# PROBING NEW PHYSICS across scales 

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if the Standard Model is so successful, why do we look for new physics?

## WHY NEW PHYSICS?

experimental evidences:

- Baryogenesis
- $v$ oscillations
- dark matter
theory issues:
- tuning of the Higgs mass
- the strong CP problem
- the flavor puzzle
the quest for new physics


## THE QUEST FOR NEW PHYSICS



## THE QUEST FOR NEW PHYSICS



Z00m

energy
frontier

## THE QUEST FOR NEW PHYSICS


zoom
brightness

energy
frontier

## THE QUEST FOR NEW PHYSICS


zoom

energy
frontier

brightness

intensity frontier

## THE QUEST FOR NEW PHYSICS


zoom
brightness
focus

energy
frontier
intensity frontier

## THE QUEST FOR NEW PHYSICS


zoom

brightness
focus

energy
frontier
intensity frontier
precision frontier

## THE QUEST FOR NEW PHYSICS

coupling


## energy <br> frontier

MeV
GeV weak scale TeV new force mass
$2 \times 10^{-13} \mathrm{~m}$
$2 \times 10^{-16}$
7
$2 \times 10^{-18} \mathrm{~m} \quad 2 \times 10^{-19} \mathrm{~m}$ interaction length

## THE QUEST FOR NEW PHYSICS

coupling


## energy <br> frontier

intensity frontier
weak scale TeV new force mass
$2 \times 10^{-18} \mathrm{~m} \quad 2 \times 10^{-19} \mathrm{~m}$ interaction length

## THE QUEST FOR NEW PHYSICS

coupling


## energy frontier

intensity frontier
indirect
indirect

## frontier

## THE QUEST FOR NEW PHYSICS

coupling

$10^{-7}$
precision frontier

MeV
$2 \times 10^{-13} \mathrm{~m}$
2. dark photons at LHCb 3. ALP at the GeV Scale



## THE QUEST FOR NEW PHYSICS

coupling

$10^{-4}$
$10^{-7}$ precision

1. probing long range
force carriers
$\mathrm{MeV} \quad \mathrm{GeV}$ weak scale TeV new force mass
$2 \times 10^{-13} \mathrm{~m}$
$2 \times 10^{-16} \mathrm{~m}$
$2 \times 10^{-18} \mathrm{~m} \quad 2 \times 10^{-19} \mathrm{~m}$ interaction length

## Higgs

Higgs
mixing
$\theta$
light new particles

new force couples to matter

$$
\frac{y_{e} y_{A}}{4 \pi} \sin \theta \frac{e^{-m_{\phi} r}}{r}
$$

## PROBING NEW SPIN INDEPENDENT INTERACTIONS

$\phi$ - a new force carrier (spin 0,1 or 2 ), mass $m_{\phi}$
at atomic systems


## PROBING NEW SPIN INDEPENDENT INTERACTIONS

$\phi$ - a new force carrier (spin 0,1 or 2 ), mass $m_{\phi}$

## at atomic systems



$$
\frac{y_{e}\left(y_{p} Z+(A-Z) y_{n}\right)}{4 \pi} \frac{e^{-m_{\phi} r}}{r}
$$

electron-nucleus interaction
effective Yukawa like potential

$$
\frac{y_{e}^{2}}{4 \pi} \frac{e^{-m_{\phi} r_{12}}}{r_{12}}
$$

electron-electron interaction

## modify the electronic transition frequencies

## ISOTOPE SHIFT

## basic idea

measure the same electronic transition in different isotopes


## ISOTOPE SHIFT

basic idea
measure the same electronic transition in different isotopes

probe the electron-neutron interaction $\left(y_{e} y_{n}\right)$

## CURRENT BOUNDS: E-N INTERACTION


to maximize the sensitivity for new physics

# to maximize the sensitivity for new physics 

theory uncertainty smaller than
experimental one
few electrons systems
(hydrogen, helium)

## to maximize the sensitivity for new physics

theory uncertainty smaller than
experimental one
few electrons systems
(hydrogen, helium)
unique observable which are insensitive to theory error
heavy elements
(calcium, strontium, ytterbium)
few electrons systems

