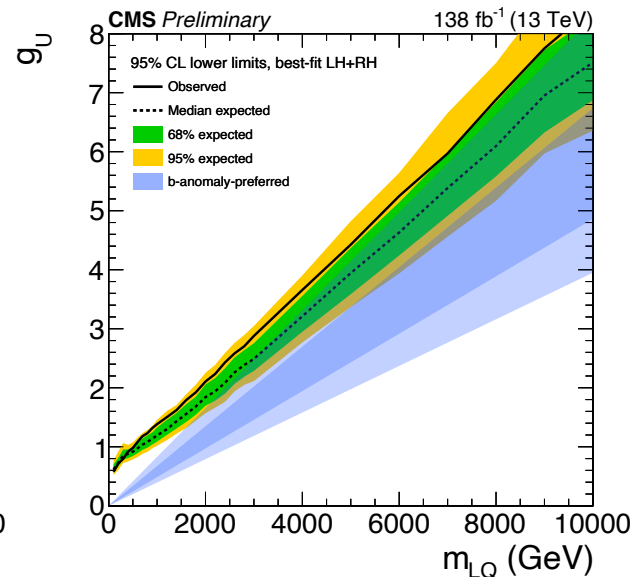
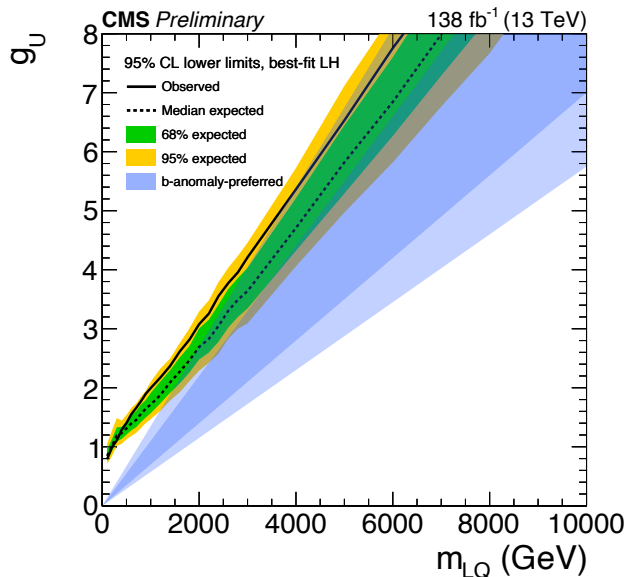
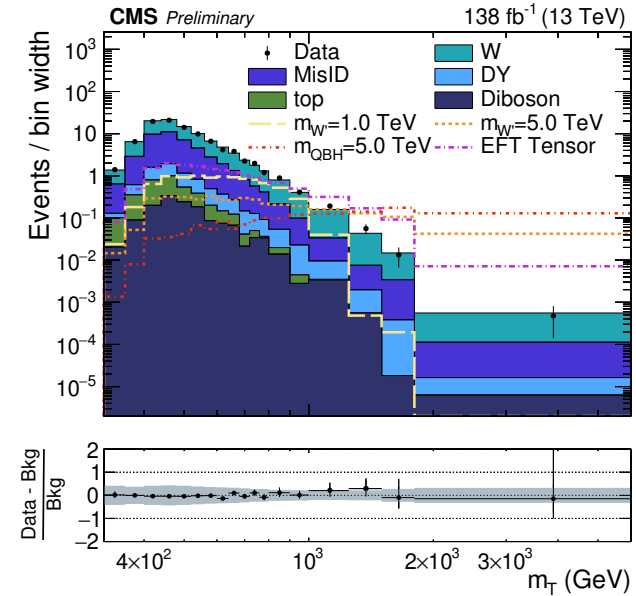


**$LQ_3 \rightarrow b\nu$**

**EXO-21-009**

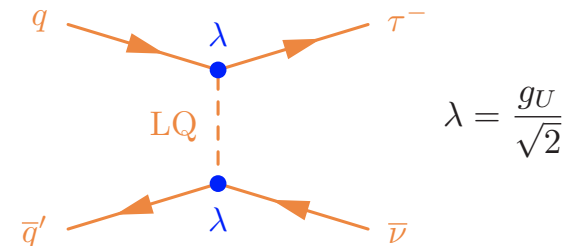
# Nonres. LQ interpretation of EXO-21-009

- target  $\tau$ +MET events
- fit  $m_T$  to target  $W' \rightarrow \tau\nu$  & other signals
- easily reinterpreted with nonresonant  $\tau\nu$  via LQ in  $t$  channel
- $\sim 1\sigma$  across LQ mass, consistent with EXO-19-016 limit assuming LH couplings only
- first test of  $b \rightarrow c\tau\nu$  at TeV scale



“best-fit” to B anomalies

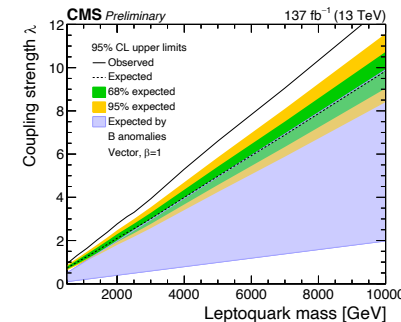
$$\lambda_{\ell q} = \frac{g_U}{\sqrt{2}} \cdot \begin{matrix} d/u' \\ s/c' \\ b/t' \end{matrix} \begin{pmatrix} e/\nu_e & \mu/\nu_\mu & \tau/\nu_\tau \\ 0 & 0 & 0 \\ 0 & +0.01 & 0.19 \\ 0 & -0.14 & 1 \end{pmatrix}$$



# **SUMMARY**

# Summary

- third-generation LQs are well motivated by theory and recent experimental results, like the B anomalies
- CMS has performed searches for several scenarios and resonant signatures
  - scalar, vector
  - single, pair production
  - new results with  $138 \text{ fb}^{-1}$  probe in the 1.5–2 TeV region
- using signatures with  $\tau$  or (b) jet may help tag NP that couples preferentially to higher generation fermions
- presented searches for nonresonant LQ production
  - (b)(b) $\tau\tau$  final state in different (b) jet categories
  - found nonresonant excess up to  $3.4\sigma$
  - cross checked between EXO-19-016 and HIG-21-001

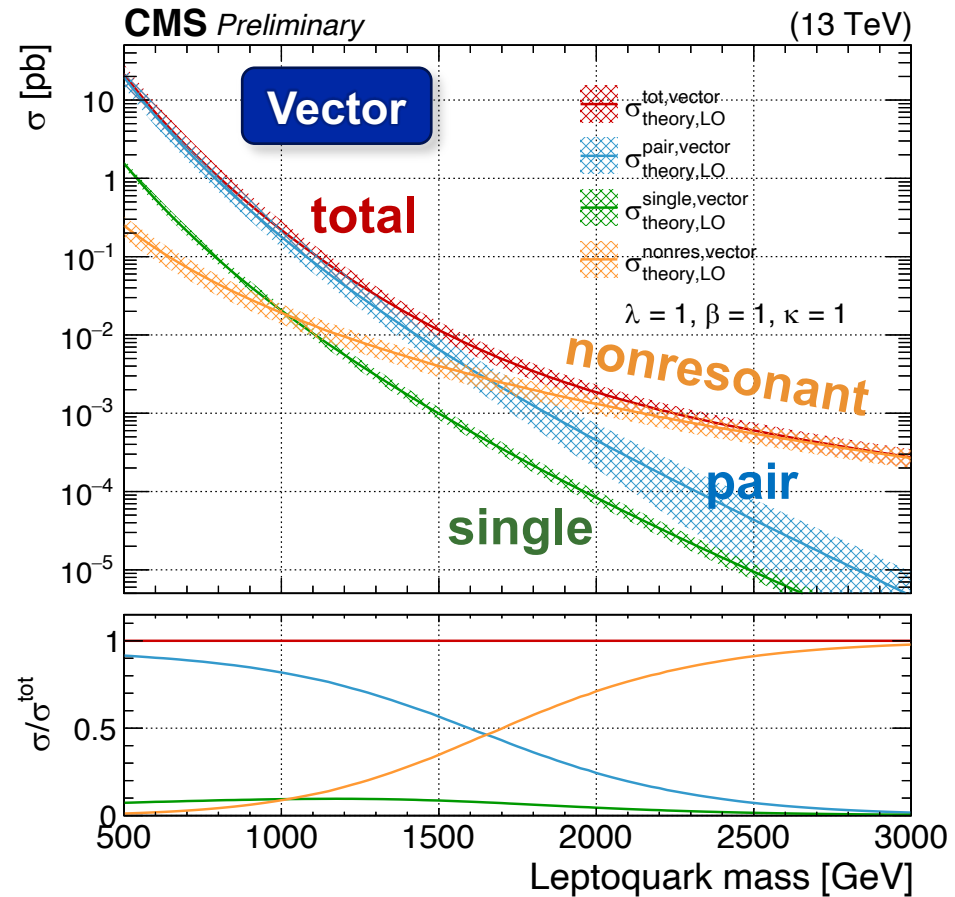
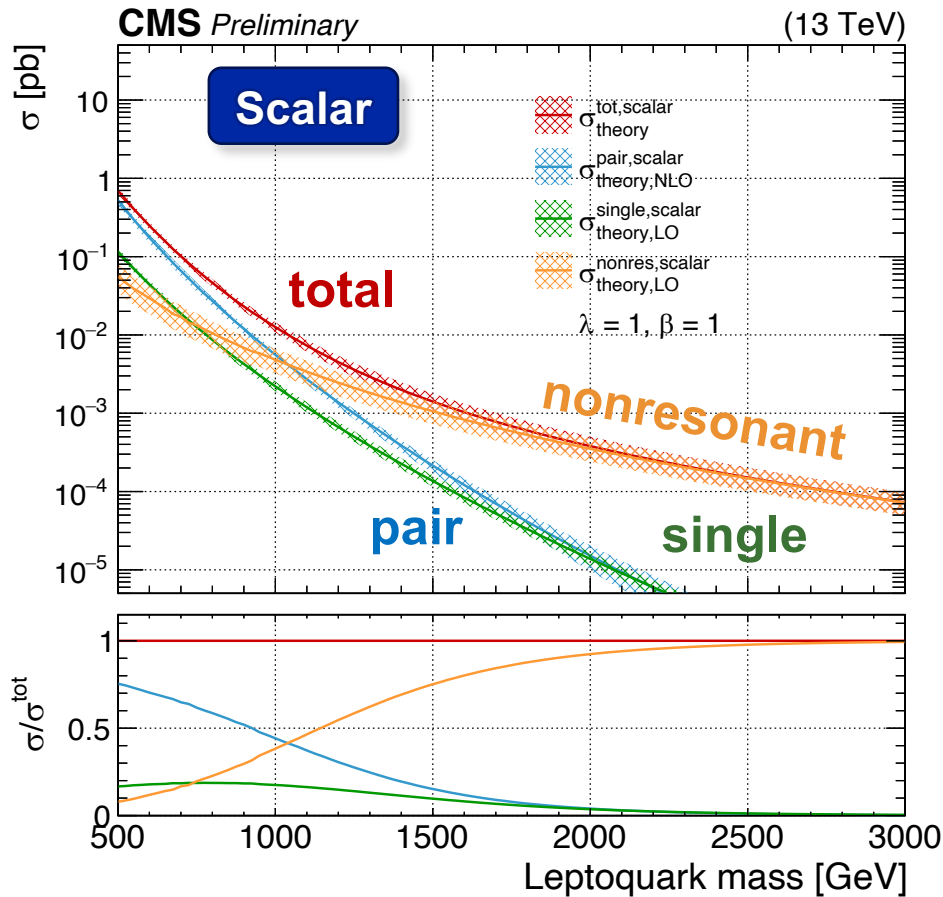
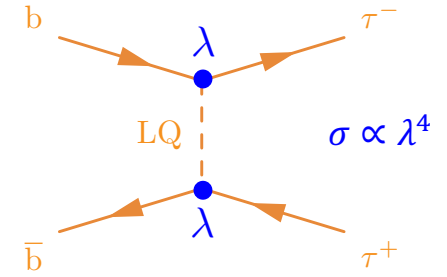
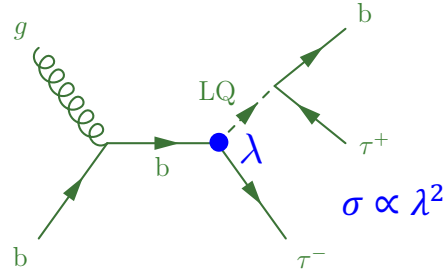
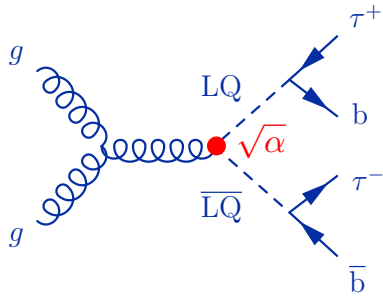


# References

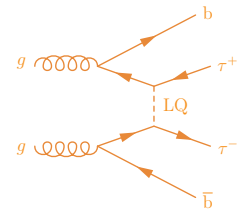
- Flavor Anomaly Workshop 2021  
<https://indico.cern.ch/event/1055780/timetable/>
- EXO-19-016 PAS  
<http://cms-results.web.cern.ch/cms-results/public-results/preliminary-results/EXO-19-016/index.html>
- EXO-21-009  
<http://cms-results.web.cern.ch/cms-results/public-results/preliminary-results/EXO-21-009/index.html>
- HIG-21-001  
<http://cms-results.web.cern.ch/cms-results/public-results/publications/HIG-21-001/>
- B2G-21-004  
<http://cms-results.web.cern.ch/cms-results/public-results/publications/B2G-21-004/index.html>
- CMS EXO results:  
<https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsEXO>  
[https://twiki.cern.ch/twiki/bin/view/CMSPublic/SummaryPlotsEXO13TeV#Leptoquark\\_summary\\_plot](https://twiki.cern.ch/twiki/bin/view/CMSPublic/SummaryPlotsEXO13TeV#Leptoquark_summary_plot)