## FEW ELECTRONS SYSTEMS -ISOTOPE SHIFT



$$
\nu_{i}^{A, A^{\prime}}=\nu_{i}^{A}-\nu_{i}^{A^{\prime}}=\nu_{i, 0}^{A, A^{\prime}}+F_{i}\left\langle r^{2}\right\rangle_{A, A^{\prime}}
$$

point like


## FEW ELECTRONS SYSTEMS -ISOTOPE SHIFT



## FEW ELECTRONS SYSTEMS -ISOTOPE SHIFT


the charged radius is the dominant error (from e-scattering )

## combing two transitions


no need for charge
radius from scattering

Delaunay, Frugiuele, Fuchs, YS, PRD 1709.02817

## FEW ELECTRONS SYSTEMS -ISOTOPE SHIFT



## heavy elements

## HEAVY ELEMENTS - ISOTOPE SHIFT

theory error $\gg$ experimental error

$$
\nu_{i}^{A A^{\prime}} \equiv \nu_{i}^{A}-\nu_{i}^{A^{\prime}}
$$

## HEAVY ELEMENTS - ISOTOPE SHIFT

## theory error $\gg$ experimental error

factorization of electronic \(\begin{gathered}nucleus<br>effects<br>effects\end{gathered}\)

$$
\nu_{i}^{A A^{\prime}} \equiv \nu_{i}^{A}-\nu_{i}^{A^{\prime}}=K_{i} \mu_{A A^{\prime}}+F_{i} \delta\left\langle r^{2}\right\rangle_{A A^{\prime}}+\ldots
$$

Mass Shift
Field Shift $\mu_{A A^{\prime}} \equiv \frac{1}{m_{A}}-\frac{1}{m_{A^{\prime}}}$ (short distance)

## HEAVY ELEMENTS - ISOTOPE SHIFT

## theory error $\gg$ experimental error

$$
\begin{aligned}
& \text { factorization of } \begin{array}{c}
\text { electronic } \\
\text { effects }
\end{array} \\
& \nu_{i}^{A A^{\prime}} \equiv \nu_{i}^{A}-\nu_{i}^{A^{\prime}}=K_{i} \mu_{A A^{\prime}}+F_{i} \delta\left\langle r^{2}\right\rangle_{A A^{\prime}}+\ldots
\end{aligned}
$$

Mass Shift
Field Shift
$\mu_{A A^{\prime}} \equiv \frac{1}{m_{A}}-\frac{1}{m_{A^{\prime}}}$ (short distance)

$$
i=1,2>\left(\frac{\nu_{2}^{A A^{\prime}}}{\mu_{A A^{\prime}}}\right)=K_{21}+F_{21}\left(\frac{\nu_{1}^{A A^{\prime}}}{\mu_{A A^{\prime}}}\right)
$$

linear relation in the SM

$$
K_{21} \equiv K_{2}-F_{21} K_{1} \quad F_{21} \equiv F_{2} / F_{1}
$$

## HEAVY ELEMENTS - ISOTOPE SHIFT

isotope shift of $\mathrm{Ca}^{+}$


Gebert et al. 2015

$$
4 \mathrm{~S} \rightarrow 4 \mathrm{P}_{1} / 2
$$

## HEAVY ELEMENTS - ISOTOPE SHIFT

isotope shift of $\mathrm{Ca}^{+}$


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## HEAVY ELEMENTS - ISOTOPE SHIFT

$$
\nu_{i}^{A A^{\prime}}=K_{i} \mu_{A, A^{\prime}}+F_{i}\left\langle r^{2}\right\rangle_{A, A^{\prime}}+y_{e} y_{n} X_{i}\left(A-A^{\prime}\right)
$$



Delaunay, Ozeri, Perez, YS, PRD 1601.05087
Berengut, Budker, Delaunay, Flambaum, Frugiuele,

## HEAVY ELEMENTS - ISOTOPE SHIFT

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$$

- long range new physics
(the only theory inputs)
- misalignment between the new physics and the isotope shift
nonlinear King plot from new physics

similar to data driven background estimation at the LHC

Delaunay, Ozeri, Perez, YS, PRD 1601.05087
Berengut, Budker, Delaunay, Flambaum, Frugiuele,

## HEAVY ELEMENTS - ISOTOPE SHIFT

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$$

- long range new physics
- misalignment between the new physics and the isotope shift
nonlinear King plot from new physics

similar to data driven background estimation at the LHC
data consistent with linearity