**BACK UP**

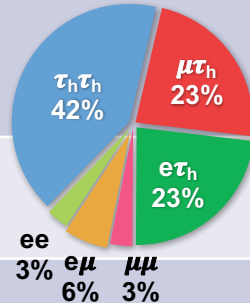
# LQ cross sections @ 13 TeV



# Comparison EXO-19-016 & HIG-21-001



	EXO-19-019	HIG-21-001
signal models	scalar or vector LQ → bτ <ul style="list-style-type: none"> <li>• single, pair LQ</li> <li>• nonres. ττ</li> </ul>	<ul style="list-style-type: none"> <li>• MSSM φ → ττ via gg → (b)(b)φ</li> <li>• vector LQ: nonres. ττ</li> </ul>
channels	eτ <sub>h</sub> , μτ <sub>h</sub> , τ <sub>h</sub> τ <sub>h</sub> + eμ, μμ p <sub>T</sub> > 50 GeV	eτ <sub>h</sub> , μτ <sub>h</sub> , τ <sub>h</sub> τ <sub>h</sub> + eμ p <sub>T</sub> > 15–40 GeV (trigger-dependent)
jet categories	“0j”: veto jets p <sub>T</sub> > 50 GeV <ul style="list-style-type: none"> <li>• m<sub>vis</sub> bins [200,400,600,∞[ GeV</li> </ul> “≥1j” with p <sub>T</sub> > 50 GeV, m <sub>vis</sub> > 100 GeV <ul style="list-style-type: none"> <li>• “0b” = “0b≥1j”</li> <li>• “≥1b”</li> </ul>	“No b tag” (no jet requirement) “B tag” with p <sub>T</sub> > 20 GeV
observables	χ = exp(Δη) in 0j S <sub>T</sub> <sup>MET</sup> in 0b and ≥1b	m <sub>T</sub> <sup>tot</sup>
Drell-Yan estimation	MC + Z p <sub>T</sub> corrections from μμ	Data-driven with “embedded” samples (from μμ events)
j → τ <sub>h</sub> estimation	Data-driven, “fake-factor” method	Data-driven, “fake-factor” method



[EXO-19-016](#)

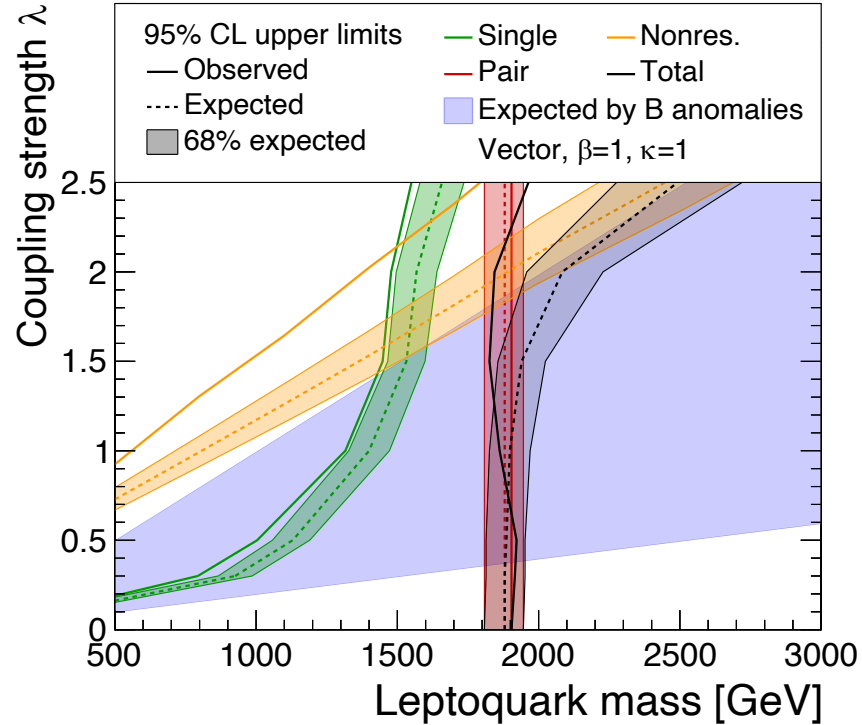
[HIG-21-001](#), [arXiv:2208.02717](#)



# LQ $\rightarrow$ $b\tau$ exclusion limits of $\lambda$ and mass

## Resonant + nonresonant

CMS 138 fb<sup>-1</sup> (13 TeV)



- $\sim 3\sigma$  excess in nonresonant channel
- no sensitivity to mass or coupling

Signal	$m_{LQ} = 1400$ GeV		$m_{LQ} = 2000$ GeV	
	$\sigma_{\text{fit}}$ [fb]	$z$	$\sigma_{\text{fit}}$ [fb]	$z$
<b>Scalar</b>				
Pair	$0.24^{+0.47}_{-0.45}$	0.5	$0.22^{+0.41}_{-0.39}$	0.0
Single, $\lambda = 1$	$1.15^{+0.95}_{-0.92}$	1.3	$0.64^{+0.68}_{-0.65}$	1.0
Single, $\lambda = 2.5$	$9.1^{+5.6}_{-5.3}$	1.7	$18^{+11}_{-11}$	1.7
Nonres.	$70^{+23}_{-22}$	3.4	$63^{+20}_{-19}$	3.5
Total, $\lambda = 1$	$1.7^{+1.9}_{-1.8}$	0.9	$9.6^{+6.2}_{-5.9}$	1.7
Total, $\lambda = 2.5$	$43^{+16}_{-15}$	2.9	$62^{+20}_{-19}$	3.4
<b>Vector, <math>\kappa = 0</math></b>				
Pair	$0.24^{+0.46}_{-0.44}$	0.0	$0.24^{+0.41}_{-0.39}$	0.0
Single, $\lambda = 1$	$1.00^{+0.89}_{-0.85}$	1.2	$0.60^{+0.66}_{-0.63}$	1.0
Single, $\lambda = 2.5$	$9.1^{+6.5}_{-6.2}$	1.5	$25^{+18}_{-17}$	1.4
Nonres.	$58^{+18}_{-17}$	3.5	$51^{+16}_{-15}$	3.5
Total, $\lambda = 1$	$1.2^{+1.5}_{-1.4}$	0.8	$7.7^{+5.1}_{-4.8}$	1.7
Total, $\lambda = 2.5$	$12.2^{+7.1}_{-6.8}$	1.8	$43^{+15}_{-14}$	3.1
<b>Vector, <math>\kappa = 1</math></b>				
Pair	$0.24^{+0.46}_{-0.44}$	0.0	$0.24^{+0.41}_{-0.39}$	0.0
Single, $\lambda = 1$	$1.00^{+0.89}_{-0.85}$	1.2	$0.60^{+0.66}_{-0.63}$	1.0
Single, $\lambda = 2.5$	$9.1^{+6.5}_{-6.2}$	1.5	$25^{+18}_{-17}$	1.4
Nonres.	$58^{+18}_{-17}$	3.5	$51^{+16}_{-15}$	3.5
Total, $\lambda = 1$	$0.42^{+0.69}_{-0.66}$	0.6	$1.3^{+1.5}_{-1.4}$	0.5
Total, $\lambda = 2.5$	$12.2^{+7.1}_{-6.8}$	1.8	$43^{+15}_{-14}$	3.1

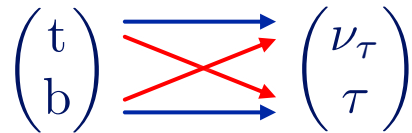
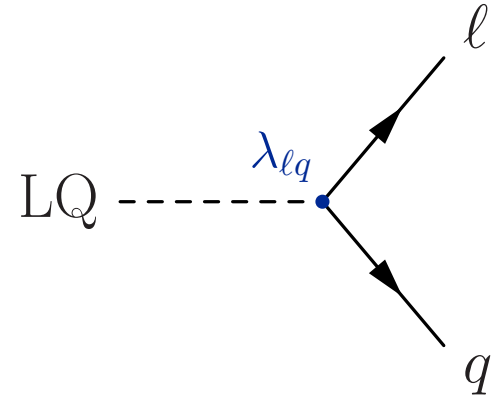
# **OTHER LQ ANALYSES**

# Third-generation LQ searches

- $\beta = 0$ 
    - **LQ  $\rightarrow$  tv**  
 scalar pair (2016, arXiv:1902.08103)  
 scalar/vector pair (2016, SUS-19-005)
    - **LQ  $\rightarrow$  bv**  
 scalar/vector pair (2016, SUS-19-005)
  - $\beta = 0.5$ 
    - **LQ  $\rightarrow$  t $\tau$ , bv**  
 scalar single+pair (Run 2, EXO-19-015)  
 scalar pair (Run 2, ATLAS-CONF-2020-029)
    - **LQ  $\rightarrow$  tv, b $\tau$**   
 scalar pair (2016, arXiv:1902.08103)  
 vector single+pair (Run 2, EXO-19-015)
  - $\beta = 1$ 
    - **LQ  $\rightarrow$  b $\tau$**   
 scalar pair (2016, EXO-17-016)  
 scalar single (2016, EXO-17-029)  
 scalar pair (2016, arXiv:1902.08103)  
 scalar/vector pair (Run 2, arXiv:2108.07665)
    - **LQ  $\rightarrow$  t $\tau$**   
 scalar pair (2016, B2G-16-028)  
 scalar pair (Run 2, ATLAS-CONF-2020-029)
- scalar/vector  
 + pair+single+nonresonant  
 (Run 2, EXO-19-016)

# LQ<sub>3</sub> models & signatures

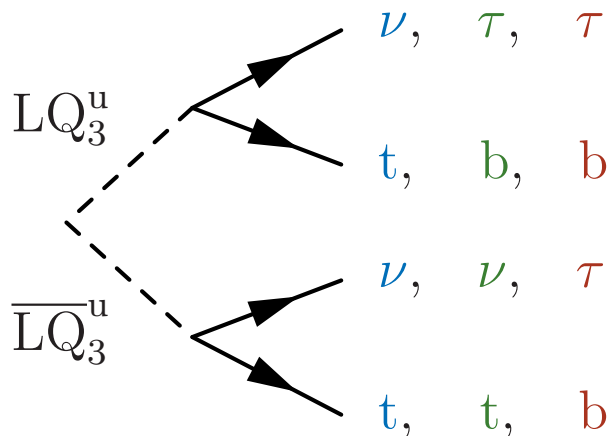
- scalar LQ<sub>S</sub> (S = 0), vector LQ<sub>V</sub> (S = 1)
- decays into ℓq
  - ⇒ carries L, B, color
  - ⇒ fractional charge
- coupling λ<sub>ℓq</sub>
- simplified models restrict to **up** or **down type**:



$$\text{LQ}_3^u \rightarrow t\nu, b\tau, \quad Q = +\frac{2}{3}$$

$$\text{LQ}_3^d \rightarrow t\tau, b\nu, \quad Q = -\frac{1}{3}$$

- branching parameter β



$$\mathcal{B}(\text{LQ} \rightarrow q\ell^\pm) = \beta$$

$$\mathcal{B}(\text{LQ} \rightarrow q'\nu) = 1 - \beta$$

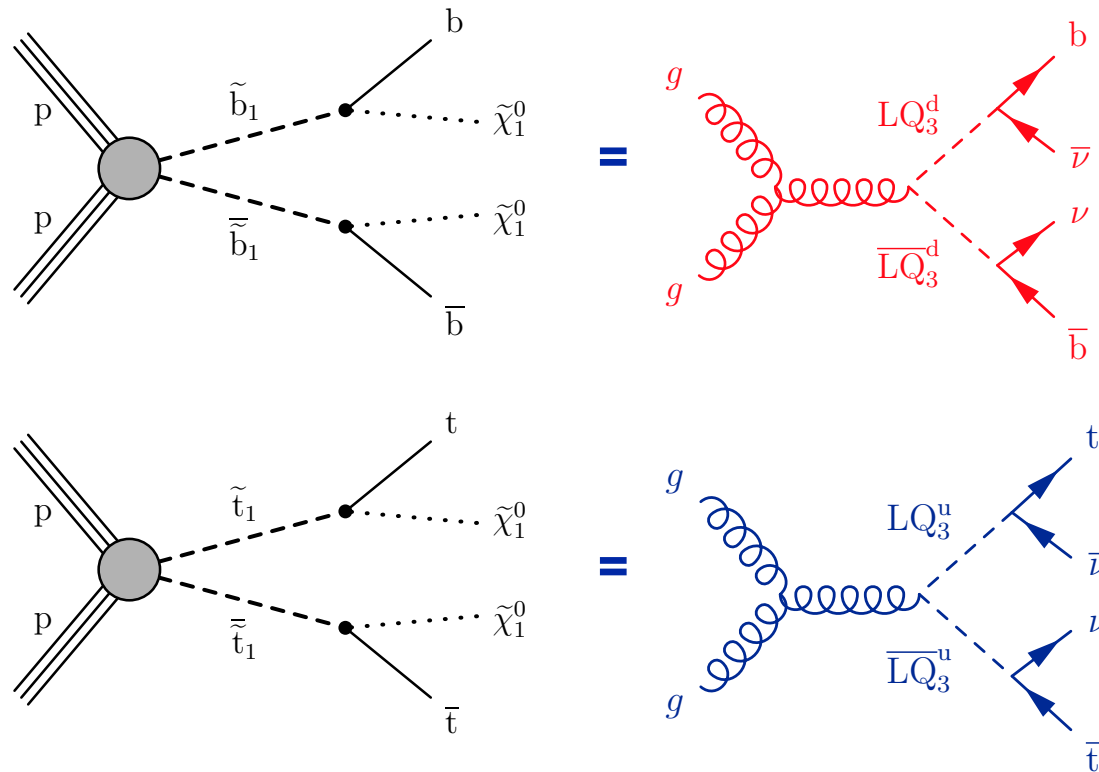
typical benchmarks β = 0, 0.5, 1

$$\text{LQ}_3^u \overline{\text{LQ}}_3^u \rightarrow t\nu t\nu, t\nu b\tau, b\tau b\tau$$

$$\text{LQ}_3^d \overline{\text{LQ}}_3^d \rightarrow t\tau t\tau, t\tau b\nu, b\nu b\nu$$