## constrain NP

Delaunay, Ozeri, Perez, YS, PRD 1601.05087
Berengut, Budker, Delaunay, Flambaum, Frugiuele,

## HEAVY ELEMENTS - ISOTOPE SHIFT



## ISOTOPE SHIFTS: SUMMARY

## Higgs

light new particles

## new force couples <br> to matter

## THE QUEST FOR NEW PHYSICS

coupling

$10^{-7}$

# intensity 

 frontier

## THE QUEST FOR NEW PHYSICS

coupling

$10^{-7}$
2. dark photons at LHCb 3. ALP at the GeV Scale


## dark matter



dark photon - $A^{\prime} /$ Axion like particles - $a$ (ALPs)

## DARK PHOTON

portal between the standard model and dark matter


$$
m_{A^{\prime} \ll} m_{Z}, \varepsilon \ll 1
$$

## DARK PHOTON

portal between the standard model and dark matter

$$
\mathrm{SM} \sim_{\text {(kinetic mixing) }}^{A} \overbrace{\text { matter }}^{A^{\prime}}
$$

$$
m_{A^{\prime} \ll m_{Z}, \varepsilon \ll 1}
$$

electromagnetic process

$m_{A}=0$
dark photon process

( $m_{A^{\prime}}>0$ )

## DARK PHOTON SIGNAL

## differential relation:

$$
\frac{\mathrm{d} \sigma_{p p \rightarrow X A^{\prime} \rightarrow X \mu^{+} \mu^{-}}}{\mathrm{d} \sigma_{p p \rightarrow X \gamma^{*} \rightarrow X \mu^{+} \mu^{-}}}=\epsilon^{4} \frac{m_{\mu \mu}^{4}}{\left(m_{\mu \mu}^{2}-m_{A^{\prime}}^{2}\right)^{2}+\Gamma_{A^{\prime}}^{2} m_{A^{\prime}}^{2}}
$$

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## differential relation:

$$
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$$

## per mass bin:



## DARK PHOTON AT LHCB



## SIGNAL AND BACKGROUNDS

prompt short lifetime larger $\varepsilon$


dimuon

Ilten, YS, Thaler, Williams, Xue, PRL 1603.08926

## SIGNAL AND BACKGROUNDS

## prompt

short lifetime
larger $\varepsilon$

$S_{A^{\prime}} \propto B_{\mathrm{EM}}$
$\boldsymbol{\gamma}^{*} \sim \mu^{-}$Drell-Yan


Ilten, YS, Thaler, Williams, Xue,

## SIGNAL AND BACKGROUNDS

## prompt

short lifetime
larger $\varepsilon$

"good" ${ }^{\mu-}$ backgrounds "bad"

$$
S_{A^{\prime}} \propto B_{\mathrm{EM}} \quad S_{A^{\prime}} \not \propto B_{\mathrm{EM}}
$$

$\boldsymbol{\gamma}^{*} \sim \mu^{-}$Drell-Yan
misidentified hadrons (pions, kaons)


## SIGNAL AND BACKGROUNDS

prompt
short lifetime
larger $\varepsilon$

"good" $\mu^{\mu^{-}}$backgrounds "bad"
$S_{A^{\prime}} \propto B_{\mathrm{EM}}$
$S_{A^{\prime}} \not \nless B_{\mathrm{EM}}$
$\boldsymbol{\gamma}^{*} \sim \mu^{-}$Drell-Yan
misidentified hadrons (pions, kaons)
displaced long lifetime smaller $\varepsilon$


Ilten, YS, Thaler, Williams, Xue,

## BOUNDS ON A'



## BOUNDS ON A'



## BOUNDS ON A'



## BOUNDS ON A'



## BOUNDS ON A'



## BOUNDS ON A'



## LHCB DARK PHOTON REACH



Ilten, YS, Thaler, Williams, Xue, PRL 1603.08926

## LHCB DARK PHOTON REACH



Ilten, YS, Thaler, Williams, Xue,

## LHCB RESULT WITH 2016 DATA



## LHCB RESULT WITH 2016 DATA



## LHCB RESULT WITH 2016 DATA


$D^{*} \rightarrow D A^{\prime}, A^{\prime} \rightarrow e^{+} e^{-}$
Ilten, Thaler, Williams, Xue,