# $LQ_3 LQ_3 \rightarrow b\bar{b}v, t\bar{t}v$

reinterpret stop & sbottom searches with  $\geq 2$  jets + MET:

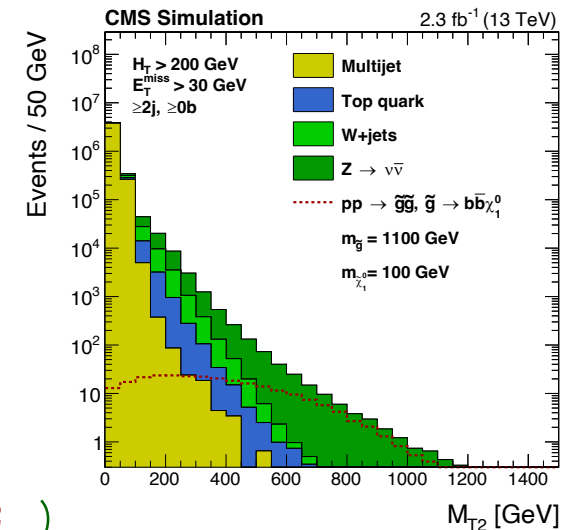
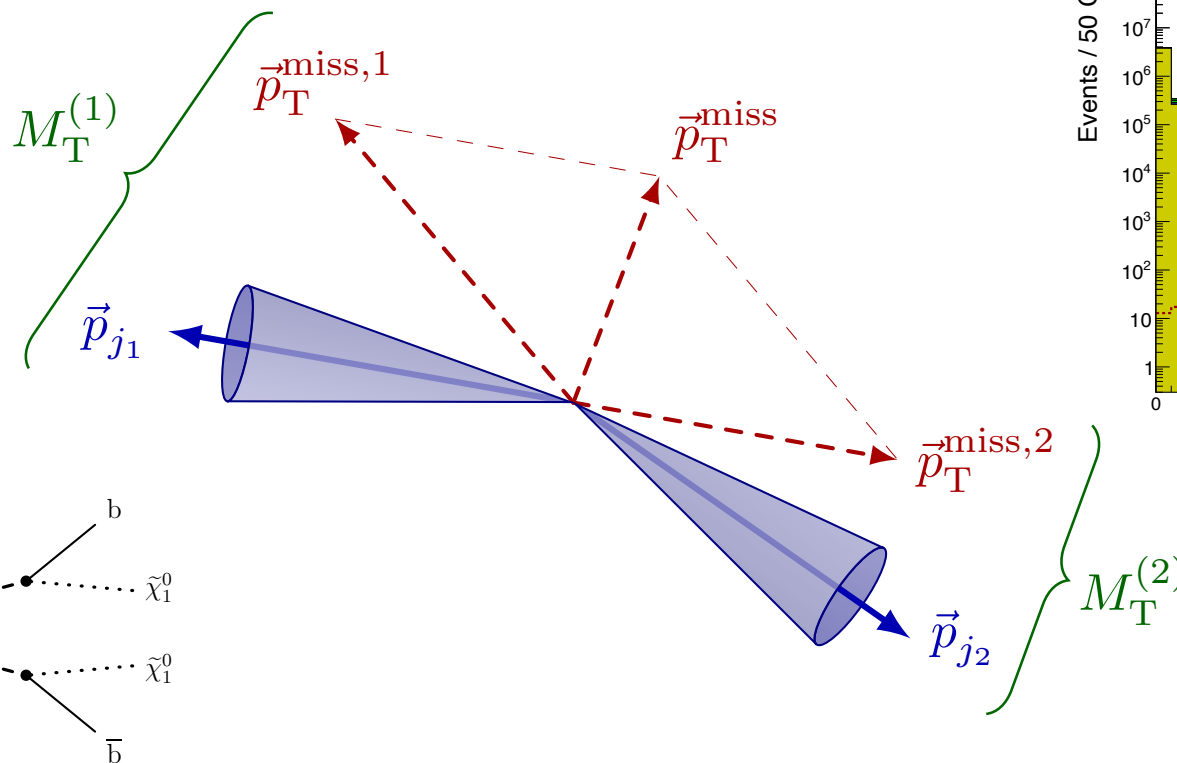


$$M_{T2} = \min_{\vec{p}_T^{\text{miss},1} + \vec{p}_T^{\text{miss},2} = \vec{p}_T^{\text{miss}}} \left[ \max \left( M_T^{(1)}, M_T^{(2)} \right) \right]$$

# $LQ_3 LQ_3 \rightarrow bvbv, tvtv$

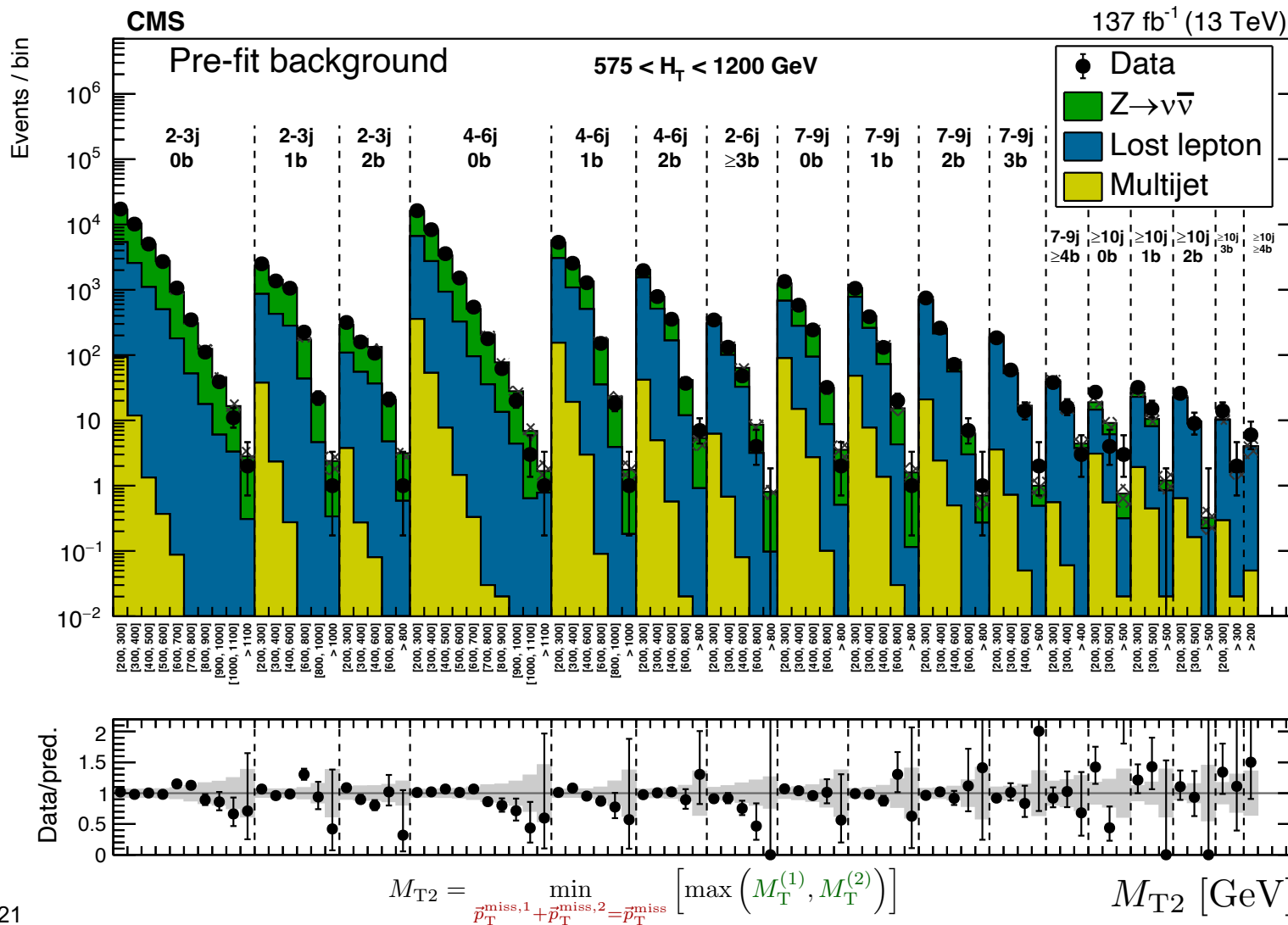
- select events with  $\geq 2$  jets, large  $p_T^{\text{miss}}$ ,  $H_T > 250 \text{ GeV}$
- cluster visible objects into 2 large pseudo-jets
- decompose  $p_T^{\text{miss}}$  to minimize

$$M_{T2} = \min_{\vec{p}_T^{\text{miss},1} + \vec{p}_T^{\text{miss},2} = \vec{p}_T^{\text{miss}}} \left[ \max \left( M_T^{(1)}, M_T^{(2)} \right) \right]$$

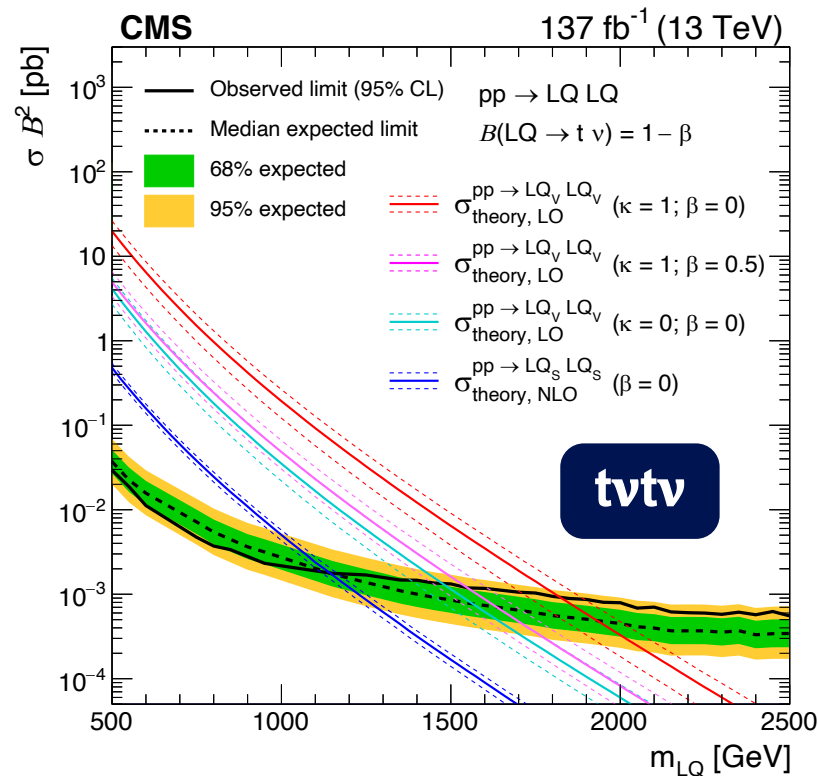
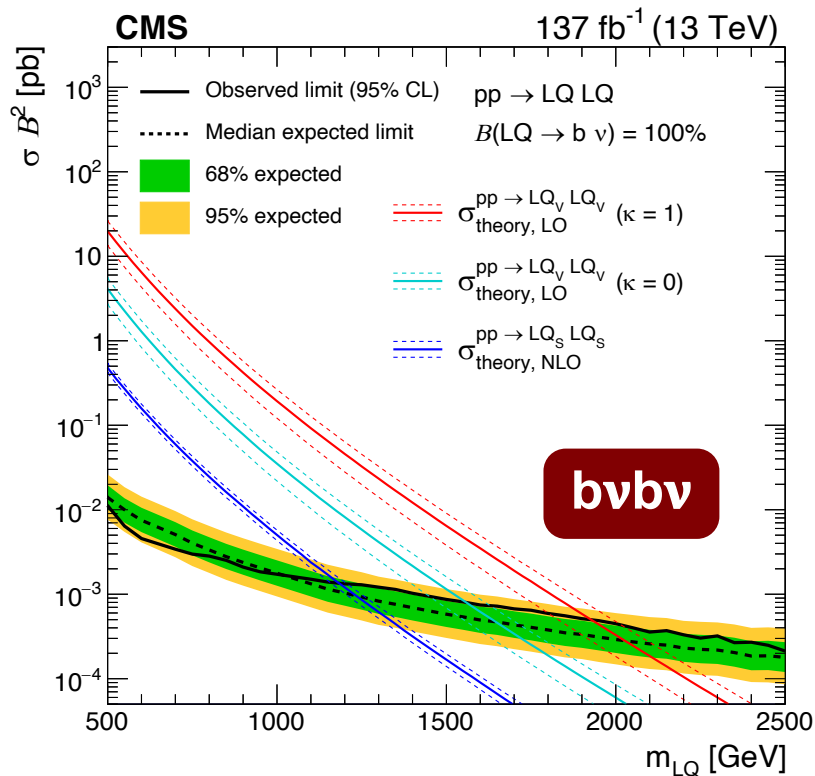


# LQ<sub>3</sub>LQ<sub>3</sub> → bvbv, tvtv strategy

- select 2 jets, veto charged lepton,  $\tau_h$
- fit  $M_{T2}$  in many bins of #jets, b tags,  $H_T$