## BEYOND THE DARK PHOTON MODEL



LHCb, 1710.02867

## BEYOND THE DARK PHOTON MODEL



LHCb, 1710.02867
generic vector resonances

$$
\mathcal{L} \subset g_{X} \sum_{f} x_{f} \bar{f} \gamma^{\mu} f X_{\mu}+\sum_{\chi} \mathcal{L}_{X \chi \bar{\chi}}
$$

rescaling of the production and branching ratio

$$
\sigma_{X} \mathcal{B}_{X \rightarrow \mathcal{F}} \epsilon\left(\tau_{X}\right)=\sigma_{A^{\prime}} \mathcal{B}_{A^{\prime} \rightarrow \mathcal{F}} \epsilon\left(\tau_{A^{\prime}}\right)
$$

constrain generic vector resonances - $X$

$$
g_{X}=\epsilon^{2} \frac{\bar{\sigma}_{A^{\prime}} \mathcal{B}_{A^{\prime} \rightarrow \mathcal{F}} \epsilon\left(\tau_{A^{\prime}}\right)}{\bar{\sigma}_{X} \mathcal{B}_{X \rightarrow \mathcal{F}} \epsilon\left(\tau_{X}\right)}
$$

## BEYOND THE DARK PHOTON MODEL


electron beam dump $p p$ collider proton beam dump meson decays $e^{+} e^{-}$collider

## BEYOND THE DARK PHOTON MODEL


electron beam dump proton beam dump $e^{+} e^{-}$collider
$p p$ collider
meson decays

## BEYOND THE DARK PHOTON MODEL


electron beam dump $p p$ collider proton beam dump meson decays $e^{+} e^{-}$collider

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electron beam dump $p p$ collider proton beam dump meson decays $e^{+} e^{-}$collider

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electron beam dump $p p$ collider proton beam dump meson decays $e^{+} e^{-}$collider

## BEYOND THE DARK PHOTON MODEL

## assuming dominant invisible decay

## BEYOND THE DARK PHOTON MODEL

## assuming dominant invisible decay



## DARK PHOTON AT LHCB

## a portal, dark photon

## standard model dark matter

Ilten, YS, Thaler, Williams, Xue, PRL 1603.08926


LHCb, 1710.02867
dark photon



Ilten, YS, Williams, Xue, 1801.04847

# axion like particles 

## pseudo scalars <br> (appears in different BSM models)

$$
\mathscr{L}_{\mathrm{eff}}=-\frac{4 \pi \alpha_{s} c_{g}}{\Lambda} a G^{\mu \nu} \tilde{G}_{\mu \nu}+\frac{c_{\gamma}}{4 \Lambda} a F^{\mu \nu} \tilde{F}_{\mu \nu}
$$

$$
c_{g} \neq 0 \text { or } c_{\gamma} \neq 0
$$

Aloni, YS, Williams, 1811.03474
Aloni, Fanelli, YS, Williams, work in progress

## PRIMAKOFF ALP PRODUCTION

$$
\mathscr{L}_{\mathrm{eff}}=\frac{c_{\gamma}}{4 \Lambda} a F^{\mu \nu} \tilde{F}_{\mu \nu}
$$

## PRIMAKOFF ALP PRODUCTION

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photon on fixed target


## data driven signal estimation

## PRIMAKOFF ALP PRODUCTION

$$
\mathscr{L}_{\text {eff }}=\frac{c_{\gamma}}{4 \Lambda} a F^{\mu \nu} \tilde{F}_{\mu \nu}
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photon on fixed target

data driven signal estimation

Aloni, Fanelli, YS, Williams, work in progress


## PRIMAKOFF ALP PRODUCTION

$$
\begin{aligned}
& \qquad \mathscr{L}_{\text {eff }}=\frac{c_{\gamma}}{4 \Lambda} a F^{\mu \nu} \tilde{F}_{\mu \nu} \\
& \text { photon on fixed target }
\end{aligned}
$$



## PRIMAKOFF ALP PRODUCTION

## $\mathscr{L}_{\text {eff }}=\frac{c_{\gamma}}{4 \Lambda} a F^{\mu \nu} \tilde{F}_{\mu \nu}$ photon on fixed target



Aloni, Fanelli, YS, Williams, work in progress


## PRIMAKOFF ALP PRODUCTION



## PRIMAKOFF ALP PRODUCTION



## ALPS AT THE GEV SCALE

$\mathscr{L}_{\text {eff }}=-\frac{4 \pi \alpha_{s} c_{g}}{\Lambda} a G^{\mu \nu} \tilde{G}_{\mu \nu}$ how to estimate hadronic rates for ALPs with GeV scale mass?