# LQ<sub>3</sub>LQ<sub>3</sub> → bvbv, tvtv results



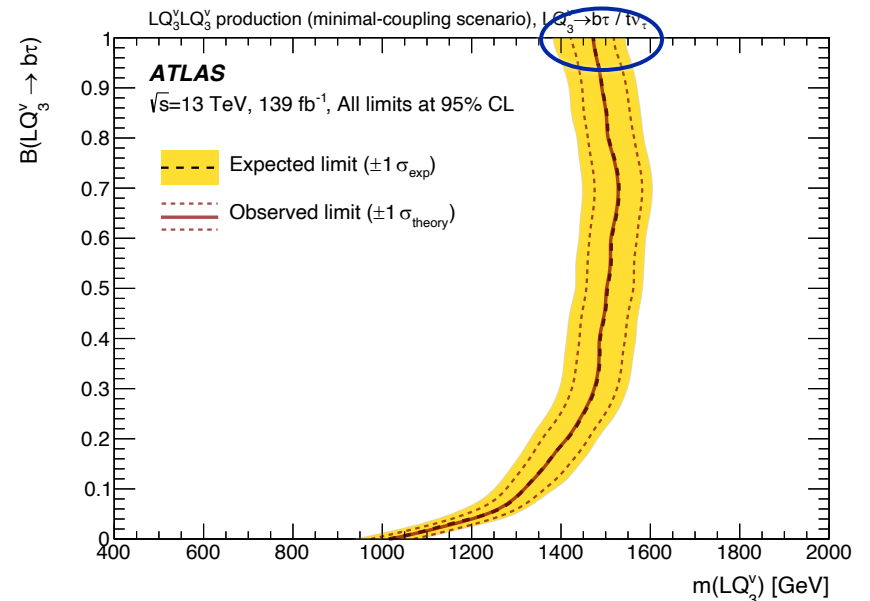
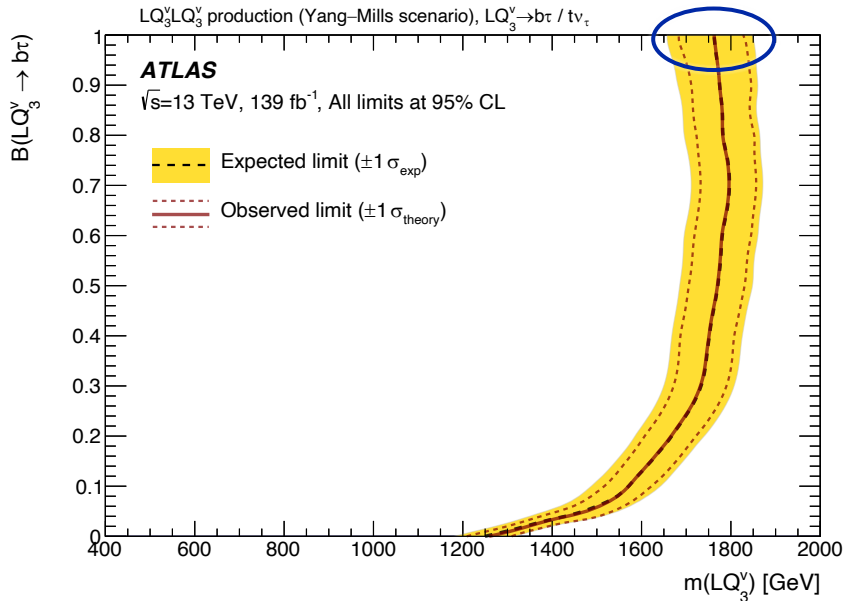
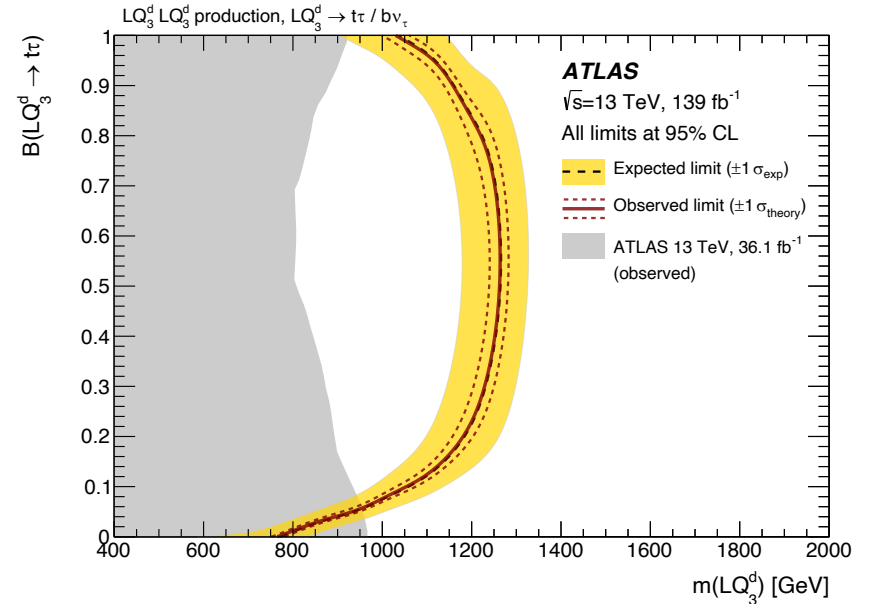
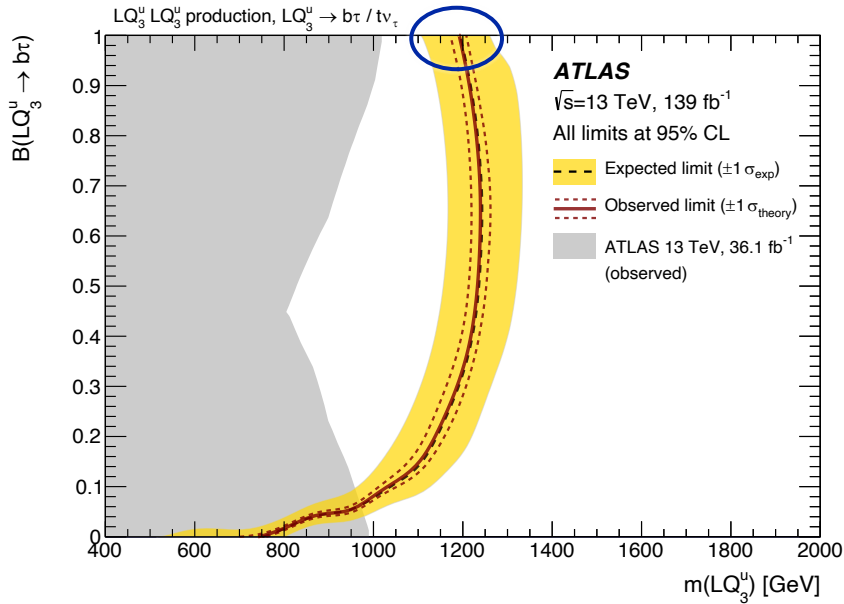
	LQ <sub>S</sub> mass [GeV]	LQ <sub>V</sub> , $\kappa = 1$ mass [GeV]	LQ <sub>V</sub> , $\kappa = 0$ mass [GeV]
LQ <sub>i</sub> → qν (q = u, d, s, or c)	1140	1980	1560
LQ <sub>3</sub> <sup>d</sup> → bν	1185	1925	1560
LQ <sub>3</sub> <sup>u</sup> → tν	1140	1825	1475
LQ <sub>3</sub> <sup>u</sup> → { tν (B = 50%) bτ (B = 50%)	—	1550	1225

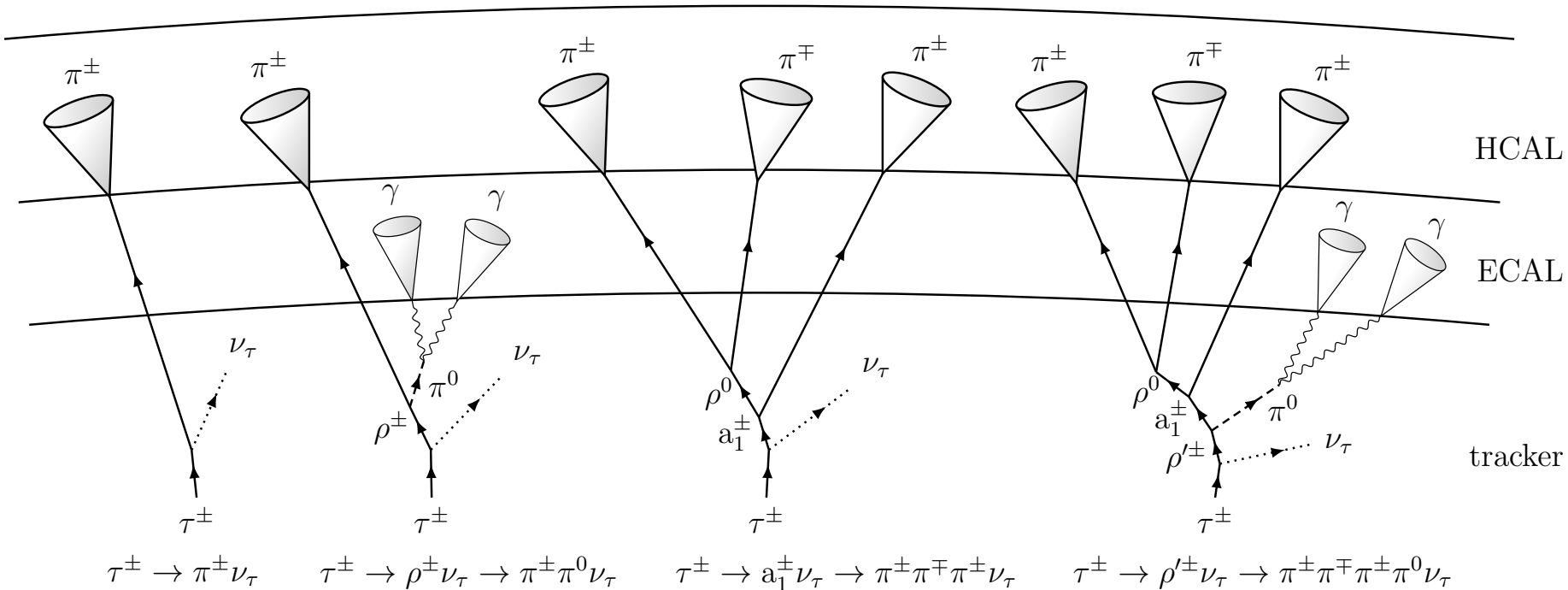
strongest constraints on  
scalar & vector production  
through pair production



# ATLAS LQ $\rightarrow b\tau$

Run 2: [arXiv:2108.07665](https://arxiv.org/abs/2108.07665)





# HADRONIC TAU RECONSTRUCTION & IDENTIFICATION

# $\tau_h$ reconstruction

## AK4 jet

- anti- $k_T$ ,  $R = 0.4$
- seed for  $\tau_h$  candidate

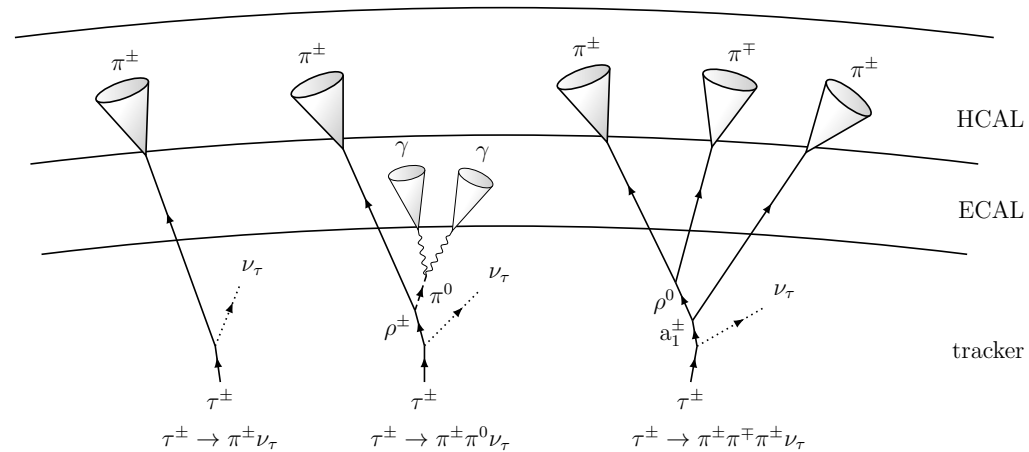
## Decay mode reconstruction

- charged tracks ( $\pi^\pm$ )
- ECAL clusters ( $\pi^0$ )

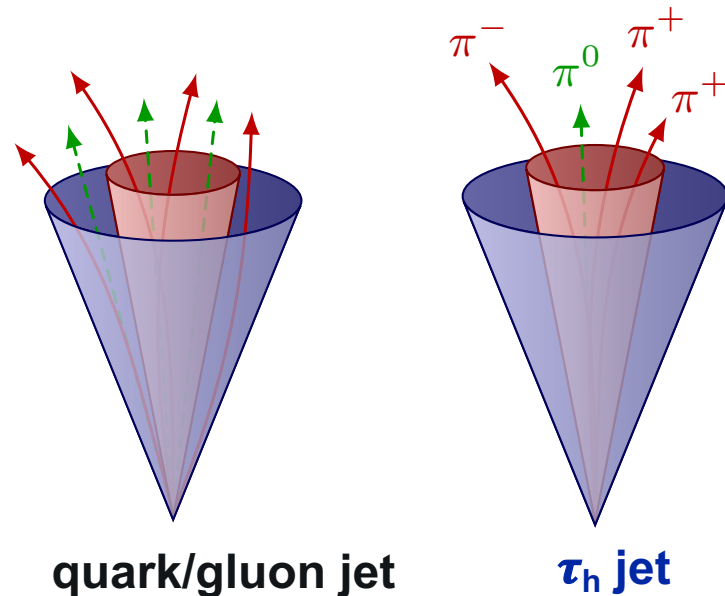
## Identification

MVA to reject jets, e or  $\mu$

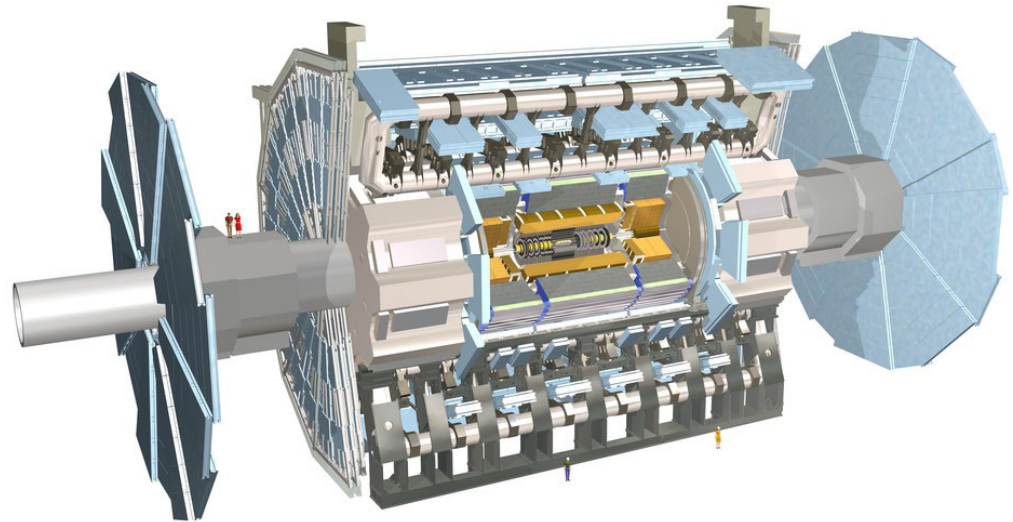
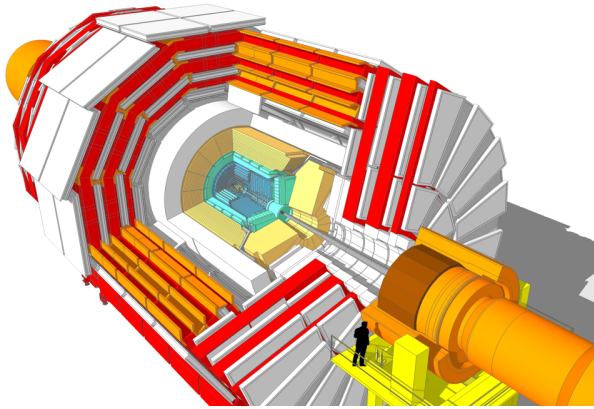
- lifetime
- isolation
- energy fractions



detector interactions of different decay modes



# Map to $\tau_h$ reconstruction & identification



## HPS algorithm

- BDT against jet  
+ BDT against e  
+ cut-based against  $\mu$
- DNN “DeepTau” against jet/e/ $\mu$

## “Baseline” algorithm

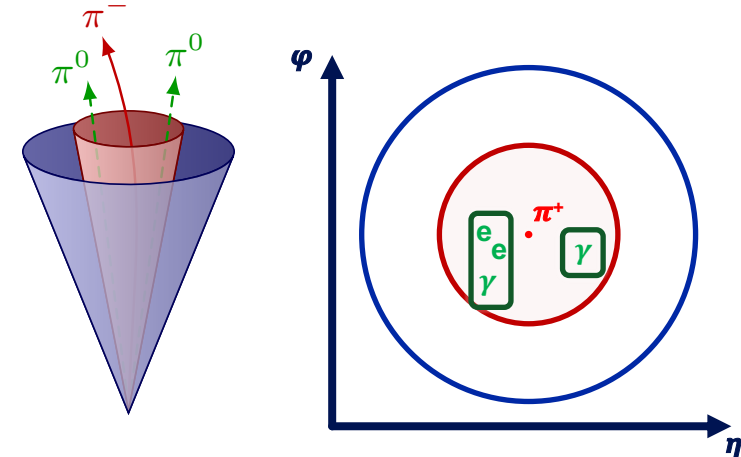
- BDT against jet  
+ overlap removal e/ $\mu$
- RNN against jet  
+ BDT against e

**Tau Particle Flow**

# CMS: $\tau_h$ reconstruction & identification

## Hadron-plus-strips (HPS) algorithm

- seed: AK4 jet of particle flow (PF) hadrons, e/ $\gamma$
- **signal cone** + **isolation cone**
- assign  $\tau_h$  decay mode by counting
  - charged hadrons
  - ECAL clusters (e/ $\gamma$  merged into “strips”)

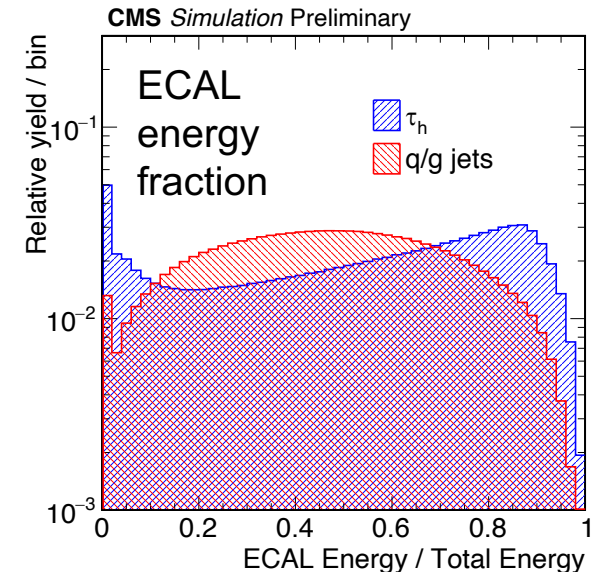
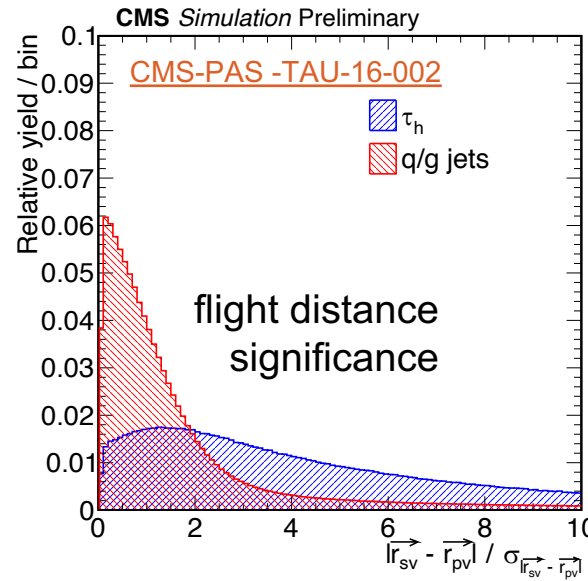
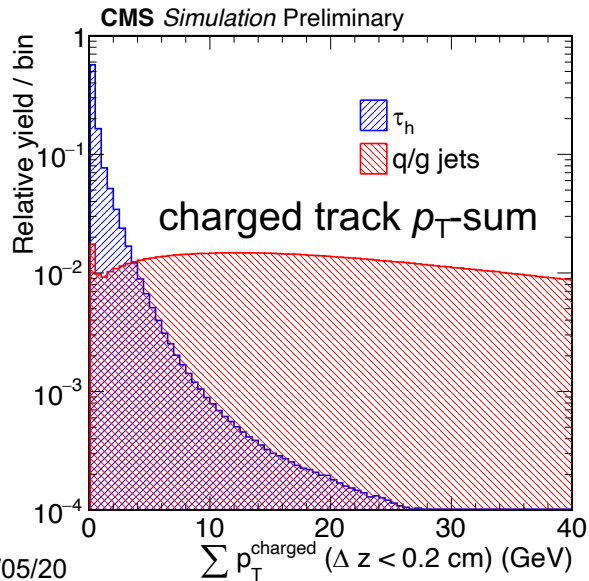


$p_T(h) > 0.5 \text{ GeV}$   
 $p_T(e/\gamma) > 1.0 \text{ GeV}$

$0.05 < \Delta R_{\text{sig}} < 0.2$   
 $\Delta R_{\text{iso}} = 0.4$

## DeepTau algorithm

- convolutional deep neural network (DNN)
  - high level:  $\tau$  lifetime, isolation, e/ $\gamma$  kinematics, ...
  - PF hadron/ $\mu$ /e/ $\gamma$  information in small  $\eta \times \varphi$  cells of  $\tau_h$
- multiclassifier into  $\tau_h$ ,  $\mu$ , e, or jet probabilities



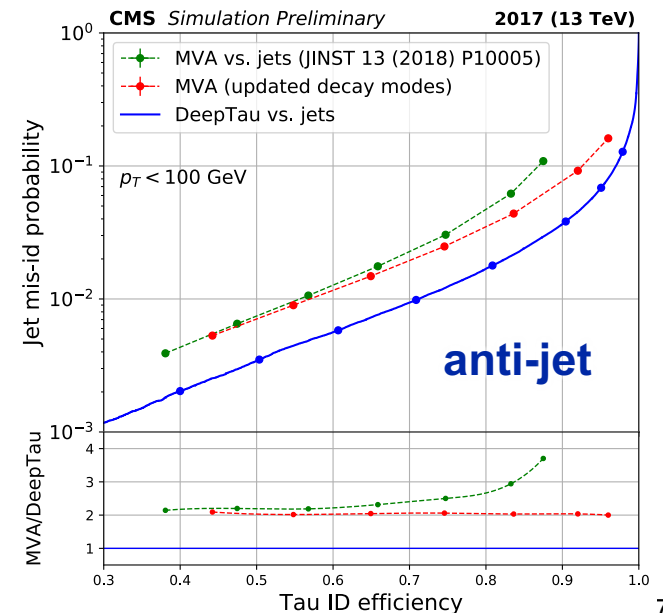
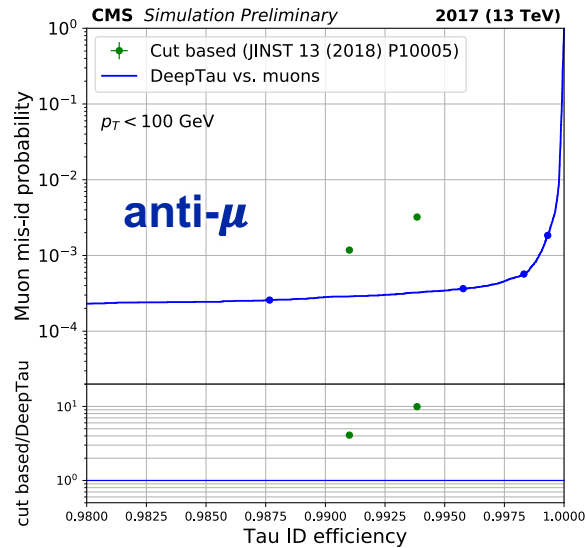
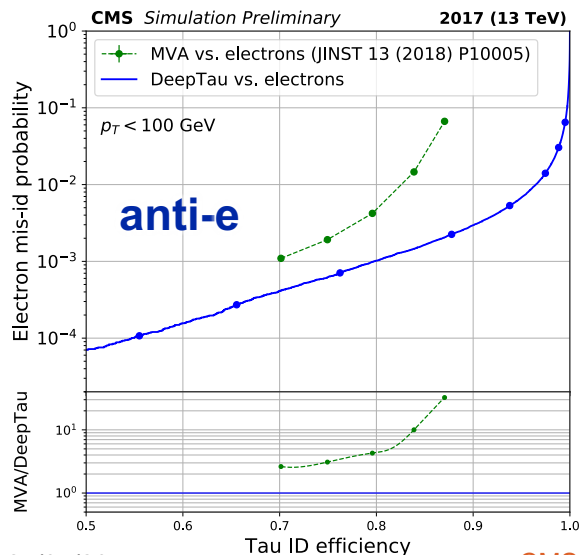
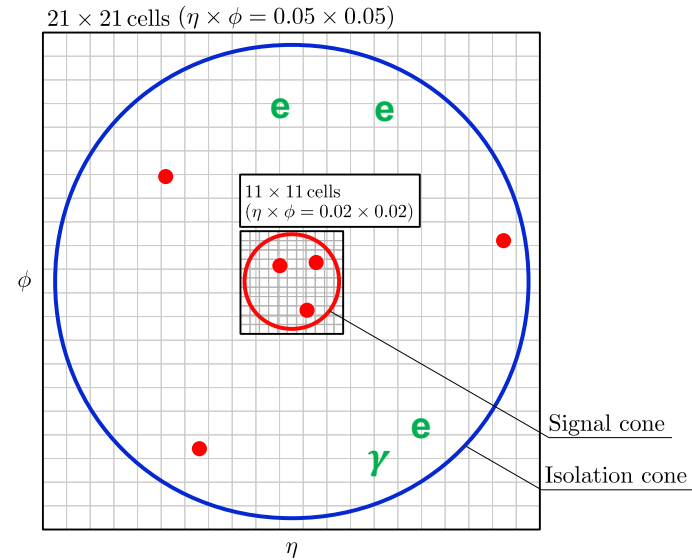
# CMS: $\tau_h$ reconstruction & identification