## ALPS AT THE GEVSCALE

$\mathscr{L}_{\text {eff }}=-\frac{4 \pi \alpha_{s} c_{g}}{\Lambda} a G^{\mu \nu} \tilde{G}_{\mu \nu} \quad$ how to estimate hadronic rates for ALPs with GeV scale mass?

$$
\begin{array}{ccc}
m_{a} \lesssim \mathrm{GeV} \\
\text { chiral PT } & & m_{a} \gtrsim 2 \mathrm{GeV} \\
\text { pQCD }
\end{array}
$$

## ALPS AT THE GEV SCALE

$\mathscr{L}_{\text {eff }}=-\frac{4 \pi \alpha_{s} c_{g}}{\Lambda} a G^{\mu \nu} \tilde{G}_{\mu \nu}$ how to estimate hadronic rates for ALPs with GeV scale mass?

| $m_{a} \lesssim G e V$ |  |  |
| :---: | :---: | :---: |
| chiral PT | use data! | $m_{a} \gtrsim 2 G e V$ |
| pQCD |  |  |



Aloni, YS, Williams, 1811.03474

## ALPS AT THE GEV SCALE

## $\mathscr{L}_{\text {eff }}=-\frac{4 \pi \alpha_{s} c_{g}}{\Lambda} a G^{\mu \nu} \tilde{G}_{\mu u}$ how to estimate hadronic rates for

## ALPs with GeV scale mass?

## $m_{a} \lesssim \mathrm{GeV} \quad$ ??? $\quad m_{a} \gtrsim 2 \mathrm{GeV}$ <br> chiral PT <br> use data! pQCD



Aloni, YS, Williams, 1811.03474

## ALPS AT THE GEV SCALE

## $\mathscr{L}_{\text {eff }}=-\frac{4 \pi \alpha_{s} c_{g}}{\Lambda} a G^{\mu \nu} \tilde{G}_{\mu \nu}$ how to estimate hadronic rates for

## ALPs with GeV scale mass?

## $m_{a} \lesssim G e V$ <br> chiral PT

## $\eta c$ cross check

|  | This Work | Experiment |  |
| :---: | :---: | :---: | :---: |
|  | VMD $\times\|\mathcal{F}(m)\|^{2}$ | Average | $S U(3)$ |
| $\mathcal{B}\left(\eta_{c} \rightarrow \rho \rho\right)$ | $1.0 \%$ | $1.8 \pm 0.5 \%$ | $1.10 \pm 0.14 \%$ |
| $\mathcal{B}\left(\eta_{c} \rightarrow \omega \omega\right)$ | $0.40 \%$ | $0.20 \pm 0.10 \%$ | $0.44 \pm 0.06 \%$ |
| $\mathcal{B}\left(\eta_{c} \rightarrow \phi \phi\right)$ | $0.25 \%$ | $0.28 \pm 0.04 \%$ | $0.28 \pm 0.04 \%$ |
| $\mathcal{B}\left(\eta_{c} \rightarrow K^{*} \bar{K}^{*}\right)$ | $0.91 \%$ | $0.91 \pm 0.26 \%$ | $1.00 \pm 0.13 \%$ |

Aloni, YS, Williams, 1811.03474

## ALPS AT THE GEV SCALE

$$
\mathscr{L}_{\mathrm{eff}}=-\frac{4 \pi \alpha_{s} c_{g}}{\Lambda} a G^{\mu \nu} \tilde{G}_{\mu \nu}
$$

how to estimate hadronic rates for

## ALPs with GeV scale mass?

Aloni, YS, Williams, 1811.03474


## OUTLOOK

- new physics beyond the standard model is well motivated, but with unknown scale
- we saw examples how to probe new forces in intensity and precision frontiers
- each of these examples probes unexplored territories and improve our understanding of Nature