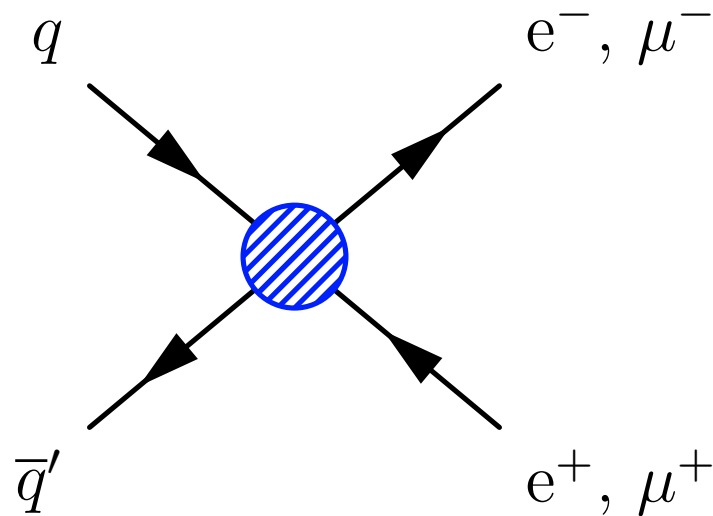
## Hadron-plus-strips (HPS) algorithm

- seed: AK4 jet of particle flow (PF) hadrons,  $e/\gamma$
- **signal cone** + **isolation cone**
- assign  $\tau_h$  decay mode by counting
  - charged hadrons
  - ECAL clusters ( $e/\gamma$  merged into “strips”)

## DeepTau algorithm

- convolutional deep neural network (DNN)
  - high level:  $\tau$  lifetime, isolation,  $e/\gamma$  kinematics, ...
  - PF hadron/ $\mu$ / $e/\gamma$  information in small  $\eta \times \phi$  cells of  $\tau_h$
- multiclassifier into  $\tau_h$ ,  $\mu$ ,  $e$ , or jet probabilities



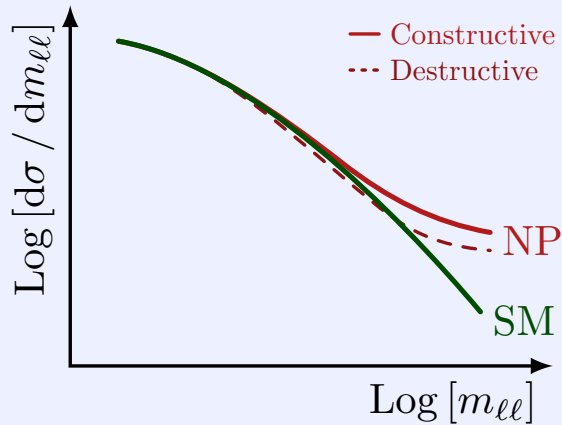


# 1<sup>ST</sup> & 2<sup>ND</sup> GENERATION

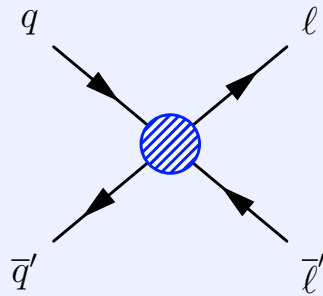
EXO-19-019, SMP-21-002

# Introduction

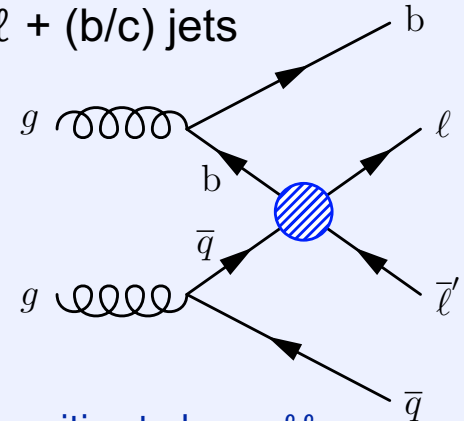
Many models predict deviations in **high- $p_T$  dilepton tails**,  
and may violate **lepton-flavor universality**  $ee/\mu\mu/\tau\tau$



$\ell\ell$  signature

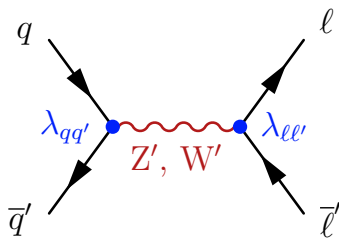


$\ell\ell + (b/c)$  jets

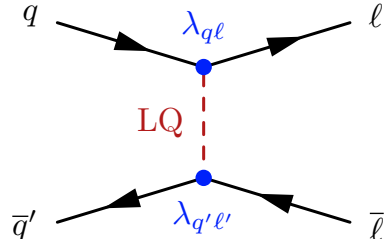


sensitive to  $b \rightarrow s\ell\ell$

resonant



nonresonant



⇒ four-fermion contact  
interaction for  $m \gtrsim 2$  TeV

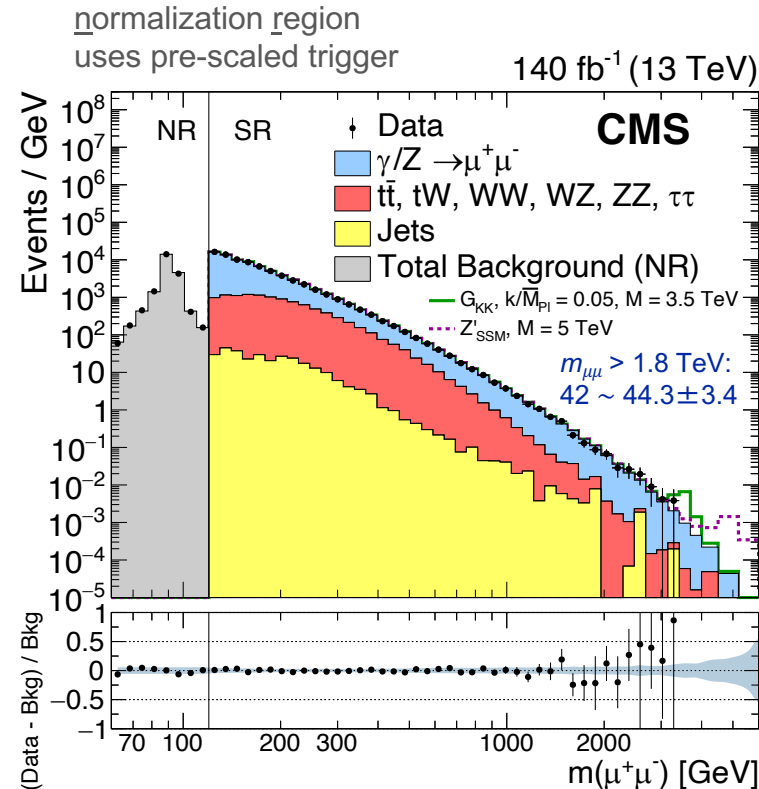
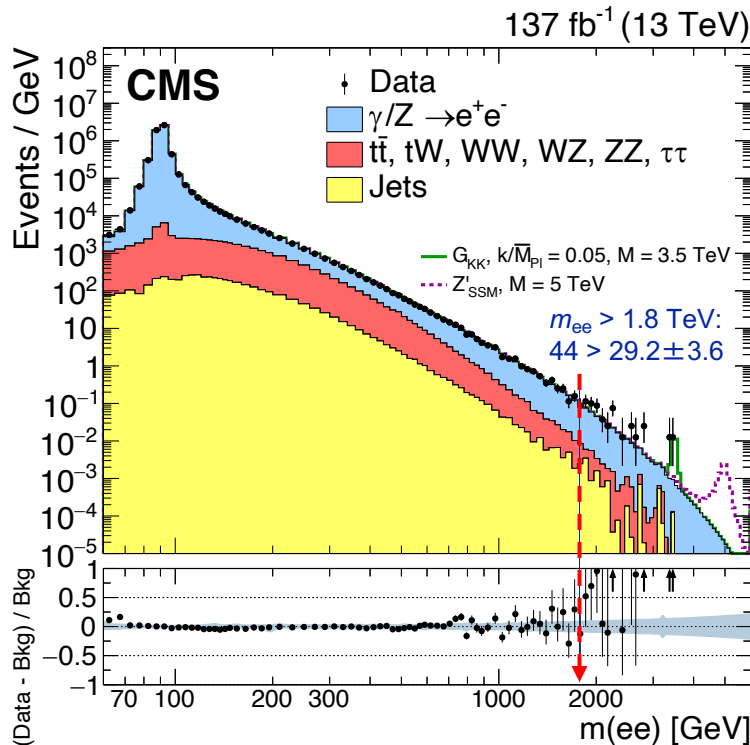
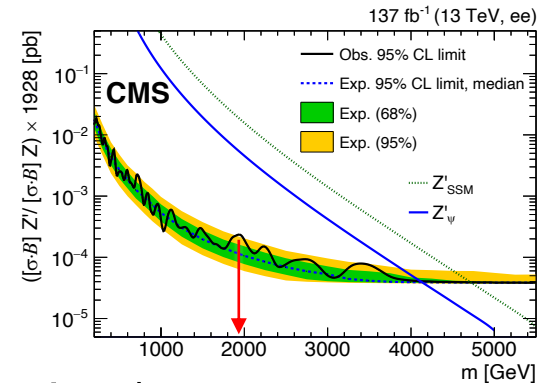
higher-generation LQ-fermion  
are motivated by B anomalies:

$$\lambda_{q\ell} \sim \begin{matrix} d/u' \\ s/c' \\ b/t' \end{matrix} \begin{pmatrix} e/\nu_e & \mu/\nu_\mu & \tau/\nu_\tau \\ 0 & 0 & 0 \\ 0 & \mathcal{O}(0.01) & \mathcal{O}(0.1) \\ 0 & -\mathcal{O}(0.1) & 1 \end{pmatrix}$$



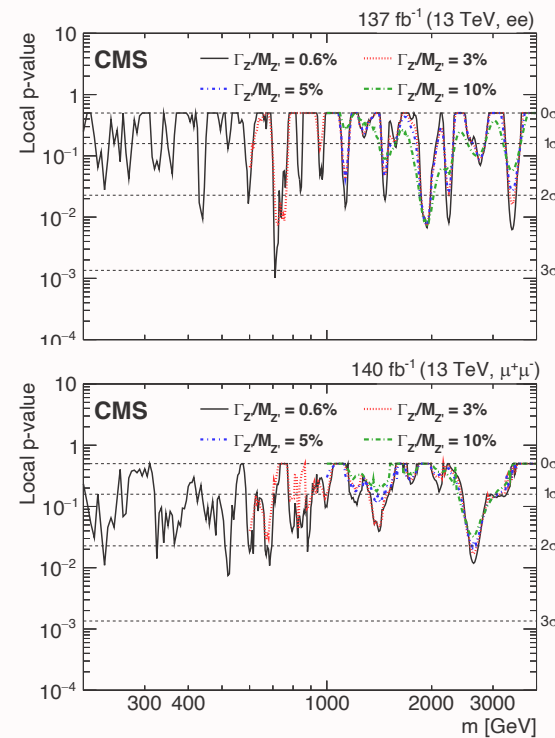
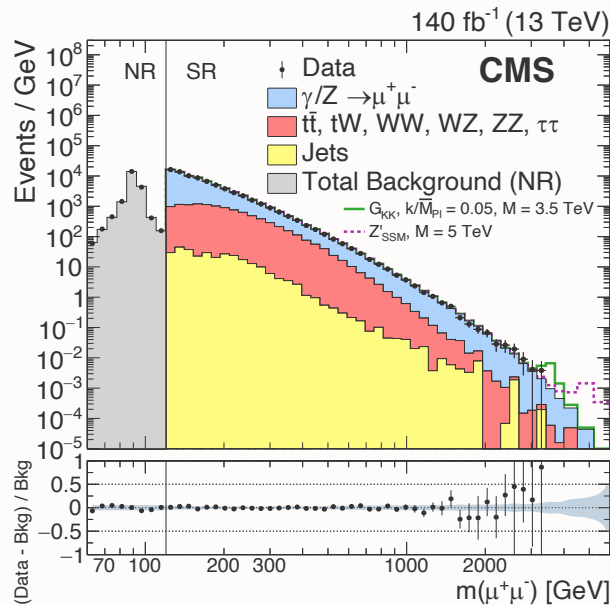
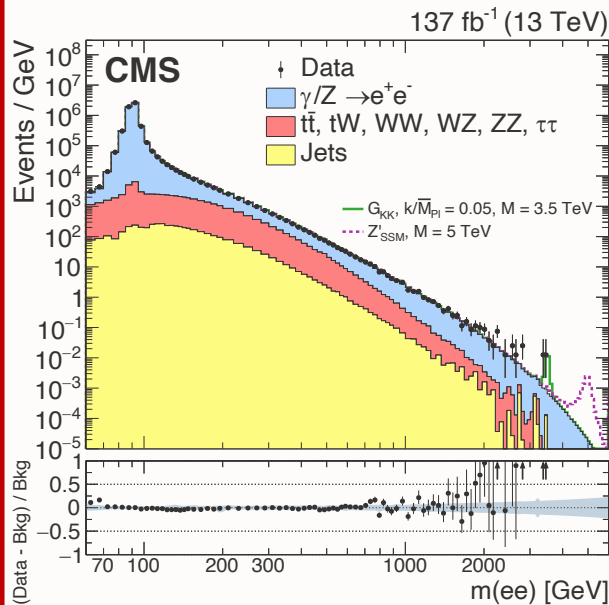
# $\mu\mu, ee$ searches

- select high- $p_T$   $e^+e^-$ ,  $\mu^+\mu^-$
- good data-MC agreement over whole range, except small excess for  $m_{ee} > 1.8$  GeV
- resonant limits: spin-1 ( $Z'$ , DM-mediator), spin-2 (graviton)
- nonresonant limits: four-fermion contact interaction, graviton

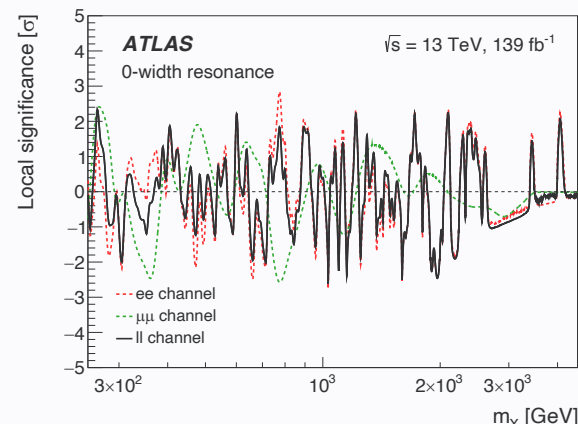
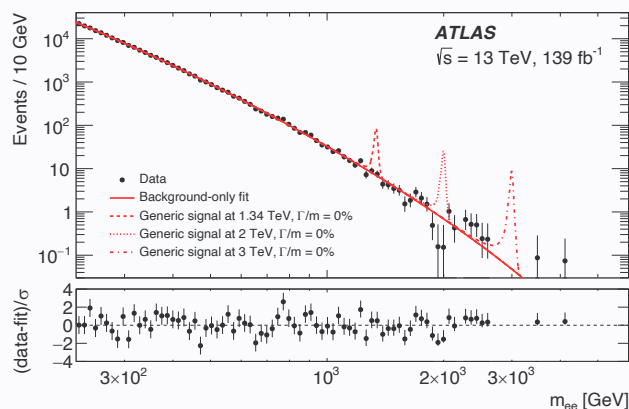
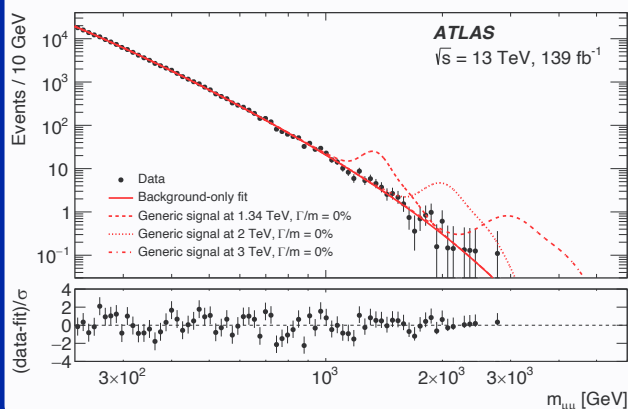


# Resonant $\mu\mu$ , $ee$ searches

EXO-19-019, [arXiv:2103.02708](https://arxiv.org/abs/2103.02708)



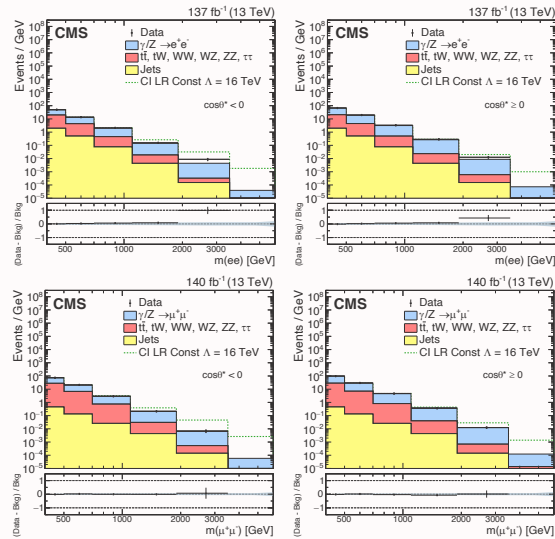
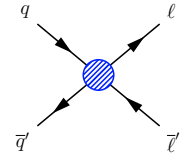
EXOT-2018-08, [arXiv:1903.06248](https://arxiv.org/abs/1903.06248)



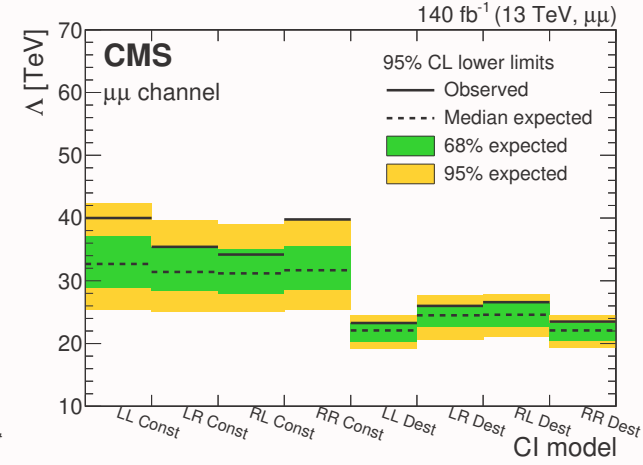
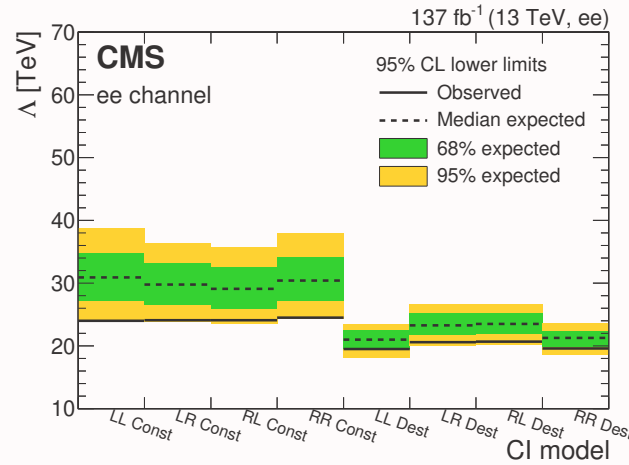
# Nonresonant $\mu\mu$ , $ee$ searches

- separate  $m_{\ell\ell}$  into bins of  $\cos\theta^* < 0$  and  $\cos\theta^* \geq 0$
- fit LL, LR, RL, RR helicity currents separately
- set limit on CI energy scale  $\Lambda$

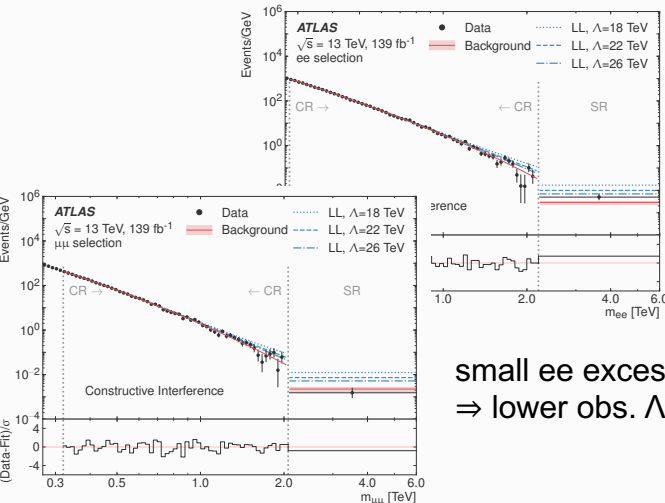
$\theta^*$ : scattering angle w.r.t. z axis  
in Collins-Soper frame  
CI: (four-fermion) contact  
interaction



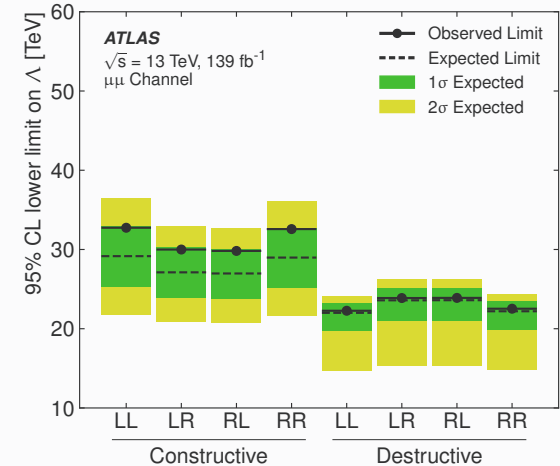
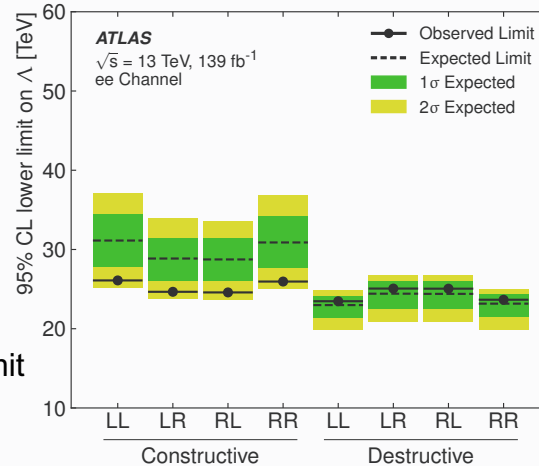
EXO-19-019, arXiv:2103.02708



EXOT-2019-16, arXiv:2006.12946

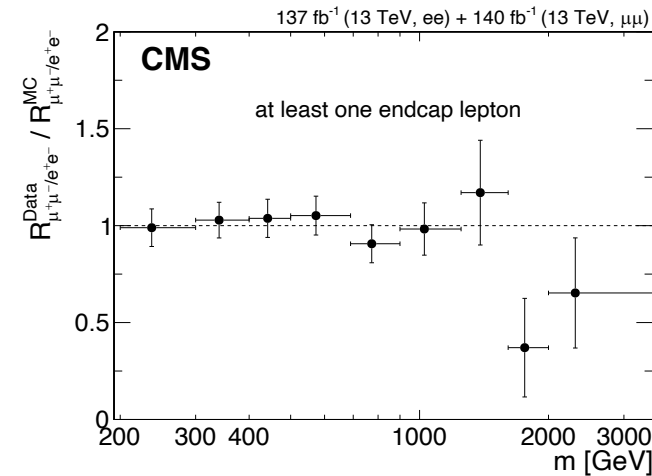
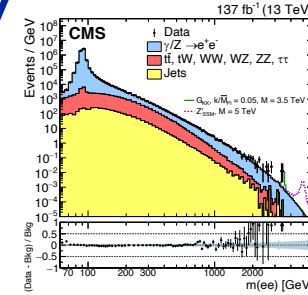
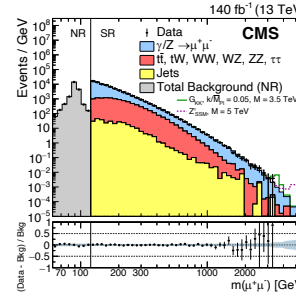
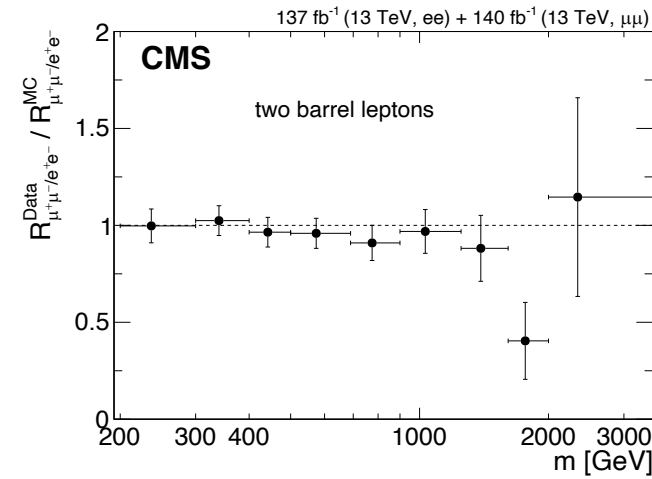


small  $ee$  excess  
 $\Rightarrow$  lower obs.  $\Lambda$  limit

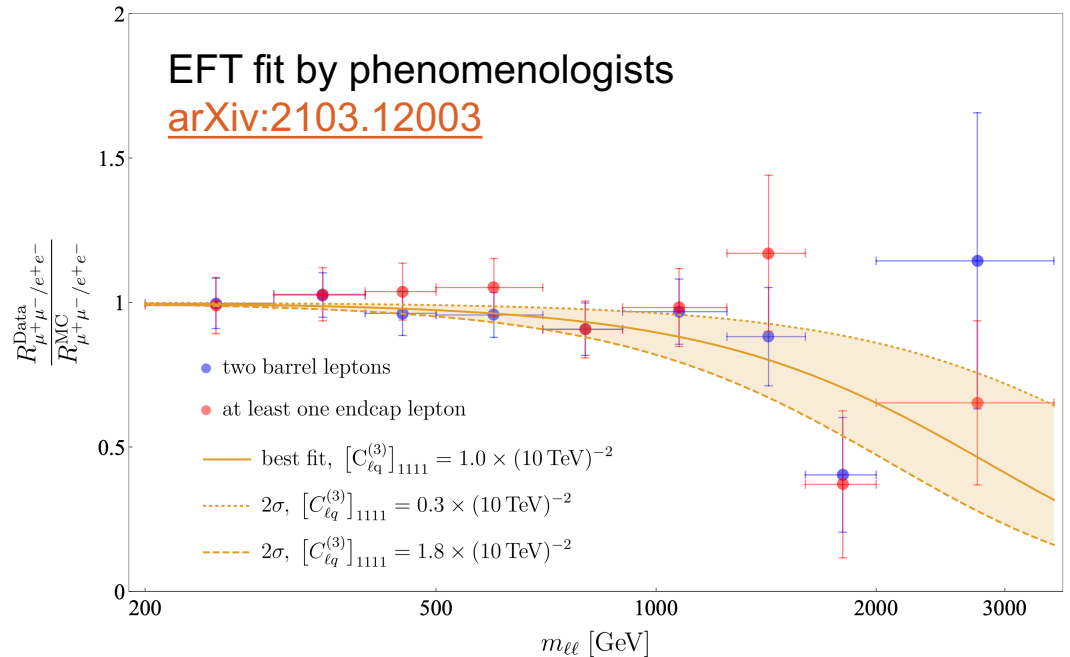
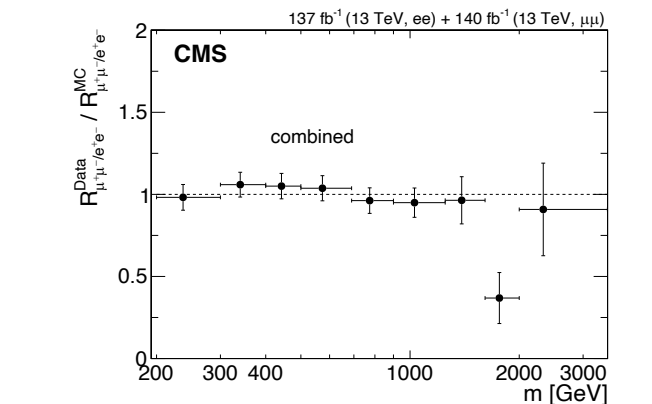


# Ratio $\mu\mu / ee$

$$R_{\mu^+\mu^-/e^+e^-} = \frac{d\sigma(q\bar{q} \rightarrow \mu^+\mu^-)/dm_{\mu^+\mu^-}}{d\sigma(q\bar{q} \rightarrow e^+e^-)/dm_{e^+e^-}}$$



- differential ratio in two bins of  $\eta$
- some deviation at high mass due to ee excess
- first-time test of LFU at TeV scale

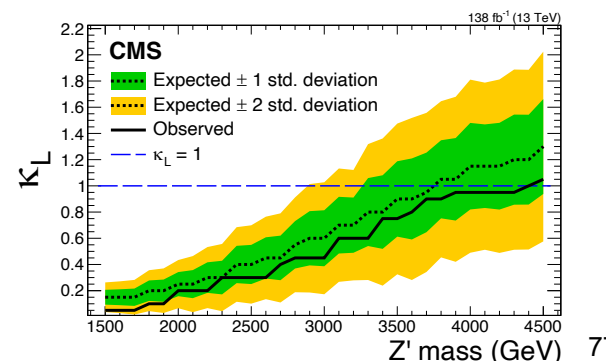
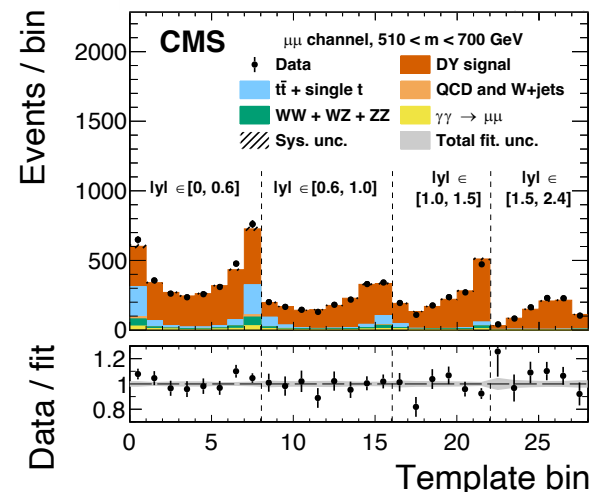
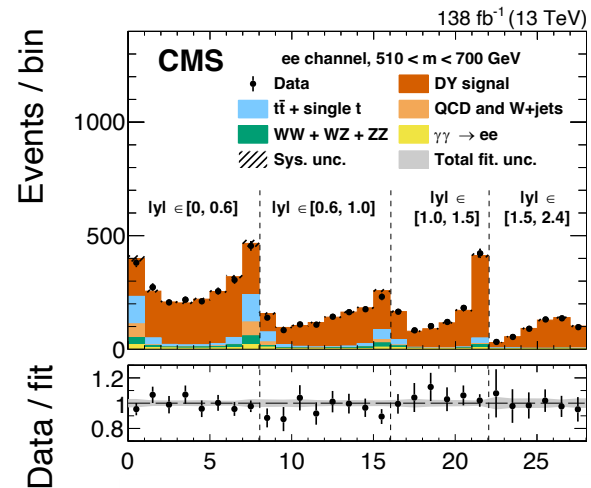
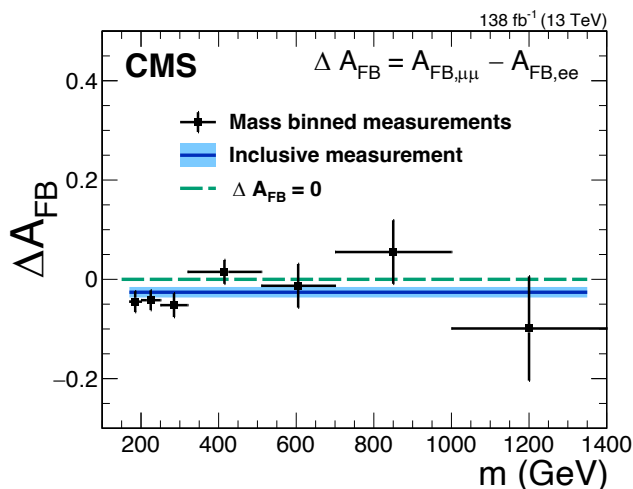
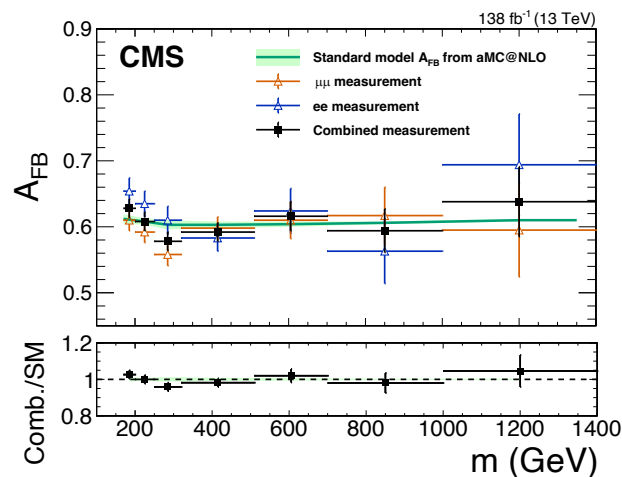


# Forward-backward asymmetry

- select  $e^+e^-$ ,  $\mu^+\mu^-$
- $m_{\ell\ell} > 170$  GeV, low MET, veto b jets
- good data-MC agreement over whole range
- $Z'$  can impact AFB through interference  
⇒ set 4.4 TeV limit
- $2.4\sigma$  discrepancy between  $ee/\mu\mu$  ( $\Delta A_{FB} < 0$ )

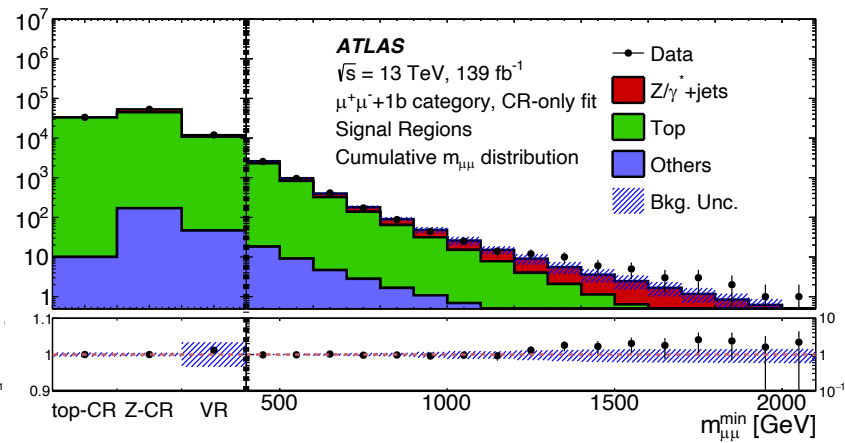
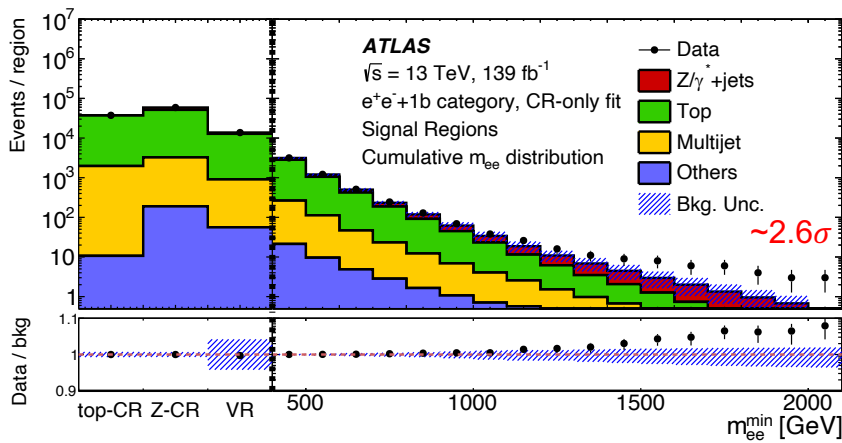
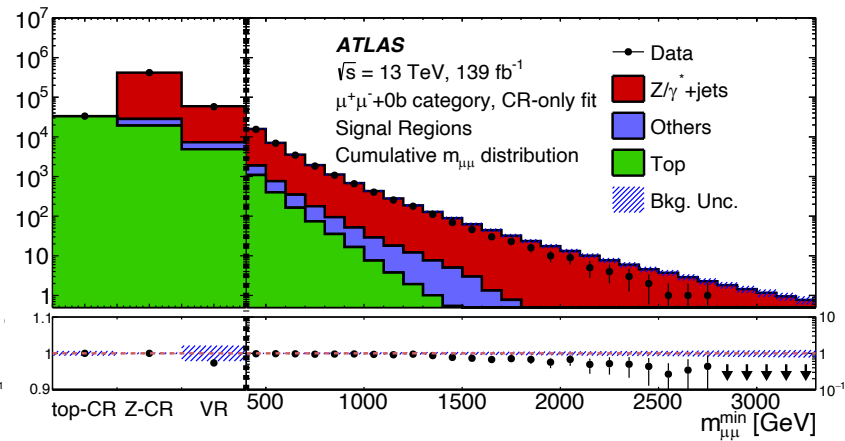
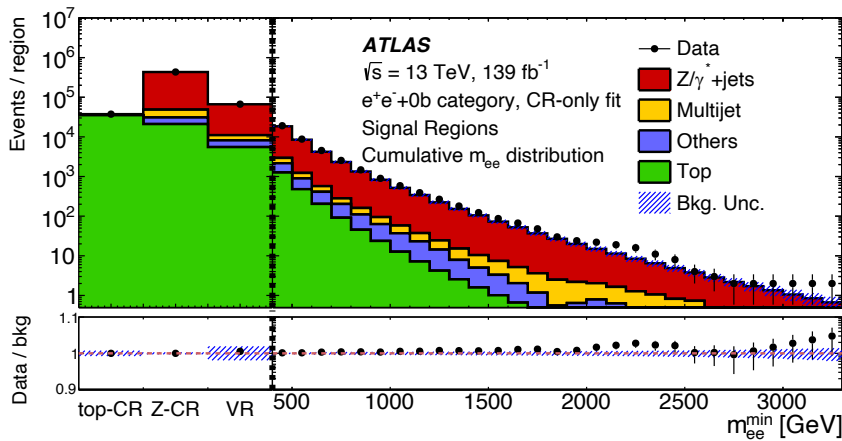
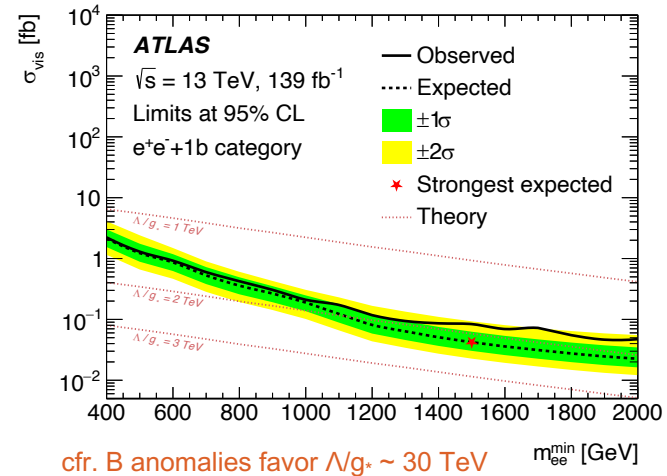
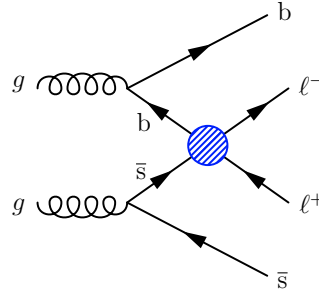
$$A_{FB} = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B} = 0.612 \pm 0.005(\text{stat}) \pm 0.007(\text{syst})$$

$$\Delta A_{FB} = A_{FB}^{\mu\mu} - A_{FB}^{ee} = -0.026 \pm 0.010(\text{stat}) \pm 0.004(\text{syst})$$



# ATLAS: dilepton + 0/1 b jets

- select high- $p_T$   $e^+e^-$ ,  $\mu^+\mu^-$
- split into 0,  $\geq 1$  b jet category
- probes  $b \rightarrow s\ell\ell$  CI motivated by B anomalies



# Single production yield & efficiency

two competing effects when  $\lambda$  is increased:

- cross section  $\sigma(\tau\text{LQ}) \sim \lambda^2$  at Breit-Wigner peak
- width increases, degrading efficiency
- pole at low mass of highly off-shell events increases yield, but degrades efficiency

